

Study of HWRD process $\Xi^0 \rightarrow \Sigma^0 \gamma$

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Motivation

Hara theorem

In hyperon weak radiative decay(HWRD):

B^{PV} should vanish under SU(3) limit $\rightarrow \alpha_\gamma = 0$

Take the weak breaking of SU(3) symmetry into consideration $\alpha_\gamma \sim \pm 0.2$

$$\alpha_\gamma = \frac{2\text{Re}(A^{PC} * B^{PV})}{|A^{PC}|^2 + |B^{PV}|^2}$$

- α_γ : decay asymmetry
- A^{PC} : parity conserving amplitude
- B^{PV} : parity violating amplitude

Motivation

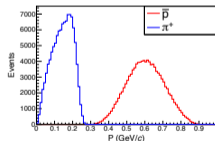
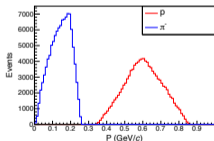
Measurements of decay asymmetry for $\Xi^0 \rightarrow \Sigma\gamma$

Experiments	BR/ 10^{-3}	α	Events
1989 SPEC	$3.56 \pm 0.42 \pm 0.10$	$+0.20 \pm 0.32 \pm 0.05$	85
2000 NA48	$3.16 \pm 0.76 \pm 0.32$	–	17
2001 KTEV	$3.34 \pm 0.05 \pm 0.09$	$-0.63 \pm 0.08 \pm 0.05$	4045
2010 NA48	–	$-0.729 \pm 0.030 \pm 0.076$	15k

Analysis Strategy

$$J/\psi \rightarrow \Xi^0 \Xi^{\bar{0}}, \Xi^{\bar{0}} \rightarrow \bar{\Sigma}^0 \gamma, \Xi^0 \rightarrow \Lambda \pi^0, \bar{\Sigma}^0 \rightarrow \bar{\Lambda} \gamma$$

- Reconstruction: missing π^0
- Charged Tracks
 - $N \geq 4$
 - after pid: $N_p, N_{\pi^-}, N_{\bar{p}}, N_{\pi^+} \geq 1$



- Neutral Tracks: $N_\gamma \geq 2$
- Λ & $\bar{\Lambda}$: Loop $p\pi^-$ ($\bar{p}\pi^+$) pairs to find the best
- Kinematics Fit
 - Constrain m_{π^0} & m_{Ξ}
 - Loop $\gamma\gamma$ pairs to optimize

BDT – BKG Components

- Main bkg process:

$$J/\psi \rightarrow \Xi^0 \bar{\Xi}^0, \bar{\Xi}^0 \rightarrow \bar{\Lambda}^0 \pi^0, \Xi^0 \rightarrow \Lambda \pi^0$$

- Final state particles:

$$p \bar{p} \pi^+ \pi^- \gamma \gamma \gamma$$

BDT – BKG Components

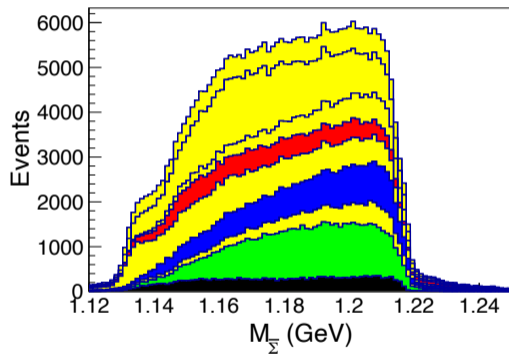
Apply truth match to 2 photons

Get a set of match angles:

$(\theta_{\gamma_1 \text{ with } \pi^0}, \theta_{\gamma_1 \text{ with missing } \pi^0}, \theta_{\gamma_2 \text{ with } \pi^0}, \theta_{\gamma_2 \text{ with missing } \pi^0})$

Classify BKG as

- 1 Both come from *signal* π^0
- Only γ_1 is from *signal*
 - 2 γ_2 comes from *missing* π^0
 - 3 γ_2 is *noise*
- Only γ_2 is from *signal*
 - 4 γ_1 comes from *missing* π^0
 - 5 γ_1 is *noise*
- Both aren't from *signal*
 - 6 Both come from *missing* π^0
 - 7 γ_1 from *missing* π^0 & γ_2 is *noise*
 - 8 γ_2 from *missing* π^0 & γ_1 is *noise*
 - 9 Both are *noise*



Bottom-up corresponds to case 1-9
Yellow Part: containing noisy photons

Independence of Process

3 samples of different processes:

- Red:

$$J/\psi \rightarrow \Xi^0 \bar{\Xi}^0, \bar{\Xi}^0 \rightarrow \bar{\Lambda}^0 \pi^0, \Xi^0 \rightarrow \Lambda \pi^0$$

- Blue:

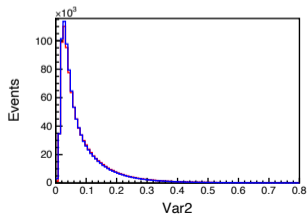
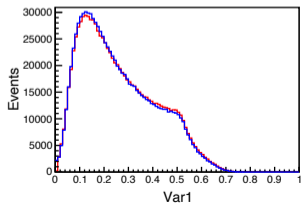
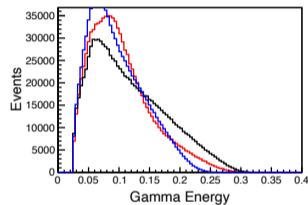
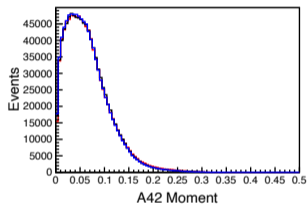
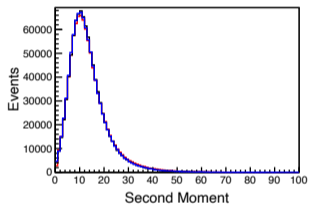
$$J/\psi \rightarrow \bar{\Xi}^+ \Xi^-, \bar{\Xi}^+ \rightarrow \bar{\Lambda} \pi^+, \Xi^- \rightarrow \Lambda \pi^-, \bar{\Lambda} \rightarrow \bar{n} \pi^0, \Lambda \rightarrow p \pi^-$$

- Black:

$$J/\psi \rightarrow \Lambda \bar{\Lambda}, \bar{\Lambda} \rightarrow \bar{n} \pi^0, \Lambda \rightarrow p \pi^-$$

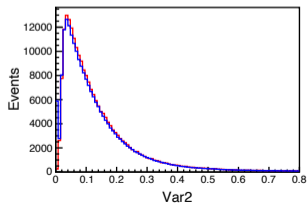
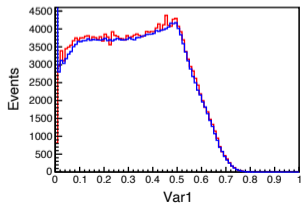
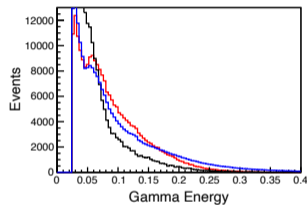
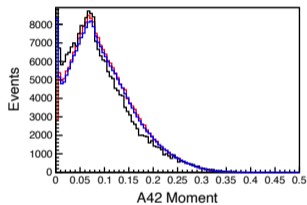
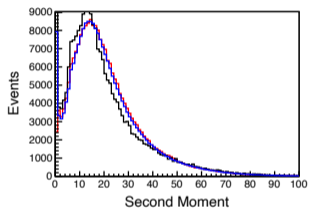
Independence of Process – Distribution of energy-weighted input variables

Figure: Signal samples

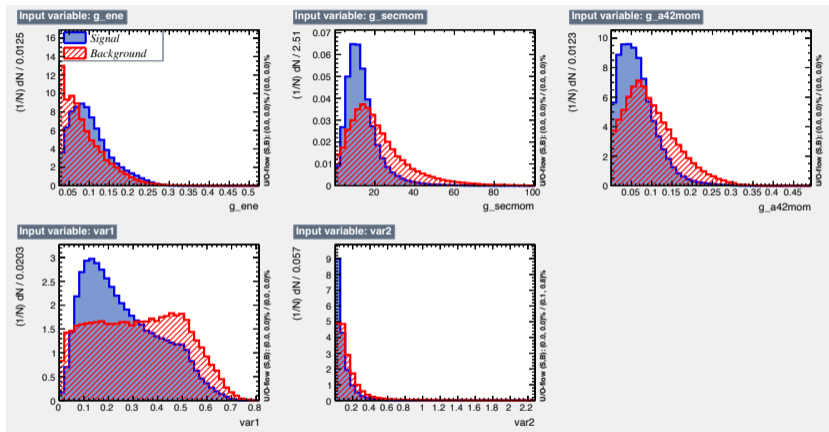


Independence of Process – Distribution of energy-weighted input variables

Figure: Bkg samples



BDT – Input

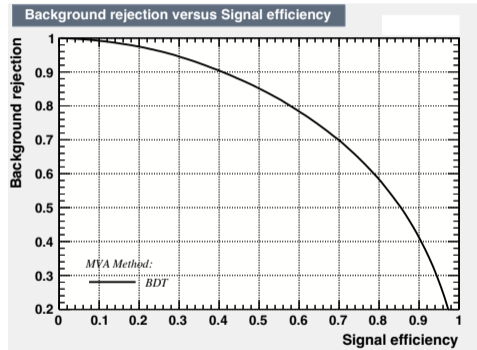
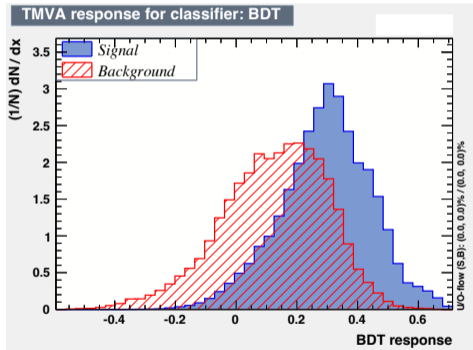


- Bkg sample: each match angle is larger than 15°
- Signal sample: one of the angles is less than 10°

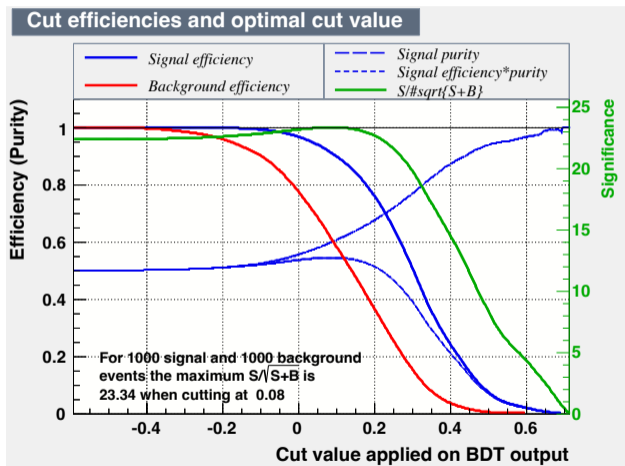
$$\text{var1} = \frac{e3 \times 3 - eSeed}{e3 \times 3}$$

$$\text{var2} = \frac{E - eSeed}{(\text{Hits} - 1) \times eSeed}$$

BDT – Results

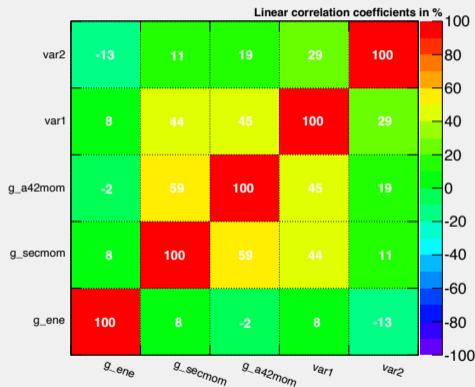


BDT – Results

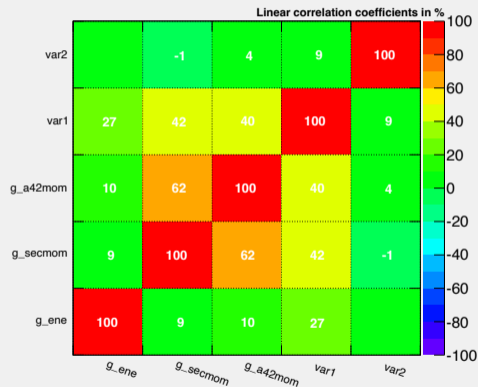


BDT – Results

Correlation Matrix (signal)



Correlation Matrix (background)



BDT – Results

Figure: Before BDT

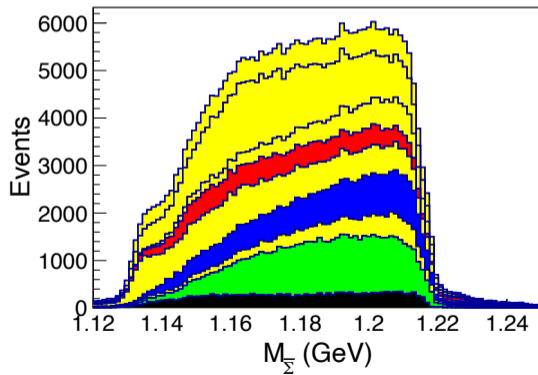


Figure: After BDT

