





Particle Physics Toni Baroncelli Haiping Peng USTC



Content (and Disclaimer)

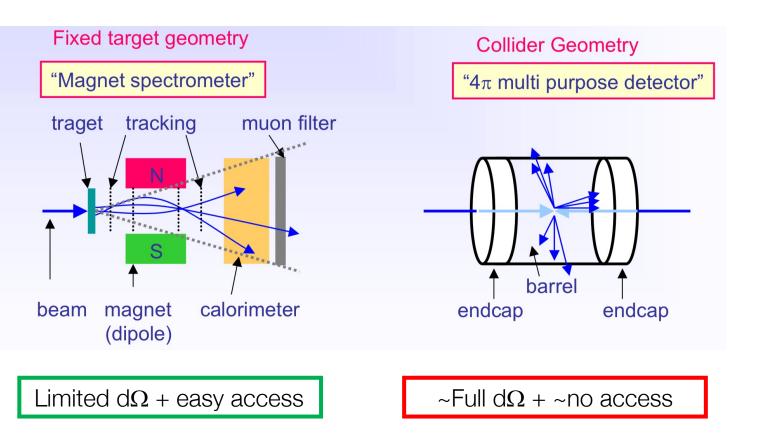
This lecture will give general point of view: how to assemble detectors into experiments at Colliders.

- Experiments of the recent past and
- present experiments

- Characteristics of *ALL* charged and neutral articles
- Characteristics of a full Event
 (topology & much more)

This cannot be done by a single detector

- \rightarrow integrate several detectors
- \rightarrow experiments





Designing a 4π Collider Experiment

barrel

endcap

endcap

the end-cap (forward / backward part), it consists of disks that are perpendicular to the beam line.

The experiment (== assembly of many detectors) 'should':

- Be capable of measuring known physics processes but also unexpected new physics;
- Be as hermetic as possible;
- Measure momentum of all charged particles \rightarrow B field
- Measure energy of all hadrons and electrons;
- Filter muons using a large amount of material and measure its momentum;

• Be capable of identifying particles (mass and charge)

the barrel (large angle / large p_T / large η)

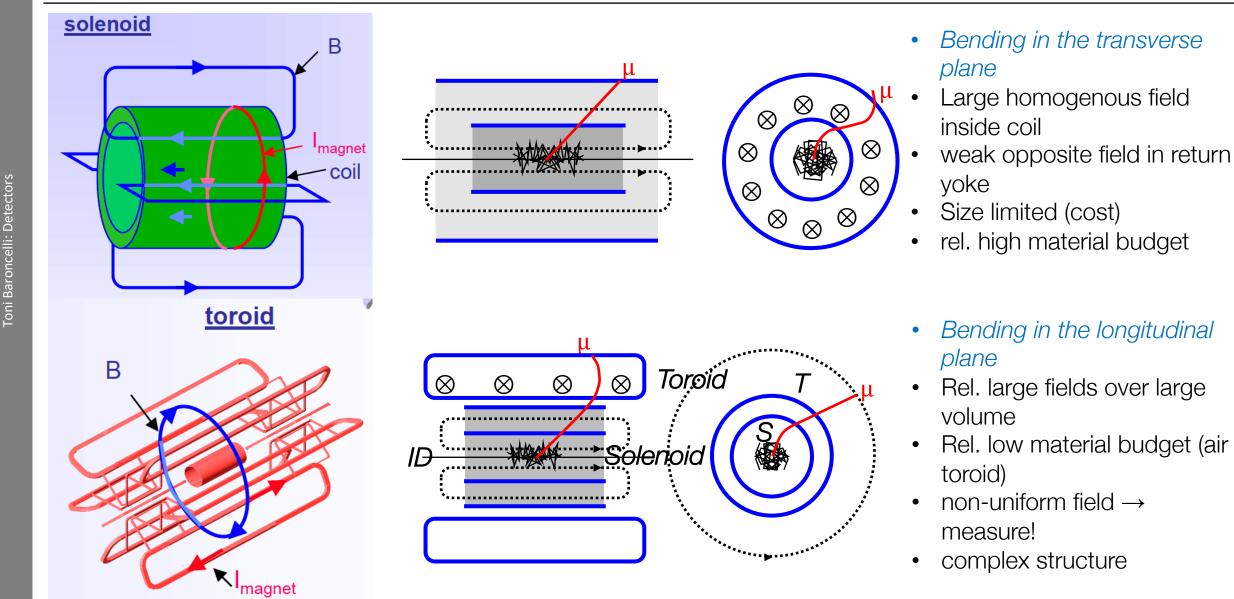
cylindrical and co-axial with the beam axis

- Reconstruct primary and secondary vertices
- Have excellent triggering performance and sustain with the rate of interactions;
- The position of all the different detectors should be known with high accuracy.

Is this possible at all? Yes but with caveats and limitations.



Choosing a B-Field Configuration





Solenoids Vs Toroids

- solenoid B magnet coil toroid В • magnet
- Large homogenous field inside coil
- weak opposite field in return yoke
- Size limited (cost)
- rel. high material budget

Туре	Experiment	B-Field (T)	Cold/ Warm	Diameter (m)	Length (m)
S	DELPHI	1.2	С	5.2	7.4
S	L3	0.5	W	11.9	11.9
S	CMS	4.0	С	5.9	12.5
S	ATLAS (ID)	2.0	С	2.5	5.8
Т	ATLAS (μ, barrel)	0.5	С	9.4/20	24.3
Т	ATLAS (μ, end-cap)	1.0	С	1.7/10.7	5

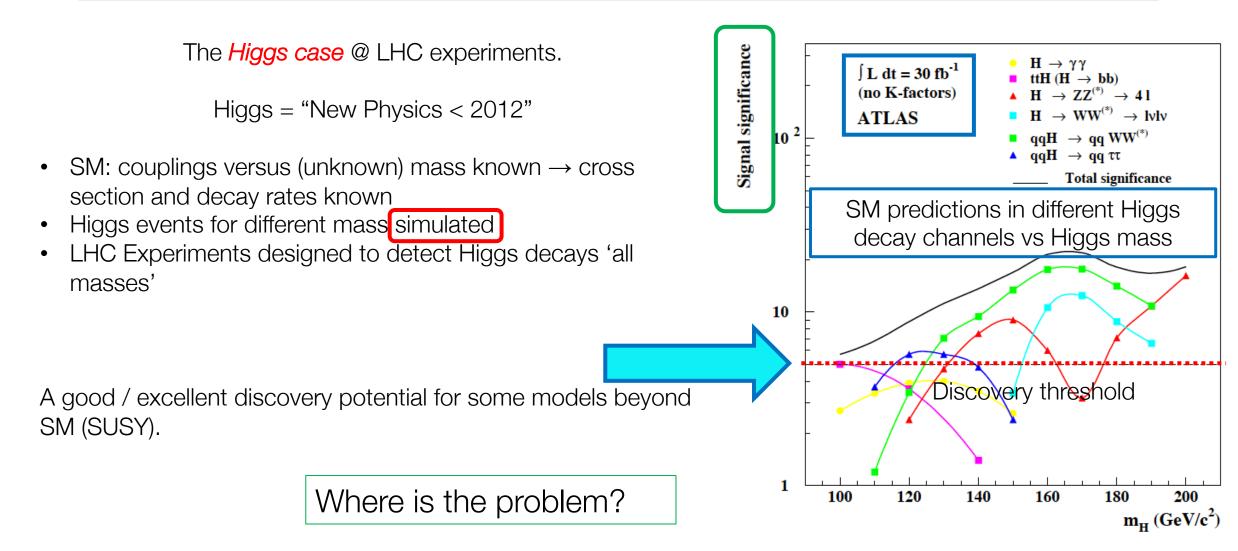
- Rel. large fields over large volume
- Rel. low material budget

- non-uniform field
- complex structure



Time Laps of Physics

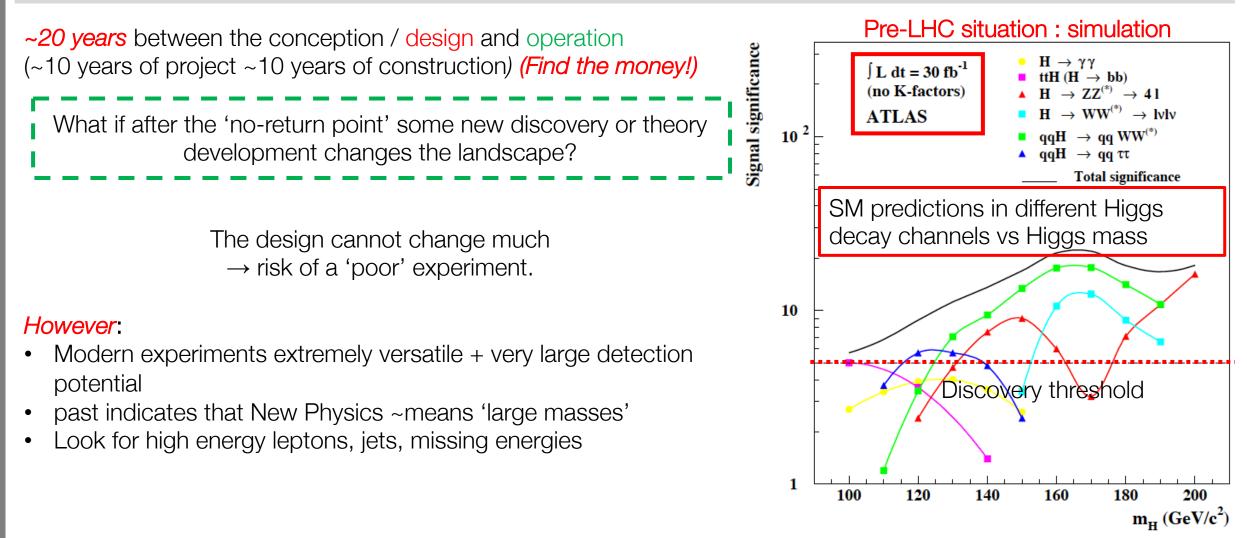
A modern experiment should be "capable of ... unexpected new physics (generally indicated with NP)"





Time Laps of Physics - continued

A modern experiment at a collider should be "capable of measuring known physics processes but also unexpected new physics (generally indicated with NP)".





Time Laps of Technology (1990 – 2000)

Table 1. Typical detector characteristics.

Detector Type	Accuracy (rms)	Resolution Time	$\begin{array}{c} { m Dead} \\ { m Time} \end{array}$
Bubble chamber	10 to 150 μm	$1 \mathrm{ms}$	50 ms^a
Streamer chamber	$300~\mu{ m m}$	$2 \ \mu s$	100 ms
Proportional chamber	$\geq 300 \; \mu \mathrm{m}^{b.c}$	50 ns	200 ns
Drift chamber	50 to 300 $\mu { m m}$	2 ns^d	100 ns
Scintillator		150 ps	10 ns
Emulsion	$1 \ \mu \mathrm{m}$		
Silicon strip	$2.5~\mu{ m m}$	e	e

Detector Type	Accuracy (rms)	Resolution Time	Dead Time
Bubble chamber	$10150~\mu\mathrm{m}$	$1 \mathrm{ms}$	50 ms^a
Streamer chamber	$300 \ \mu m$	$2~\mu { m s}$	$100 \mathrm{ms}$
Proportional chamber	$50100~\mu\mathrm{m}^{b,c}$	2 ns	200 ns
Drift chamber	$50100~\mu\mathrm{m}$	2 ns^d	$100 \mathrm{~ns}$
Scintillator	_	$100 \text{ ps}/n^e$	$10 \mathrm{~ns}$
Emulsion	$1~\mu{ m m}$	_	
Liquid argon drift [7]	${\sim}175{-}450~\mu{ m m}$	$\sim 200~{ m ns}$	$\sim 2~\mu{ m s}$
Micro-pattern gas detectors [8]	$30{-}40~\mu{ m m}$	$< 10 \ { m ns}$	20 ns
Resistive plate chamber [9]	$\lesssim 10 \; \mu { m m}$	12 ns	
Silicon strip	pitch/ $(3 \text{ to } 7)^f$	g	g
Silicon pixel	$2 \ \mu \mathrm{m}^h$	g	\boldsymbol{g}

PDG. ~2010 edition

Comparison between typical detectors characteristics in 1990 and 2010

PDG. 1990 edition

Accuracy (µm) Time Resolution							
ears	Year	Streamer chamber	Proportional chamber	Drift chamber	RPC	Micro-pattern gas detectors	
20 ye	1990	300	>300 <mark>50 ns</mark>	50-300	-	-	
~2	2010	300	50-100 <mark>2 ns</mark>	50-100	<10ns	30-40	

Detectors designed ~ 10y < data taking

- Detectors at the frontier of technology or (more often) detectors in R&D phase → optimise while constructing
- Expected duration of future experiments > 30 years!
- Long term planning for upgrade and / or replacement of technologies (increase of luminosity, radiation damage)



And of SC Magnets used in Experiments

Table 34.10: Progress of superconducting magnets for particle physics detectors.					naulus ol culvalui	ec			
Experiment	Laboratory	B[T]	Radius [m]	Length [m]	Energy [MJ]	X/X_0	E/M [kJ/kg]	:	S
TOPAZ*	KEK	1.2	1.45	5.4	20	0.70	4.3	4007 0044	fo
CDF^*	${ m Tsukuba/Fermi}$	1.5	1.5	5.07	30	0.84	5.4	1987 - 2011	С
VENUS*	KEK	0.75	1.75	5.64	12	0.52	2.8		
AMY^*	KEK	3	1.29	3	40	t			
CLEO-II*	Cornell	1.5	1.55	3.8	25	2.5	3.7		
$ALEPH^*$	Saclay/CERN	1.5	2.75	7.0	130	2.0	5.5	1000 0000	
$DELPHI^*$	RAL/CERN	1.2	2.8	7.4	109	1.7	4.2	1989 - 2000	
$ZEUS^*$	INFN/DESY	1.8	1.5	2.85	11	0.9	5.5	1000 0007	
$H1^*$	RAL/DESY	1.2	2.8	5.75	120	1.8	4.8	1992 - 2007	1
BaBar^*	INFN/SLAC	1.5	1.5	3.46	27	Ť	3.6		
$D0^*$	Fermi	2.0	0.6	2.73	5.6	0.9	3.7		5
$BELLE^*$	KEK	1.5	1.8	4	42	Ť	5.3		
BES-III	IHEP	1.0	1.475	3.5	9.5	t	2.6		
ATLAS-CS	ATLAS/CERN	2.0	1.25	5.3	38	0.66	7.0		
ATLAS-BT	ATLAS/CERN	1	4.7 - 9.7	5 26	1080	(Toroid))†		
ATLAS-ET	ATLAS/CERN	1	0.825 - 5.3	5 - 5	2×250	(Toroid))†		
\mathbf{CMS}	CMS/CERN	4	6	12.5	2600	†	12		
SiD**	ILC	5	2.9	5.6	1560	ť	12		
ILD^{**}	ILC	4	3.8	7.5	2300	†	13		
SiD^{**}	CLIC	5	2.8	6.2	2300	†	14	> 2035	
ILD^{**}	CLIC	4	3.8	7.9	2300	†		2 2000	
FCC**		6	6	23	54000	†	12		

 \mathcal{P} and \mathcal{P} and

Super-conducting magnets are used for the momentum measurement of charged tracks (curvature):

$\sigma(p_T)$	x	1
p_T	ι.	B

- → $4 \times B \rightarrow 4 \times resolution in p_T$
- Magnets are the largest structure of an experiment



- You may replace (part of the) detectors
- Magnets in experiments have to last for ~30 to 40 y

 * No longer in service

**Conceptual design in future

[†] EM calorimeter is inside solenoid, so small X/X_0 is not a goal



A 4π Collider Experiment: the Real Life

A 4π hermetic experiment is inaccessible, like a ship in a bottle.

Interventions at the LHC are planned since the construction and opening / intervening / closing back takes ~ 2 y and the coordinated work of a large number of engineers and technicians. The periods of stop are called 'LS', Long Shutdowns.



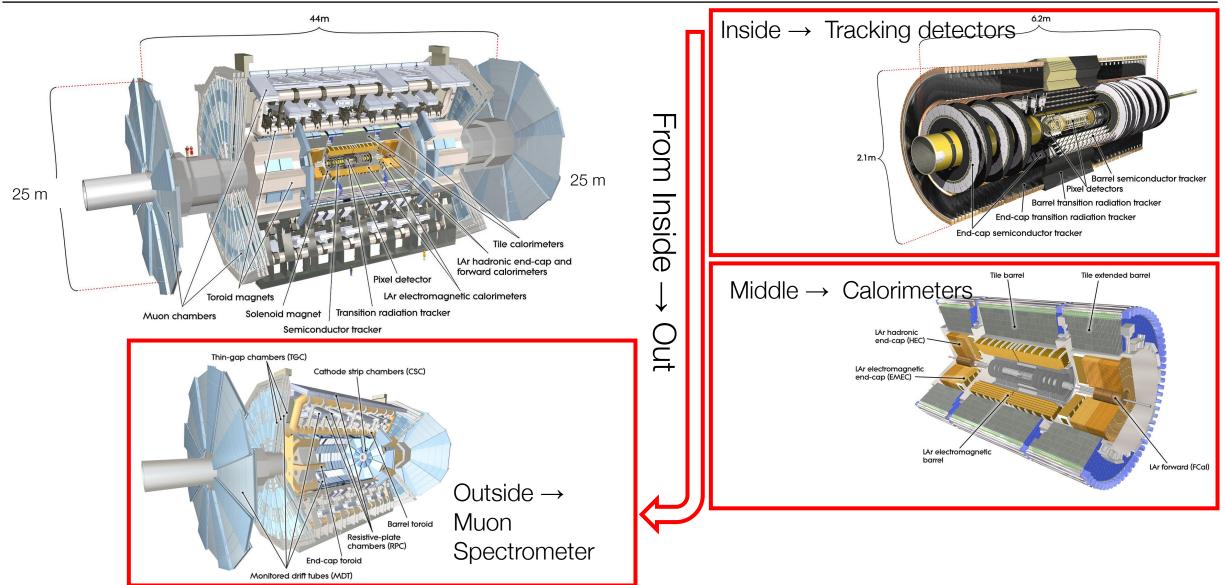
LS Long Shutdowns :

LS2 2019+2020 'Upgrade Phase 1' LS3 2024 \rightarrow 1/2 2026 'Upgrade Phase 2' COVID delays!! Expected data taking end ~ 2040



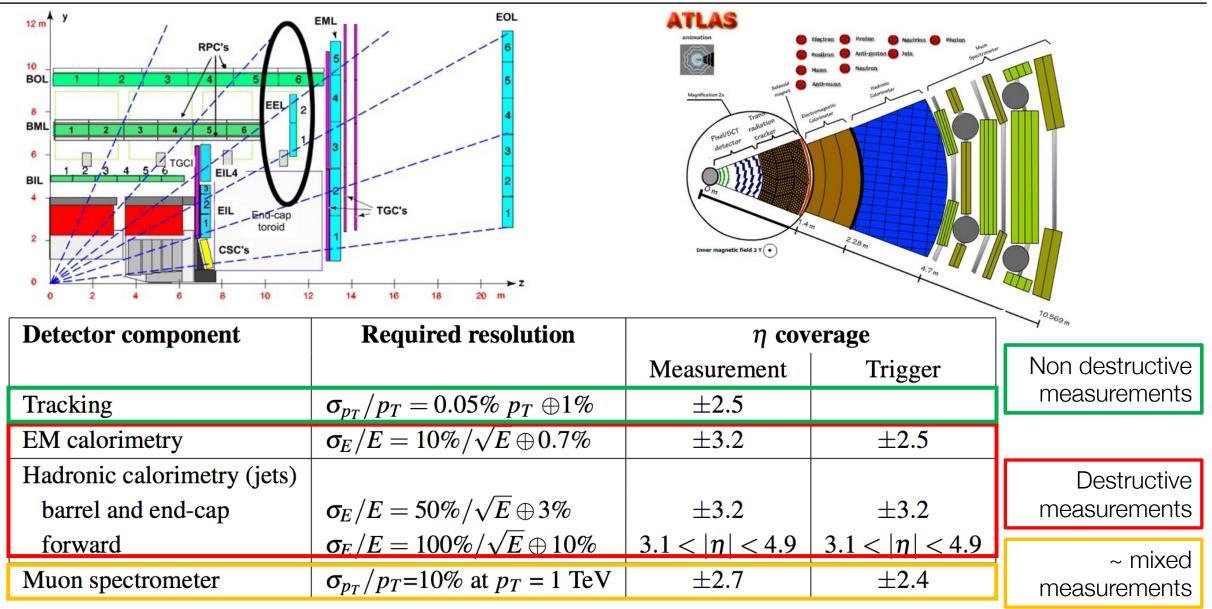


General Overview





General Overview





Toni Baroncelli: Detectors

General Overview

Position	Name	Purpouse						
Innermost	Vertex Detector	charged tracks close to beam pipe; primary (+ secondary <i>vertices</i> of decaying particles) (small Δ Radius \rightarrow no momentum!)						
Inner	Tracking Detectors	<i>charged tracks</i> with a large Δ Radius						
Middle	EM Calorimeters	Measure the energy of <i>electrons and photons</i>						
Middle	Hadron Calorimeters	Measure the energy of <i>hadronic particles</i>						
Outer	Muon Spectrometer	Measure the momentum of penetrating particles \rightarrow <i>muons</i>						
Position	Name	Hadrons±	Hadrons ⁰	Photons	e ±	μ^{\pm}		

	Name	Hauluns-	naurons	FIIOLOIIS	₽	μ^{-}	
Innermost	Vertex Detector						
Inner	Tracking Detectors				\checkmark		
Middle	EM Calorimeters	\checkmark	\checkmark		\checkmark	\checkmark	
Middle	Hadron Calorimeters						
Outer	Muon Spectrometer		Penetratio	Penetration limit			



Basic Measurements: Summary

Type of Measurement	Quantity measured	Detector	Position in Experiment
Non destructive (~light	Trajectory of charged particles close to interaction point	Vertex detectors, Si detectors (excellent spatial resolution & rad-hard)	Cylinders with radii ~ 10/20 cm
detectors in ~vacuum or in gas)	Radius of curvature of charged particles in magnetic field	Inner Detectors, typically Si or gaseous detectors	Cylinders in barrel, disks in end-caps. Radially out of Vertex Detectors
Destructive (detectors	Energy of em particles (electrons & photons)	EM calorimeters ~ Lead sandwiched with energy detectors	Cylinders in barrel, disks in end-caps. Radially out of Inner Detectors
made of heavy materials)	Energy of hadronic particles (charged & neutral)	Hadron Calorimeters: Fe/Cu sandwiched with energy detectors	Cylinders in barrel, disks in end-caps. Radially out of Inner Detectors
Mixed	Radius of curvature of charged particles emerging from EM & HCAL calorimeters	Muon detectors: tracking detectors, typically gaseous detectors	Cylinders in barrel, disks in end-caps. At the outmost position





	Definition	Measurement	Comment
Efficiency	probability that a detector gives a signal when a particle traverses it	measured using a beam of known particles or using simulation	
Response time	time that the detector takes to form an electronic signal after the arrival of the particle	Test beams	during this time, a second event may not be recorded
Dead time	time between the passage of a particle and the moment at which the detector is ready to record the passage of the next particle	Test beams	The length of the signal, the electronics used, and the recovery time of the detector influence the dead time
Spatial resolution	precision with which the passage of a charged particle is located in space	Test beams	
Energy resolution	possibility of a detector to distinguish two close energies	"test beam" with particles of known energy	The energy resolution is the half-width of the energy distribution



Charged Particles Detectors

Particle Data Group: https://pdg.lbl.gov/2020/reviews/contents_sports.html

Table 34.	1: Typical	resolutions	and	deadtimes	of	common	charged	particle
detectors.	Revised Nov	ember 2011.						а

Detector Type	Intrinsinc Spatial Resolution (rms)	Time Resolution	Dead Time
Resistive plate chamber	$\lesssim 10 \ { m mm}$	$1 \text{ ns} (50 \text{ ps}^a)$	
Streamer chamber	$300 \ \mu \mathrm{m}^b$	$2~\mu{ m s}$	$100 \mathrm{\ ms}$
Liquid argon drift [7]	${\sim}175{-}450~\mu{\rm m}$	$\sim 200~\mathrm{ns}$	$\sim 2~\mu { m s}$
Scintillation tracker	${\sim}100~\mu{\rm m}$	$100 \text{ ps}/n^c$	10 ns
Bubble chamber	10–150 $\mu { m m}$	$1 \mathrm{ms}$	50 ms^d
Proportional chamber	50–100 $\mu\mathrm{m}^e$	2 ns	20-200 ns
Drift chamber	50–100 $\mu{ m m}$	2 ns^{f}	20-100 ns
Micro-pattern gas detectors	30–40 $\mu { m m}$	< 10 ns	10-100 ns
Silicon strip	pitch/ $(3 \text{ to } 7)^g$	few ns^h	$\lesssim 50 \ {\rm ns}^h$
Silicon pixel	$\lesssim\!10~\mu{ m m}$	few ns^h	$\lesssim 50 \ {\rm ns}^h$
Emulsion	$1~\mu{ m m}$		

3	For multipl	le-ga	p RPC	Cs.
)	300 µm is	for 1	mm	oitch
,		1110		

(wirespacing/ $\sqrt{12}$).

 c n = index of refraction.

^d Multiple pulsing time.

 $^{\rm e}$ Delay line cathode readout can give Å}150 μm parallel to anode wire.

^f For two chambers.

 $^{\rm g}$ The highest resolution ("7") is obtained for small-pitch detectors (.25 μm) with pulse-height-weighted center finding.

^h Limited by the readout electronics [8].

Typical detectors in modern colliders



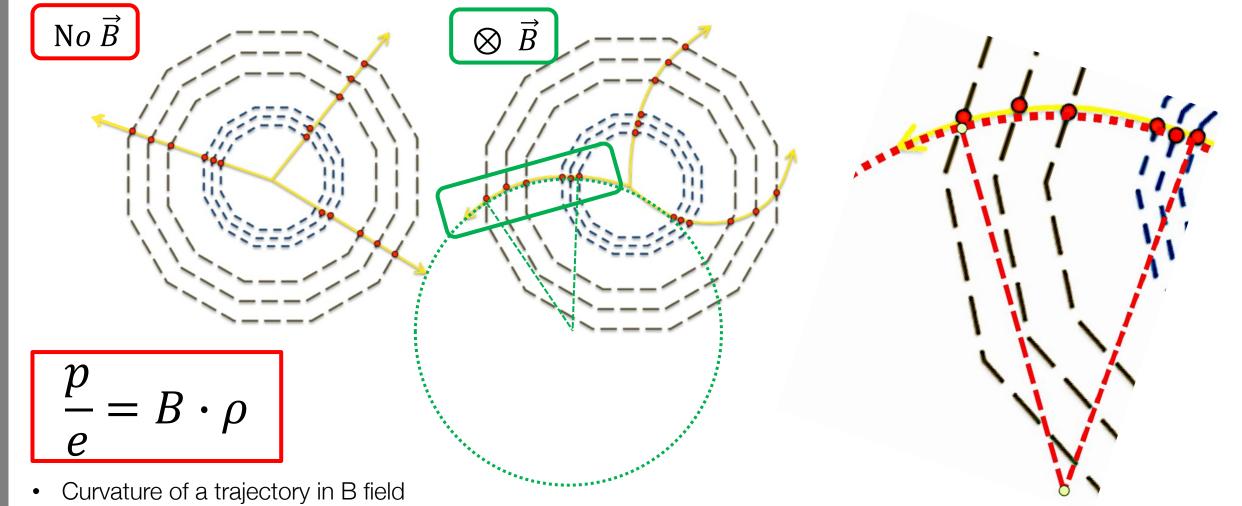
Complex observables need the combination of different detectors

- E_{tot} ,=Total event energy, p_{tot} = event momentum balance;
 - $(E_{CM} E_{tot})$ = energy carried by invisible particles
 - $(0 p_{tot})$ gives the direction of invisible particles
 - Total momentum only in the transverse plane (E_{CM} is not known in hadronic colliders)
- Muons (Inner Detector + Muon Spectrometer)
- EM and Hadron calorimeters to distinguish hadrons from electrons and photons
- Associate showers with charged tracks extrapolated to the entrance of calorimeters
- showers not associated to any charged particle (\rightarrow neutral EM or hadronic particle)
- Reconstruct jets

	p of charged tracks	Energy of all particles	ldentify photons electrons	ldentify muons	Associate tracks & showers	Jets	E _{tot} & p _{tot}
ID	\checkmark		\checkmark	\checkmark	\checkmark	\checkmark	
EM-calo				\checkmark	\checkmark	\checkmark	
H-Calo				\checkmark	\checkmark	\checkmark	
µ-spec	\checkmark						



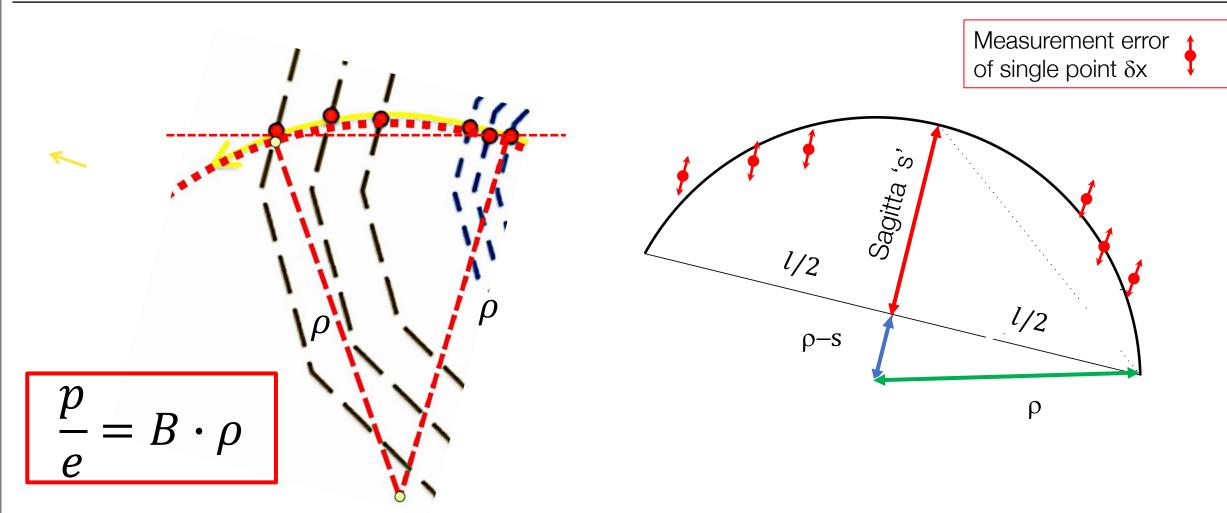
Measurement of Momentum p in a B Field



- Non-destructive measurement \rightarrow ionization energy losses (det. elements) are $\ll p$
- Tracking detectors are ~perpendicular to the trajectory of the charged track
- Multiple position measurement along the trajectory \rightarrow the curvature \rightarrow momentum



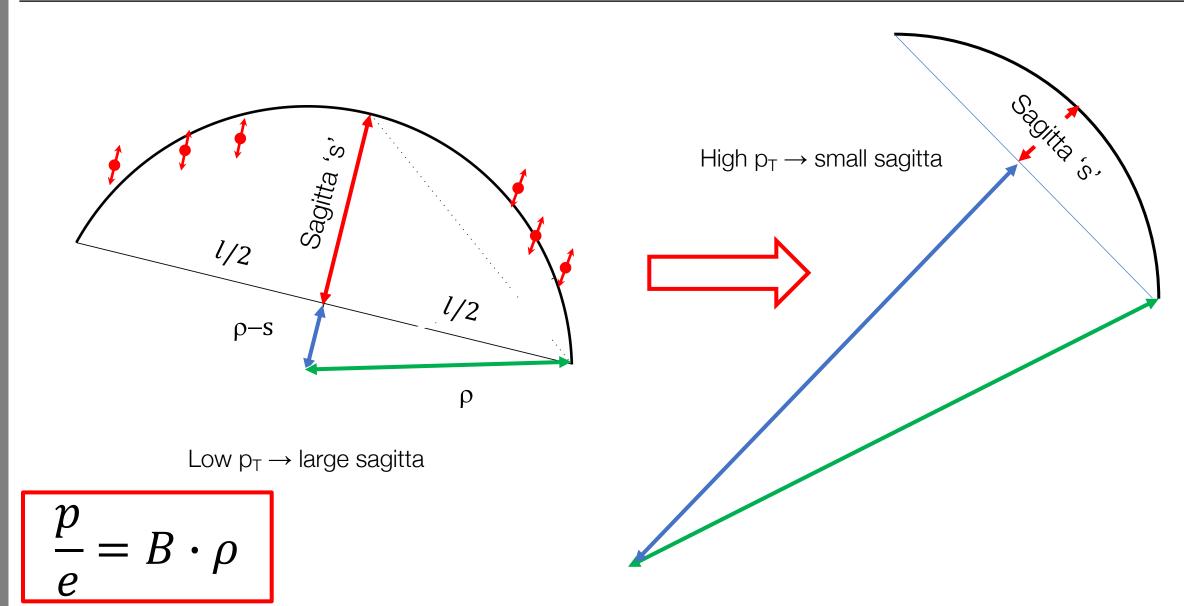
Measurement of Momentum p



Momentum is determined by measuring the radius of curvature in magnetic field $p \propto \rho$. In practice what is measured is the sagitta 's'



Toni Baroncelli: Detectors





Measuring Physical Quantities

The component of p_T perpendicular to the direction of B is given by

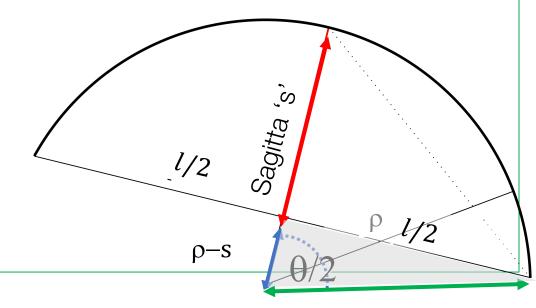
$$\frac{p}{e} = B \cdot \rho \rightarrow \qquad p_{\rm T} = 0.3 \cdot q \cdot B(l) \cdot \rho \rightarrow \frac{1}{p_{\rm T}} = \frac{1}{\rho \cdot B(l) \cdot 0.3 \cdot q}$$

$$\sin\left(180 - 90 - \frac{\theta}{2}\right) = \cos\left(\frac{\theta}{2}\right)$$

with units GeV, Tesla, meters. q is the charge of the particle, r is the radius of curvature and I is the position along the trajectory.

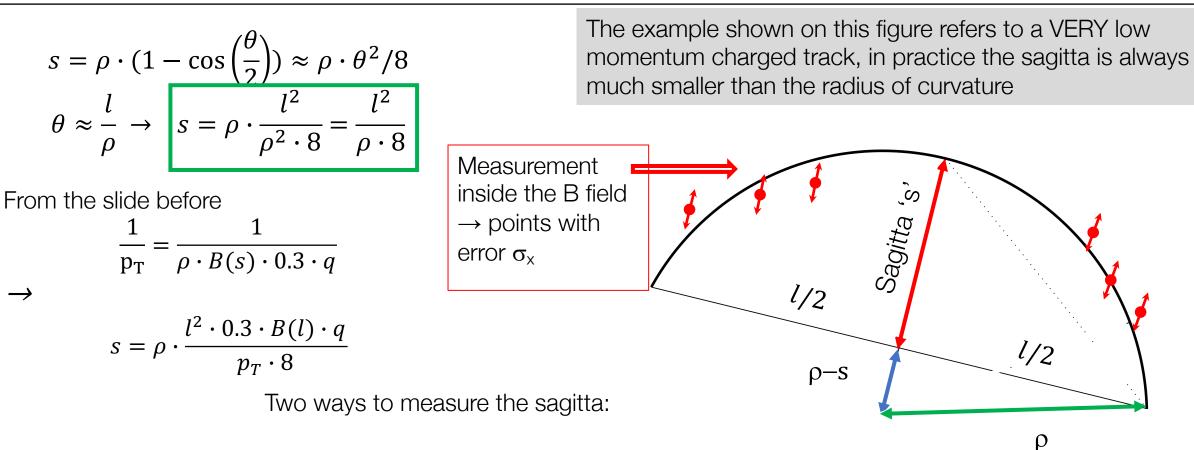
If we consider the triangle enclosed by 'l/2', $\rho\text{-s}$ and ρ we can write the relation

$$\begin{aligned} (\rho - s)^2 + (l/2)^2 &= \rho^2 \\ \rho \cdot \cos\left(\frac{\theta}{2}\right) &= \rho - s \ \rightarrow s = \rho \cdot (1 - \cos\left(\frac{\theta}{2}\right)) \\ for \ small \frac{\theta}{2} \ we \ expand \ \cos\left(\frac{\theta}{2}\right) &\approx 1 - \theta^2/8 \\ s &= \rho \cdot (1 - \cos\left(\frac{\theta}{2}\right)) \approx \rho \cdot \theta^2/8 \end{aligned}$$





Measurement of Momentum in B Field



- Using measurements inside the B field: Inner Detectors inside a solenoid \rightarrow circle that *best* passes through the measurement \rightarrow fit
- Using measurements done **outside the magnetic field**, in this case the direction of the track before and after the B field region



Error on p_T

Simplified example measurement with 3 points $x_{1,2,3}$:

$$\sqrt{\frac{3}{2}} = \sqrt{1^2 + \frac{1}{2^2} + \frac{1}{2^2}}$$

$$s = x_2 - \frac{x_1 + x_3}{2} \rightarrow \frac{\sigma(p_T)}{p_T} = \frac{\sigma(s)}{s} = \frac{\sqrt{3/2} \cdot \sigma_x}{s} = \frac{\sqrt{3/2} \cdot \sigma_x \cdot 8p_T}{0.3 \cdot B(l) \cdot l^2}$$

A more general formula has been derived for N equidistant measurements (R.L. Gluckstern, NIM 24 (1963) 381) :

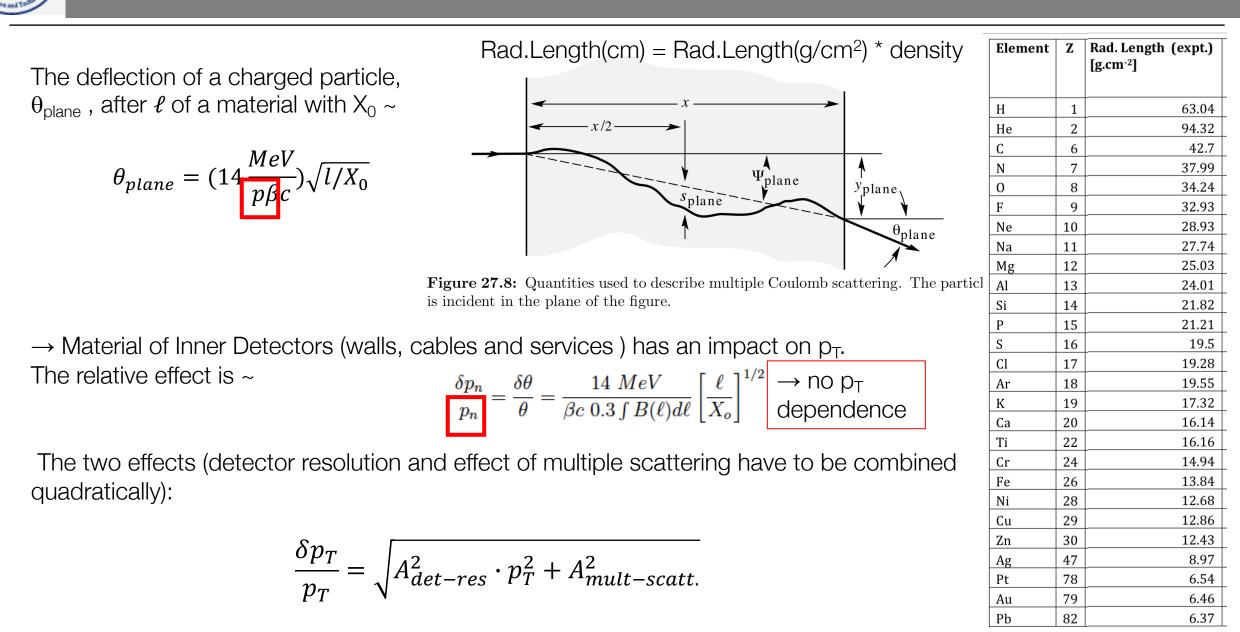
$$\frac{\sigma(p_T)}{p_T} = \frac{\sigma_x \cdot p_T}{0.3 \cdot B(l) \cdot l^2} \cdot \sqrt{\frac{720}{N+4}} \text{ for } N \ge \sim 10$$
The period of p_T depends
$$x_1$$

The relative resolution on the measurement of p_T depends

- on the precision of the single measurement and
- linearly on p_T: it worsen with increasing momentum. This is qualitatively intuitive if one considers that the curvature becomes larger (and the sagitta smaller) when p_T increases.
- On the inverse of square root of the number N of measurements

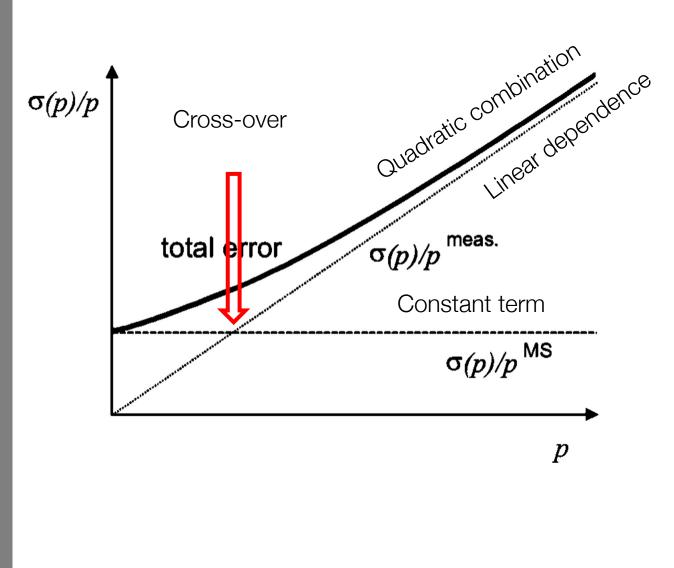
Important effect: the multiple scattering. Charged particles undergo a large number of small deflections when passing through matter

Multiple Scattering Impact on p_T





Ideal Situation

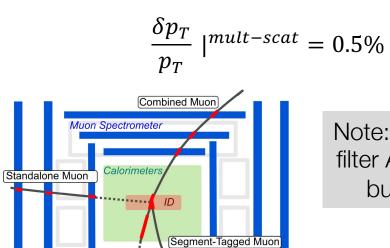


Example:

$$p_T$$
 = 1 GeV, ℓ = 1m, B = 1T, N=10, σ_x = .2mm

$$\frac{\delta p_T}{p_T} \mid^{det-res} = 0.5\%$$

Assume the detector to be filled with atmospheric pressure Argon (gas), $X_0 = 110m$

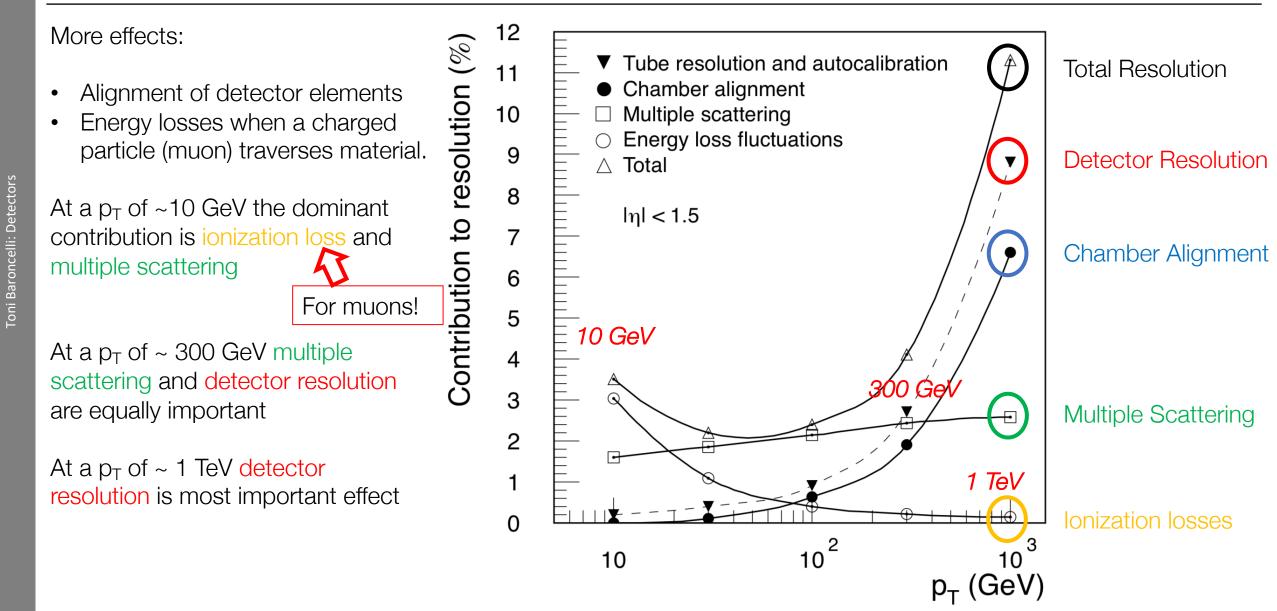


Calo-Tagged Muon

Note: calorimeters filter ALL particles but Muons !



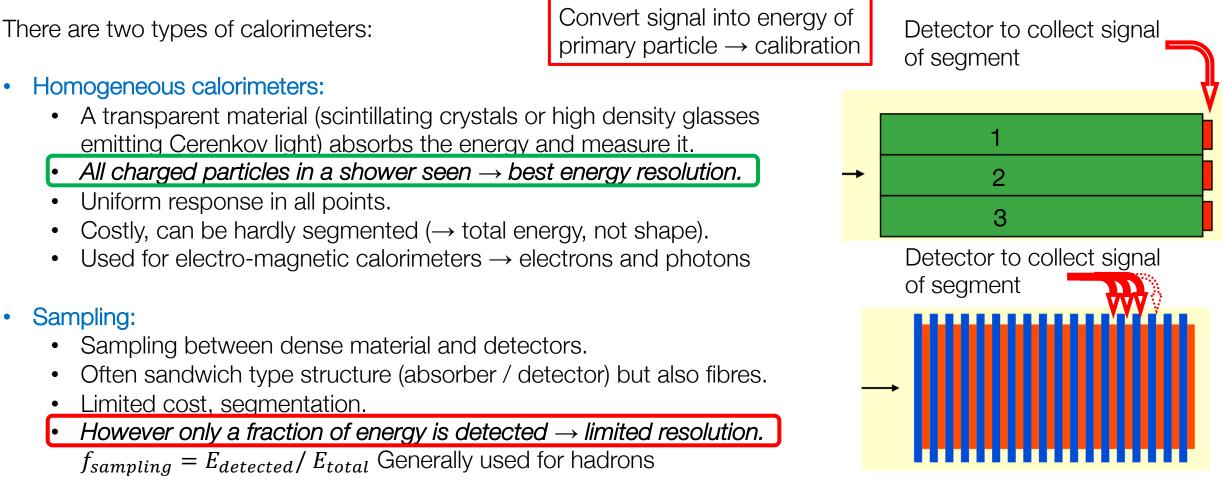
(Muon) p_T Resolution in ATLAS





Energy Measurement in Calorimeters

- A destructive measurement: a large number of nuclear and/or EM processes in a dense medium.
- Showers; Shape depends on material and on particle \rightarrow identify!





Dimensions of Calorimeters

A characteristic parameter (\rightarrow used material) determines the development of showers

- electrons/photons: Radiation Length (EM interactions) ٠
- hadrons showers the Interaction Length (Hadronic interactions) ٠

					Aint [CIII]	V0 [CIII]
	Typical Length	Longitudinal Size (95% containment)	Transverse Size (95% containment)	Scint	79.4	42.2
EM Showers	Radiation Length $X_0 \sim \frac{A}{Z^2} if A \approx Z \rightarrow$	15 to 20 X ₀	~2 X ₀	LAr	83.7	14.0
Hadron	$X_0 \sim 1/A$ interaction length	6 to 9 λ _{int}	1 λ _{int}	Fe	16.8	1.76
Showers	$\lambda_{int} \sim A^{1/3}$	$\lambda_{int}/X_0 \approx A^{4/3} \rightarrow \lambda_{int} \gg X_0$		Pb	17.1	0.56
$\lambda_{int}/\lambda_0 \approx A' \rightarrow \lambda_{int} \gg \lambda_0$				U	10.5	0.32

C

38.1

18.8

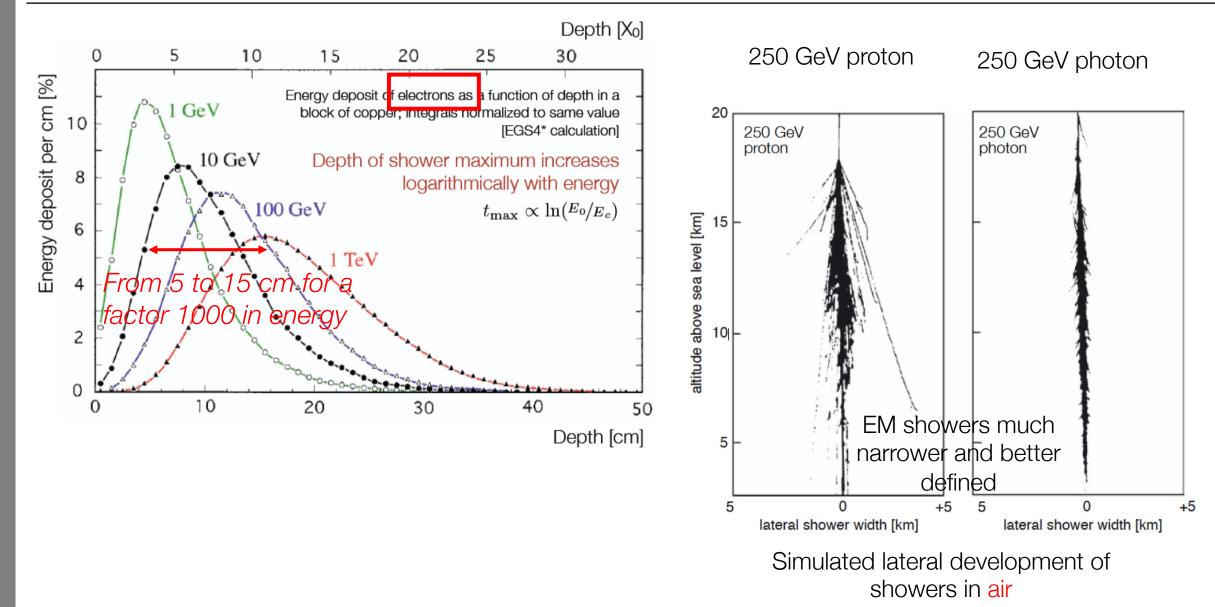
 \rightarrow Hadron calorimeters much longer than EM calorimeters.

- The length of showers ~ log(primary energy) ٠
- \rightarrow Calorimeters contain showers in large range of energies



Toni Baroncelli: Detectors

The Shower Development



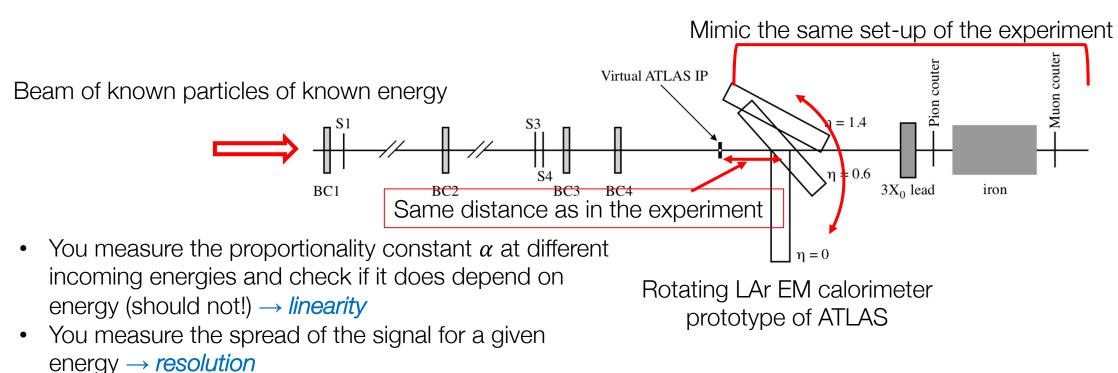


Calorimeters & Test Beams

A calorimeter signal S measured \propto number N of nuclear interactions \propto energy E.

$$S = \sum$$
 nuclear interactions = $\alpha \cdot E$

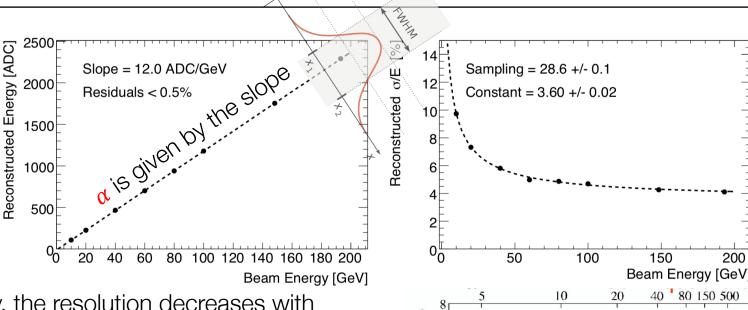
 α converts the calorimeter signal into energy. α has to be determined.





Energy Response

- The figure \rightarrow the response of a calorimeter to beam particles of different energies is linear
- The distribution of the signal at a given energy gives the 'resolution'.



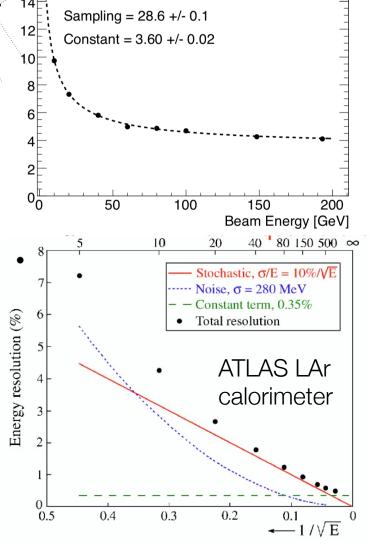
The signal of a shower is linear with energy, the resolution decreases with energy

$$\frac{\delta E}{E} \approx \frac{dN}{N} \approx \frac{\sqrt{N}}{N} = \frac{const}{\sqrt{E}}$$
 Decreases with energy

In real life the resolution is subject to several effects and they have to be combined quadratically \rightarrow a more complex parametrisation is normally used:

$$\sigma_{tot}^{2} = \sigma_{stat}^{2} + \sigma_{lekeage}^{2} + \sigma_{electronic noise}^{2} + \sigma_{non uniformities}^{2}$$

$$\frac{\sigma_{stat}}{E} = \frac{a}{\sqrt{E}} \quad \frac{\sigma_{lekeage}}{E} = \frac{b}{\frac{4\sqrt{E}}{2}} \quad \frac{\sigma_{electronic noise}}{E} = \frac{c}{E} \quad \frac{\sigma_{non uniformities}}{E} = d$$





Dead Material: how to Measure it?

... via photon conversion

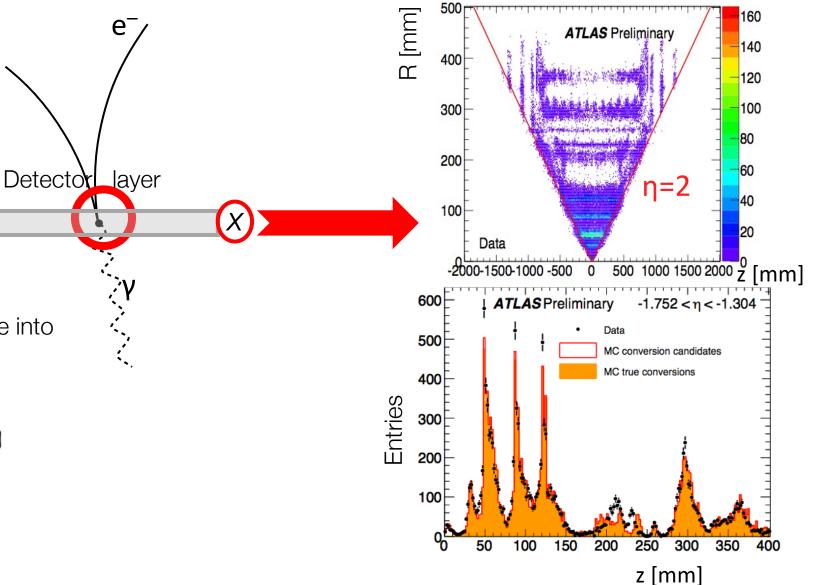
Selection:

- Two oppositely charged tracks with p_T > 0.5 GeV
- Small distance between tracks
- Good vertex; zero opening angle
- Well reconstructed tracks

Fraction of converted photons translate into radiation length

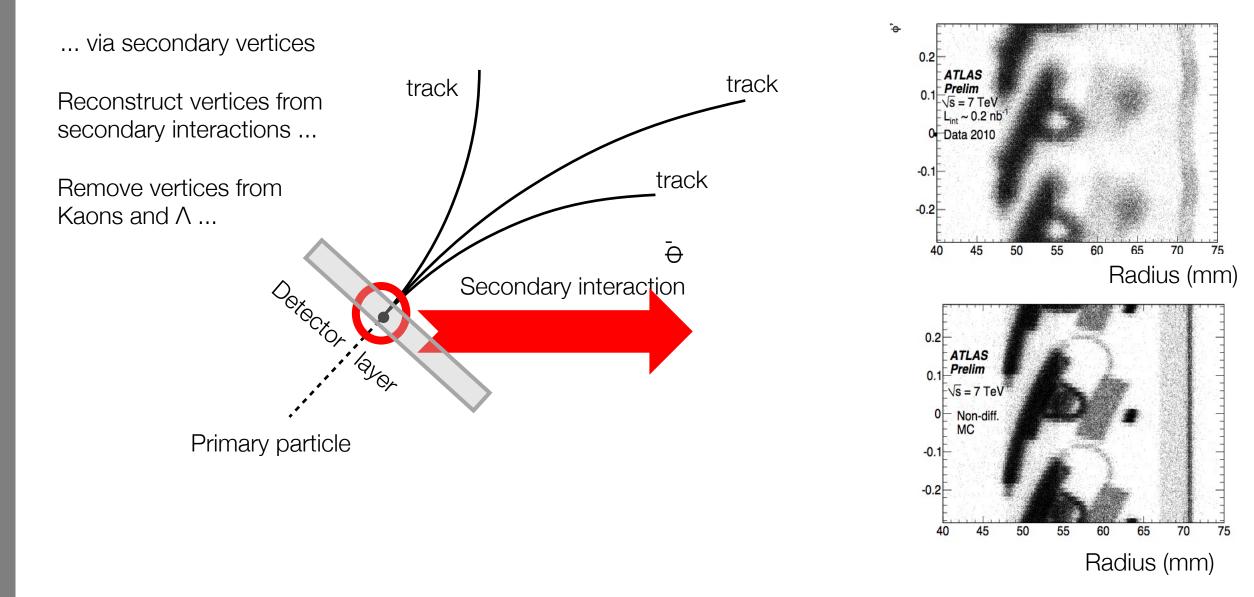
$$\frac{X}{X_0} = -\frac{9}{7}\ln(1 - F_{\mathrm{conv}})$$

 e^+





Hadronic Secondary Interactions





Radiography of the Detector

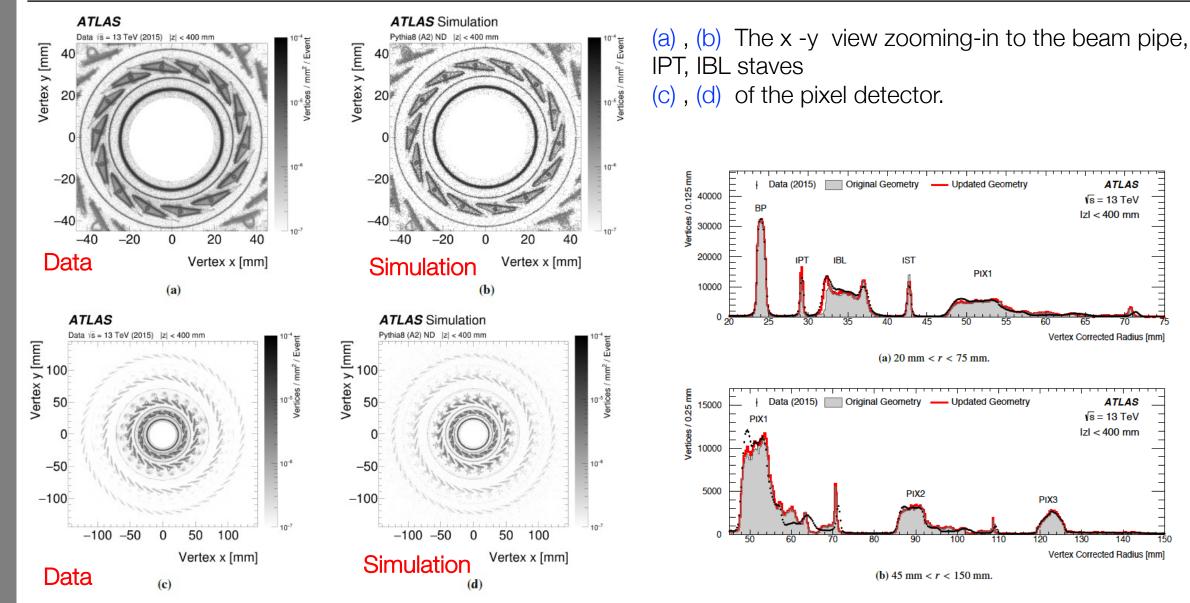




TABLE 5 Evolution of the amount of material expected in the ATLAS and CMS trackersfrom 1994 to 2006

	ATLAS		CMS	
Date	$\eta pprox 0$	$\eta \approx 1.7$	$\eta pprox 0$	$\eta \approx 1.7$
1994 (Technical Proposals)	0.20	0.70	0.15	0.60
1997 (Technical Design Reports)	0.25	1.50	0.25	0.85
2006 (End of construction)	0.35	1.35	0.35	1.50

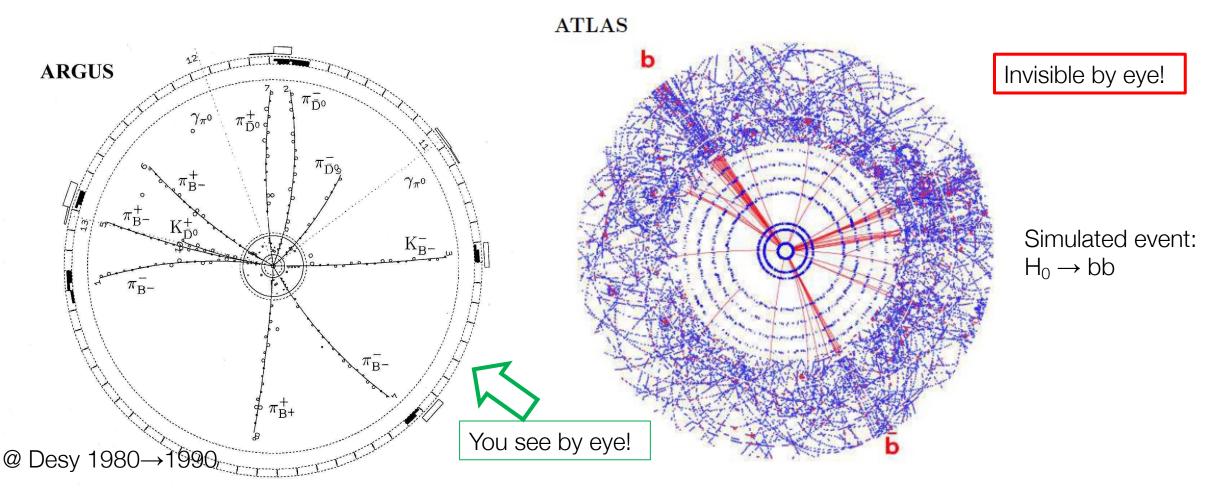
The numbers are given in fractions of radiation lengths (X/X_0) . Note that for ATLAS, the reduction in material from 1997 to 2006 at $\eta \approx 1.7$ is due to the rerouting of pixel services from an integrated barrel tracker layout with pixel services along the barrel LAr cryostat, to an independent pixel layout with pixel services routed at much lower radius and entering a patch panel outside the acceptance of the tracker (this material appears now at $\eta \approx 3$). Note also that the numbers for CMS represent almost all the material seen by particles before entering the active part of the crystal calorimeter, whereas they do not for ATLAS, in which particles see in addition the barrel LAr cryostat and the solenoid coil (amounting to approximately 2 X₀ at $\eta = 0$), or the end-cap LAr cryostat at the larger rapidities.



Toni Baroncelli: Detectors

Pattern Recognition

How to find which measurements (*) (hits) make a track and have to be fitted to compute a trajectory?



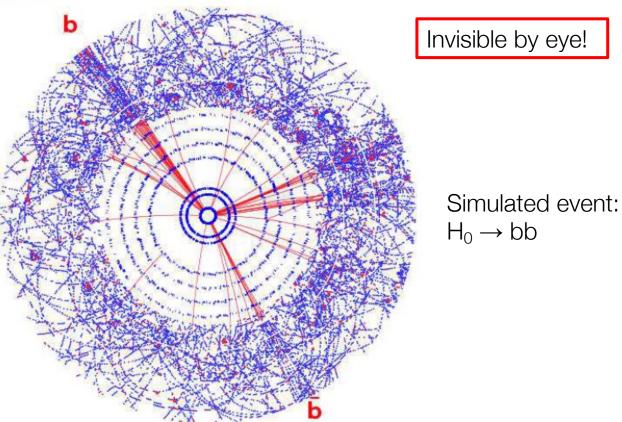
(*) One possible set of track parameters:

 $d_0, z_0, \phi_0, \vartheta_0, q/p$ (or tangent of the angles)



Complexity of Collider Experiments

ATLAS



In modern Experiments, already at the time the experiment is designed, you need to consider/know

- How different detectors contribute to the analysis of one single *feature (=characteristic)*
- How your analysis programs will solve the problem of very crowded and complex topologies
- \rightarrow it is more and more difficult to think in terms of single/isolated detectors
- → it is more and more difficult to separate hardware and analysis programs

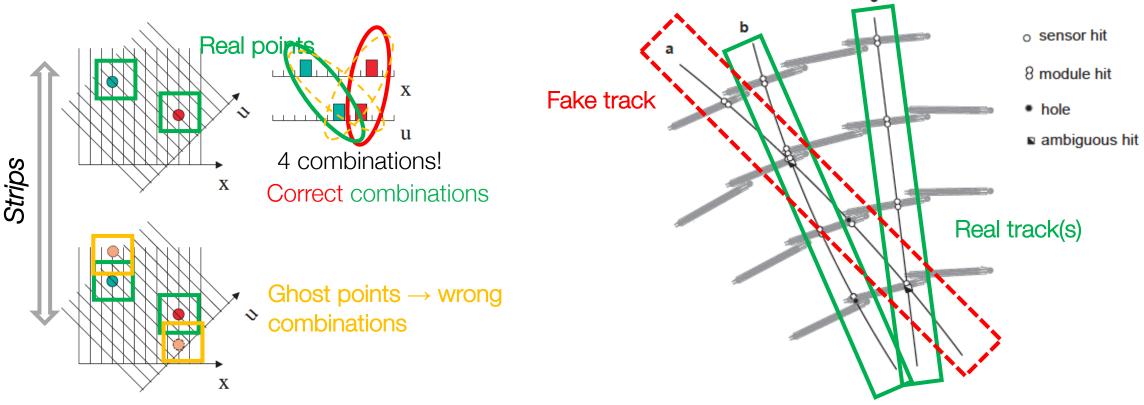
One Experiment = undistinguishable ensemble of many detectors and of analysis programs



How to find which measurements (*) (hits) make a track and have to be fitted to compute a trajectory?

In some cases you may arrange your detector to give you an indication \rightarrow u,v geometry

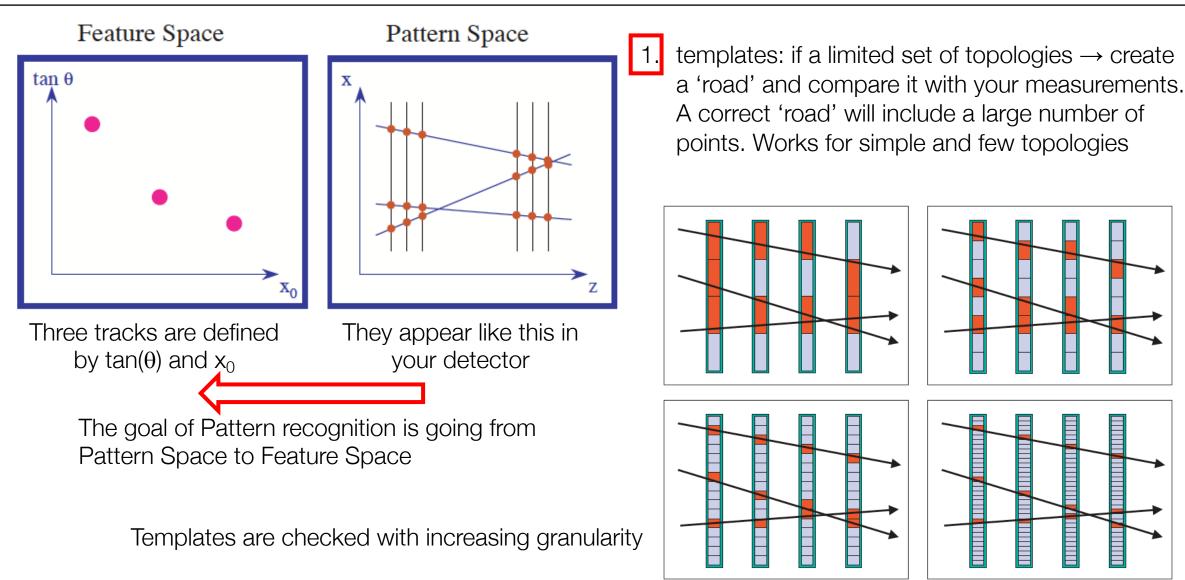
In some other cases you may have to 'score' your points



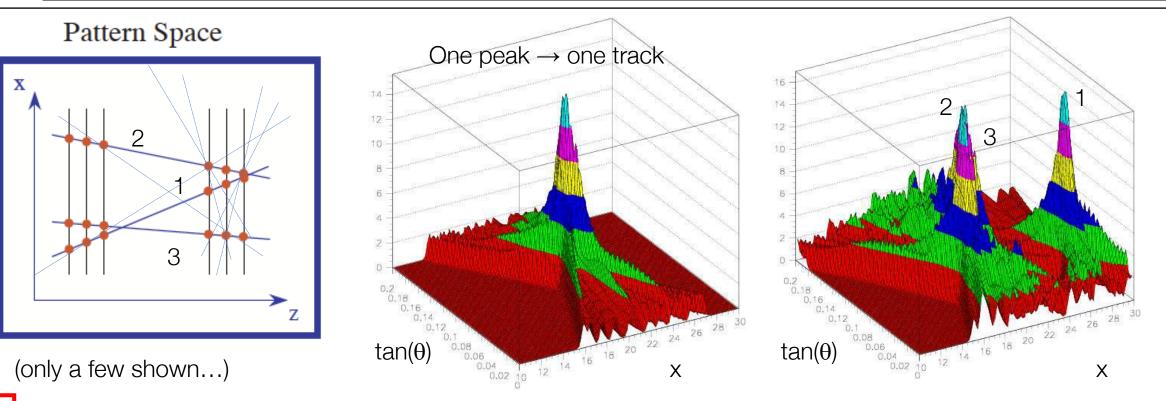
(*) One possible measurement: (impact parameter, direction and momentum) $d_0, z_0, \phi_0, \vartheta_0, q/p$

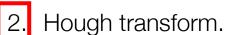


Basic Ideas in Pattern Recognition



Hough Transform





- Join all possible pairs of points with a line characterised by $tan(\theta)$ and x_0 .
- each pair of hits in two dimensions becomes a line;
- real track, \rightarrow many aligned points \rightarrow same tan(θ) and $x_0 \rightarrow$ peak in the 'Feature Space'.
- Wrong associations ~flat distribution.

 \rightarrow one peak indicates one track \rightarrow look for peaks



After Pattern Recognition: Track Fitting (~Old Way)

Use the least squares principle to estimate the kinematical parameters of a particle = track fitting.

Definition of "Chi Squared":

$$X^2 = \sum_i \frac{(m_i - f_p(x_i))^2}{\sigma_i^2}$$

Physical meaning: distance between fit function and hit normalised to measurement error

- measured points $m_i \pm \sigma_i$ (at position x_i) ϕ of a track have been correctly identified in the pattern recognition step.
- trajectory of a particle is described by an analytic expression f_p
 - $\succ p$ is the set of parameters \rightarrow the momentum in B field is one parameter
 - $\succ f_p(x_i) \blacktriangle$ is the coordinate predicted by the function (f might be a circle in a solenoid or a straight line)

Find the set of parameters p that minimises the X^2

Meaning: you find which is the trajectory which minimises the difference² between all measurements and trajectory

Better approach: include also multiple scattering and energy losses

$$\chi^2 = \sum_{meas} \frac{r_{meas}^2}{\sigma_{meas}^2} + \sum_{scat} \left(\frac{\theta_{scat}^2}{\sigma_{scat}^2} + \frac{(\sin\theta_{loc})^2 \phi_{scat}^2}{\sigma_{scat}^2} \right) + \sum_{Eloss} \frac{(\Delta E - \overline{\Delta E})^2}{\sigma_{Eloss}^2}$$

 $f_p(x_i)$

 $m_i \pm \sigma_i$

$$r_{meas}^2 = residual^2 = (difference\ measurement\ -\ function)^2$$



(~Modern) Pattern Recognition

In past experiments the track reconstruction consisted of two steps (possible in 'old' experiments):

- Pattern recognition
- Track fit

In modern track reconstruction, finding + fitting a track at the same time no clear distinction between pattern finding and track fitting.

As a consequence, the full chain of pattern recognition and track fitting will be a single unit.

The ATLAS / CMS track finding / fitting currently consists of three sequences

- 1. the *main inside-out track reconstruction* (start with a seed defined by the beam spot and the innermost hits of the vertex detector)
- 2. Followed by a consecutive outside-in tracking (recover ~unused / unassigned hits)
- 3. As a third sequence, the pattern recognition for the finding of V_0 vertices, kink objects due to bremsstrahlung and their associated tracks follows



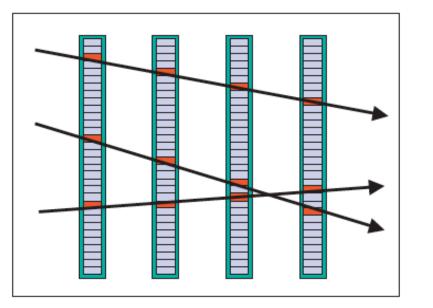
Track Fitting and Kalman Filter (~ Modern Way)

The X² method is not always convenient:

- 1. You need to have all points attributed to one track *before* the fit
- 2. It is expensive in terms of computing-time: a large number of points have to be handled in the X^2 fit: # measurements x # parameters of each measurement
- 3. to be repeated for many tracks!

$$N_{tracks} \cdot N_{hits} \cdot N_{parameters}$$

 \rightarrow use pattern recognition methods which are based on **track** following, where it is not clear a-priori the right hit combination



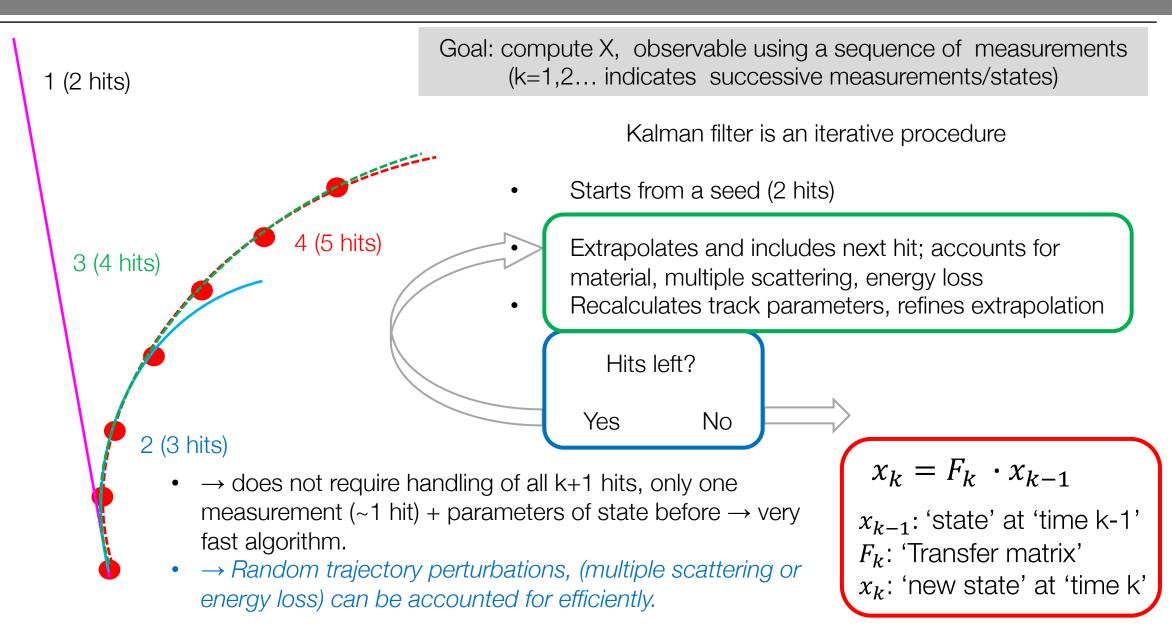
track following == the path is not clear a-priori \rightarrow the direction becomes clearer as you follow the trajectory \rightarrow Kalman filter technique

The Kalman filter proceeds progressively from one measurement to the next, improving the knowledge about the trajectory with each new measurement.

With a traditional global fit, this would require a time consuming complete refit of the trajectory with each added measurement.



Kalman Filter in a Cartoon





Kalman Filters

Kalman Filter approach consists of two steps:

- The prediction step: extrapolate current trajectory (state vector) to next measurement from the → discard noise signals and hits from other tracks.
- The transfer step, which updates the state vector

System state vector at the time *k* includes k-1 measurements and contains the parameters of the fitted track, given at the position of the kth hit (including hits before!) The corresponding measurement errors covariance matrix (*contains measurement errors*) by C_k . The matrix F_k describes the propagation of the track parameters from the (k - 1)th to the kth hit.

Example: planar geometry with one dimensional measurements and straight-line tracks

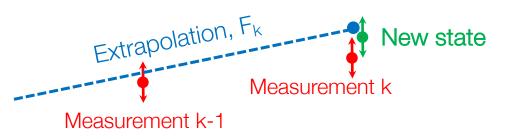
$$\begin{aligned} t_{x} &= \tan \theta_{x} \text{ the track slope in the xz plane,} \\ F_{k} &= \text{ transfer matrix} \end{aligned} \qquad \begin{aligned} x_{k} &= F_{k} \cdot x_{k-1} \\ \hline x_{k} &= t_{k} - z_{k-1} \\ \hline x_{k} &= t_{k} - z_{k-1} \\ \hline x_{k} &= x_{k-1} + t_{x} \cdot (z_{k} - z_{k-1}) \\ \hline x_{k} &= t_{x} @ k - 1 \end{aligned} \qquad \begin{aligned} x_{k} &= x_{k-1} + t_{x} \cdot (z_{k} - z_{k-1}) \\ \hline x_{k} &= t_{x} @ k - 1 \end{aligned}$$



The extrapolation from one state to another (in page before) is valid in general:

$$x_k = F_k \cdot x_{k-1}$$

The transfer matrix F_k transports the state x_{k-1} (at the measurement point 'k-1') to the next state x_k at measurement point k



Error on track
$$C_k = F_k C_{k-1} F_k^T + Q_k$$

 C_k is the error matrix extrapolated from the state x_{k-1} (generally called Covariance Matrix). It contains errors on measurements (diagonal terms) but also the correlation among different terms.

A new term appears: Q_k is due to 'random' perturbations to the particle trajectory (mostly) multiple scattering $\rightarrow \sim exact \ knowledge \ of \ material \ distribution$

- 1. We extrapolated the state x_{k-1} from measurement k-1 to state x_k at measurement point k
- 2. We have to include new measurement k. The formalism is a bit complicated and can be found in reference (*)

A Kalman-Filter approach is used in modern collider esperiments

(*) Pattern Recognition and Event Reconstruction in Particle Physics Experiments: R. Mankel1

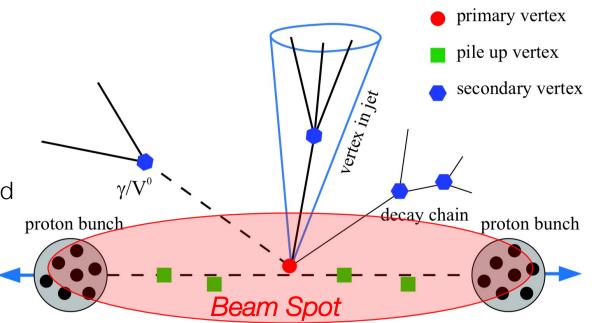


The recording of one event is started by the 'trigger system' that detects 'interesting characteristics' \rightarrow primary vertex

 \rightarrow during the time window of the trigger more than one interaction takes place \rightarrow Pile-up vertices *(next slide)*

Collision event:

- One primary vertex from the hard inelastic collision
- Several pile-up vertices (pp interactions, superimposed to the *triggered* primary vertex)
- Secondary vertices are produced due to
 - Decay-chain: decays of long-lived b-particles decaying into c-particles (tertiary vertex)
 - ✓ (V^0) Decays of neutral particles (like photon conversions into electron pairs $\gamma \rightarrow e^+e^-$)

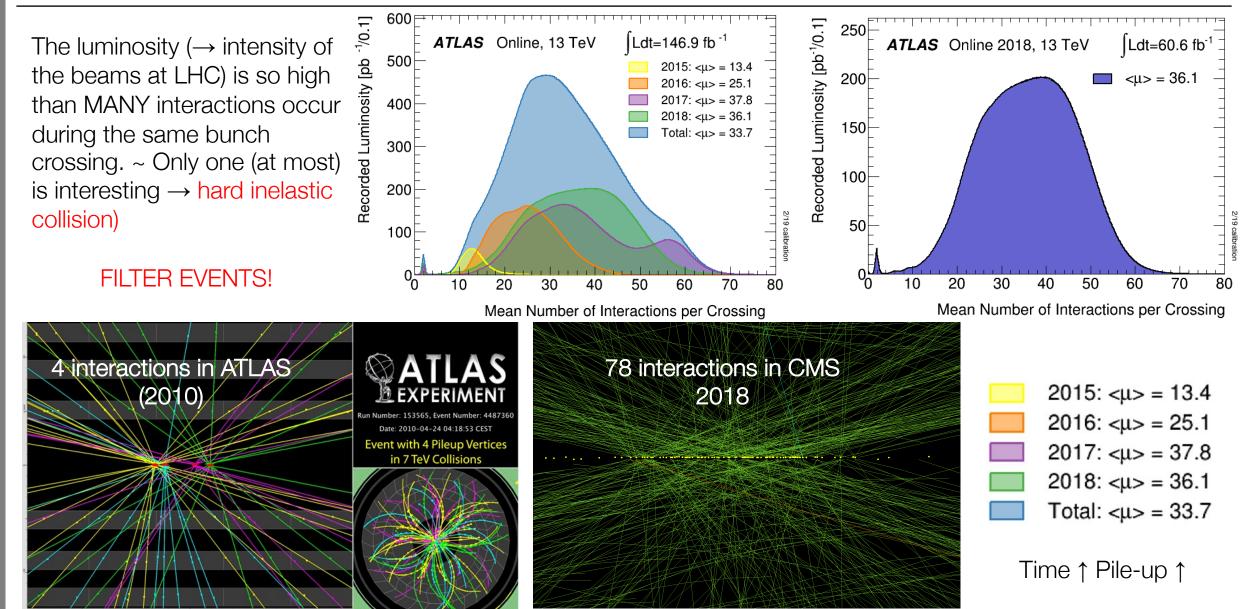




Toni Baroncelli: Detectors

$\langle \mu \rangle = \langle Num. of interactions in 1 bunch \rangle$

Pile-up





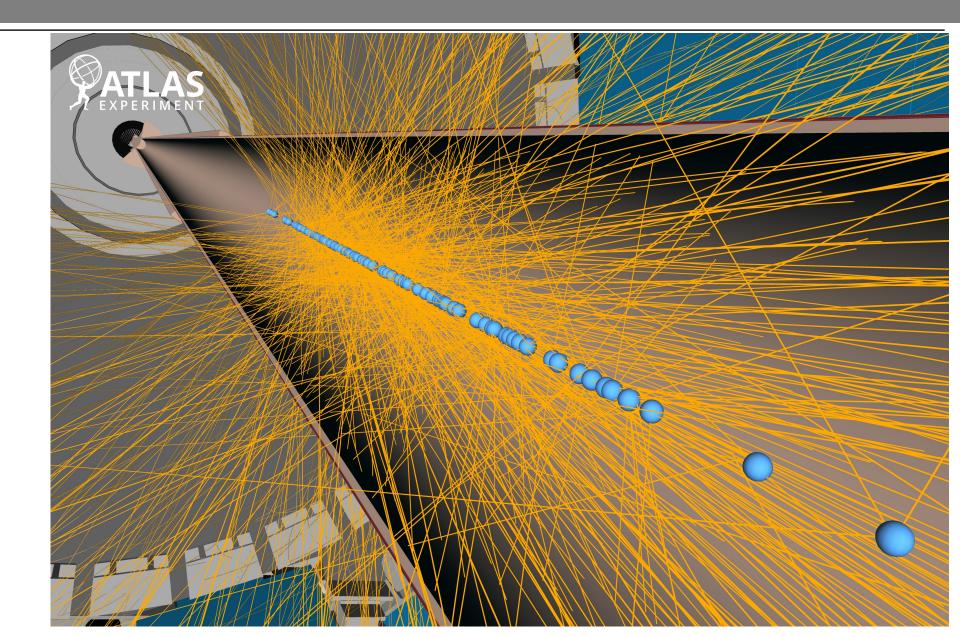
One simulated event with 88 reconstructed vertices

A visualisation of simulated $t\bar{t}$ quark pair production in a pp collision at

14 TeV HL-LHC

The simulated event includes approximately

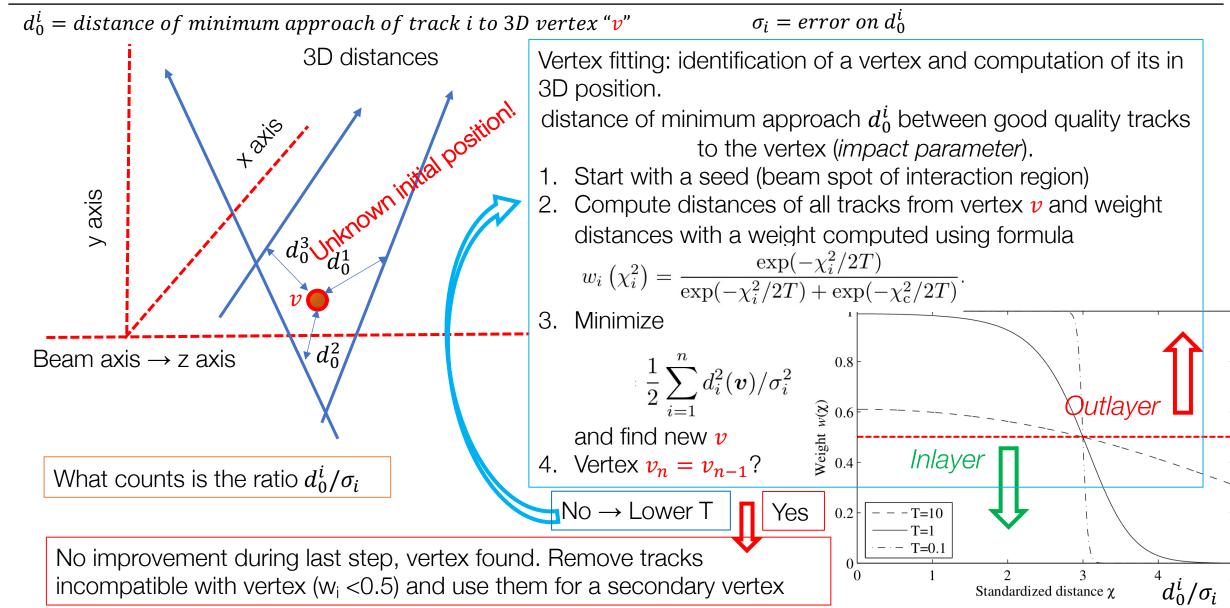
- 200 pileup interactions in the same bunch crossing
- 88 primary vertices (blue balls) reconstructed along the beam line.





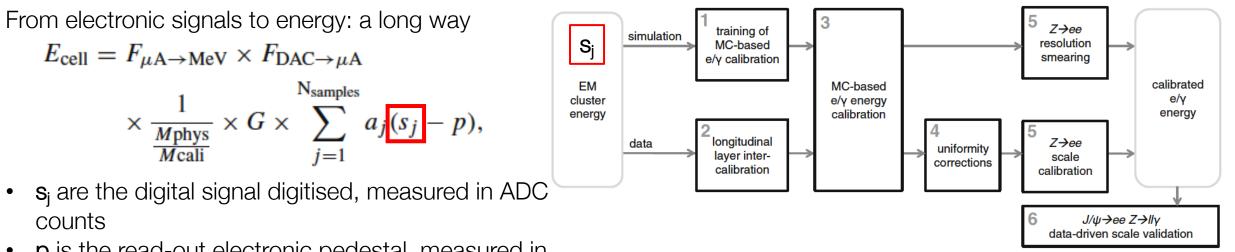
Toni Baroncelli: Detectors

Vertex Finding and Fitting





EM – Calorimetry: Calibration



- p is the read-out electronic pedestal, measured in dedicated calibration runs;
- a_j weights are coefficients derived from the predicted shape of the ionisation
- The cell gain **G** is computed by injecting a known calibration signal and reconstructing the corresponding cell response. (equalise response)
- The factor M_{phys}/M_{cali} quantifies the ratio of the maxima of the physical and calibration pulses

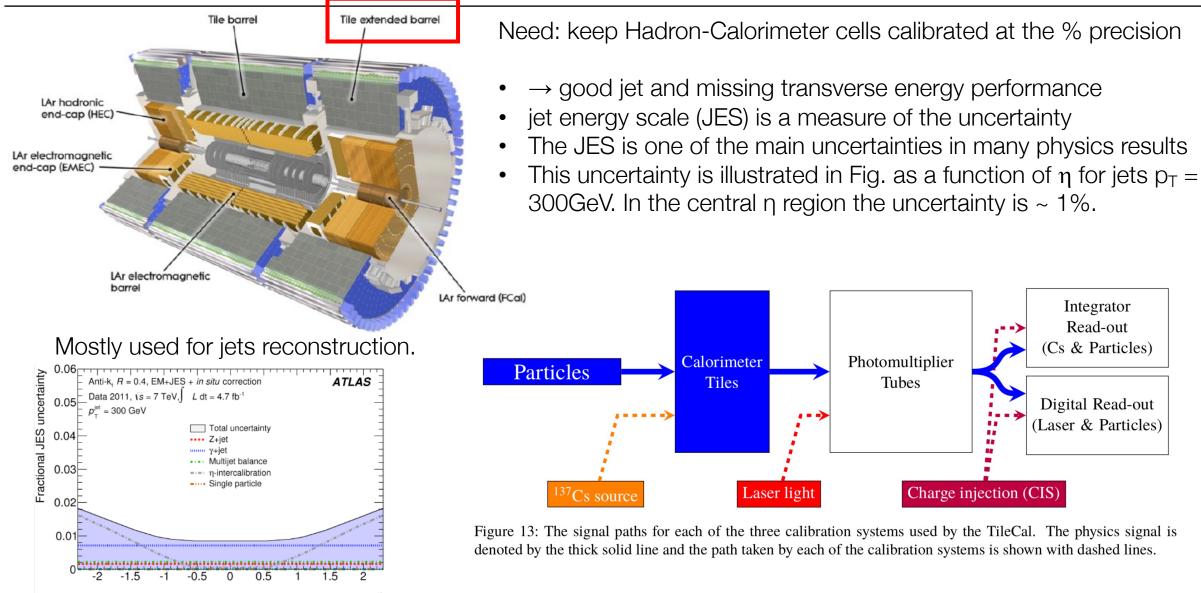
corresponding to the same input current, corrects the gain factor G obtained with the calibration pulses to adapt it to physics-induced signals;

- The factor F_{DAC→µA} converts digital-to-analog converter (DAC) counts set on the calibration board to a current in µA;
- The factor $F_{\mu A \rightarrow MeV}$ converts the ionisation current to the total deposited energy at the EM scale and is determined from test-beam studies.

Calibration pulses and physical pulses are different



Hadron Calorimetry (example: ATLAS)





EM – Calorimetry: Absolute Calibration

Z and J/ Ψ decays to a pair of e⁺e⁻ can be used to verify and adjust the calibration of EM calorimeters (but use also W \rightarrow ev):

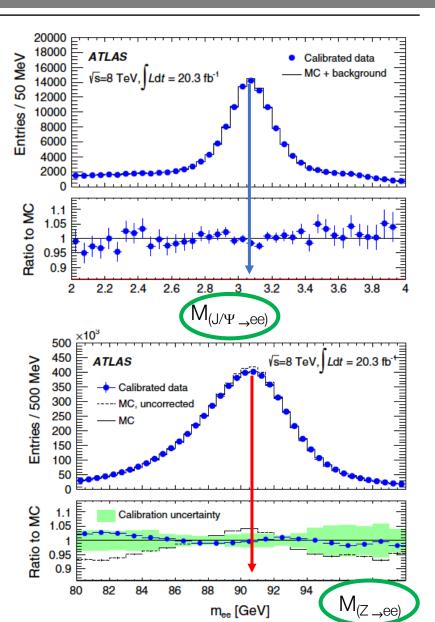
Well known!
$$m_{Z,J/\psi}^2 = (E_{e^+} + E_{e^-})^2 - (\vec{p}_{e^+} + \vec{p}_{e^-})^2 = f(E_{e^+}, E_{e^-}) \rightarrow$$

Find the transformation (simple example: $E^{corrected} = \mathbf{a} \cdot E$), of the two energies that which gives the

- Correct mass of Z and J/Ψ
- Gives the narrowest invariant mass distribution

Use large samples of events \rightarrow (and verify if the response is constant in different η, ϕ regions (Also adjust MC!).

Process	Selections	N ^{data} events
$Z \rightarrow ee$ Different	$E_{\rm T}^e > 27 \text{ GeV}, \eta^e < 2.47$ 80 < $m_{ee} < 100 \text{ GeV}$	5.5 M
$W \rightarrow e\nu$ -kinematic	$E_{\rm T}^e > 30 \text{ GeV}, \eta^e < 2.47$	34 M
regions $J/\psi \rightarrow ee$	$E_{\rm T}^{\rm miss} > 30 {\rm GeV}, m_{\rm T} > 60 {\rm GeV}$ $E_{\rm T}^e > 5 {\rm GeV}, \eta^e < 2.47$	0.2 M
	$2 < m_{ee} < 4 \mathrm{GeV}$	





Hadron Calorimeters: Absolute Calibration

In EM calorimeters decays to Z and J/ Ψ to e^{\pm} to check reconstruction.

Hadron Calorimeters: two approaches are used.

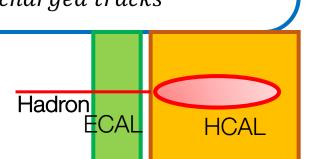
• Use cosmic muons: single isolated muons (from cosmic muons or *Z/W* decays), measure

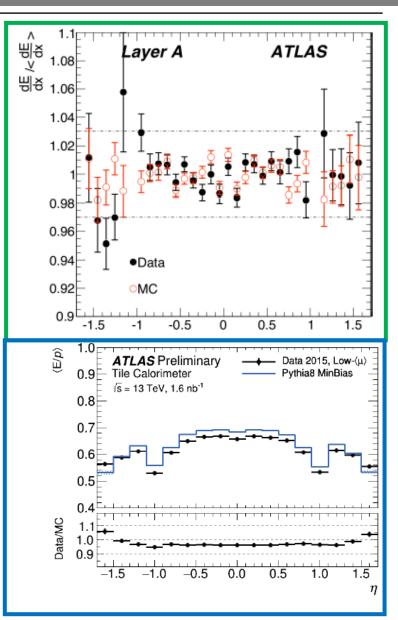
energy deposited/path length (~very large extrapolation!!)

Use single isolated charged hadrons, require a signal compatible with a minimum ionizing particle in the electromagnetic calorimeter in front of the hadron calorimeter was required (shower starts in Hadron Calorimeter) measure

energy measured/momentum of charged tracks

 \rightarrow compare data & MC \rightarrow good agreement



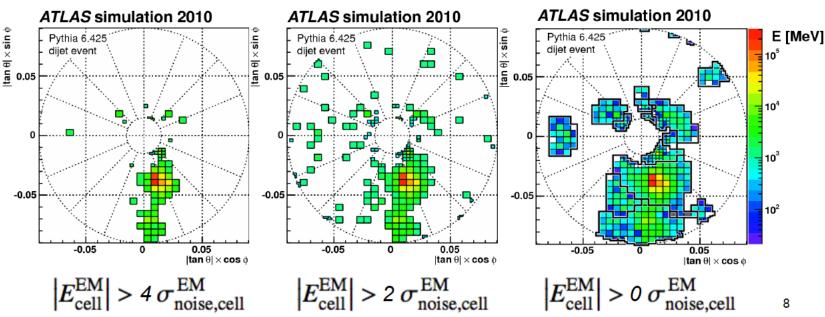




(Topological) Clusters in Calorimeters

Cells in calorimeters \rightarrow Clusters of energy deposition

- Identify 'starting' cells (seeds) with energy measurements $E_{deposition} > 4 \cdot \sigma_{noise}$
- Associate more cells laterally and longitudinally in two steps
 - ✓ add all adjacent cells with energy measurements $E_{deposition} > 2 \cdot \sigma_{noise}$
 - ✓ add all adjacent cells with energy measurements $E_{deposition} > \sigma_{noise}$
- Split two local energy maxima into separate clusters



 σ_{noise} is the threshold electronic signal that indicates a significant $E_{deposition}$



Comments to Topo-Clusters

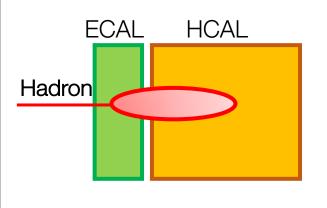
The topological clustering algorithm employed in ATLAS is not designed to separate energy deposits from different particles, but rather to separate continuous energy showers of different nature, i.e. electromagnetic and hadronic, and also to suppress noise.

Few comments:

- A large fraction of low-energy particles are unable to seed their own clusters: In the central barrel 25% of 1 GeV charged pions do not seed their own cluster.
- They are *initially calibrated to the electromagnetic scale (EM scale)* to give the same response for electromagnetic showers from electrons or photons.
- Hadronic interactions produce responses that are lower than the EM scale, by amounts depending on where the showers develop.
- To account for this, the mean ratio of the energy deposited by a particle to the momentum of the particle is determined based on the position of the particle's shower in the detector. A local cluster (LC) weighting scheme is used to calibrate hadronic clusters to the correct scale.
- \rightarrow Further development is needed to combine this with particle flow



Hadrons may deposit energy in both Electromagnetic calorimeters (ECAL) and Hadron calorimeters (HCAL).



Conversion factors $E_{deposition} \rightarrow True \ Energy$ are different for ECAL & HCAL and depend on particle type, position, true energy

 $\rightarrow E_{calibrated} = a + b(E)f(\eta)E_{ECAL} + c(E)g(\eta)E_{HCAL}$

 $\chi^2 = \sum_{i=1}^N \frac{\left(E_i^{\text{calib}} - E_i\right)^2}{\sigma_i^2},$

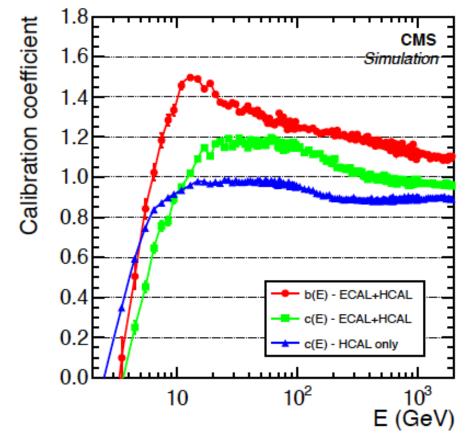
- *E_{calibrated}* is the 'real particle energy'
- E_{ECAL} and E_{HCAL} are the energies measured in the ECAL and the HCAL
- *a* accounts for energy lost because of σ_{noise} threshold
- b(E) and c(E) are conversion factors
- $f(\eta)$ and $g(\eta)$ correct energy in different η regions

These parameters have to be determined from data: use

- Simulated data: true energy (MC!) is taken as $E_{calibrated}$
- Large samples of isolated charged showers: the momentum reconstruction is taken as $E_{calibrated}$

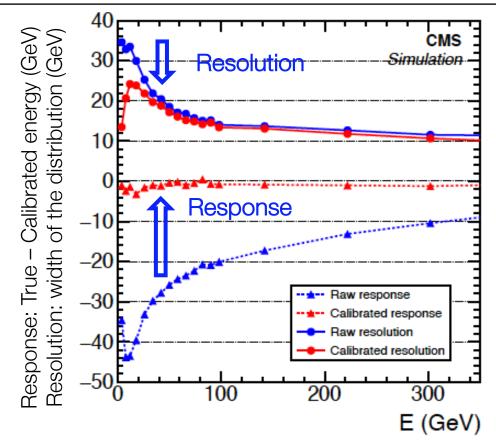
In a first pass, the functions f (η) and $g(\eta)$ are fixed to unity.





Calibration coefficients vs energy E, for hadrons

- HCAL only (blue triangles),
- ECAL and HCAL, for
 - $\checkmark\,$ the ECAL (red circles) and
 - $\checkmark\,$ for the HCAL (green squares)



Single isolated hadrons:

- Relative raw (blue) and calibrated (red) energy response (dashed curves and triangles)
- resolution (full curves and circles)



Muon Reconstruction at LHC

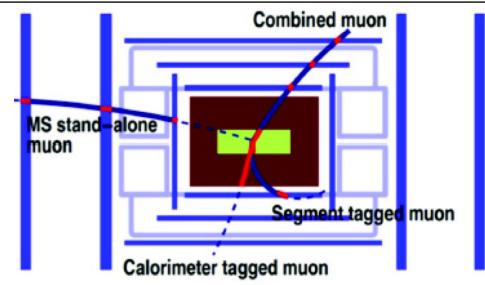
Issue	ATLAS	CMS	
Design	Air-core toroid magnets Standalone muon reconstruction	Flux return instrumented Tracks point back to collision point	
Barrel Tracking	Drift tubes Precision: ~ 80-120 µm	Drift tubes Precision: 100–500 µm	
End-cap Tracking	Cathode strip chambers High rate capability	Cathode strip chambers High rate capability	
Barrel Trigger	Resistive plate chambers Fast response [5 ns]	Resistive plate chambers Fast response [5 ns]	
End-cap Trigger	Thin gap chambers Fast response, high rates		



Muon Reconstruction in ATLAS

Muons

- are filtered by calorimeters
- Seen in the Inner detector and in the muon spectrometer.
 - These two tracks have to be associated @ reference plane
 - The momentum has to be computed by combining the two associated tracks + account the energy lost in calorimeters



Very high energy muons (close to 1 TeV) may shower like electrons, these cases are called "catastrophic energy losses"

Different types (== different reconstructions)

- Combined: ID + MS + full track refit. Main reconstruction type
- Stand-alone (SA): MS-only track with identification and reconstruction. Recovers muons for $|\eta|$ >2.5
- Segment-tagged: one ID track is associated to one segment of track measured in the MS (incomplete MS track)
- CaloTag: charged track in the ID associated to an energy deposition of a minimum ionizing particle in the calorimeter. Low energy muons that do not penetrate up to the MS



Muon Reconstruction in CMS

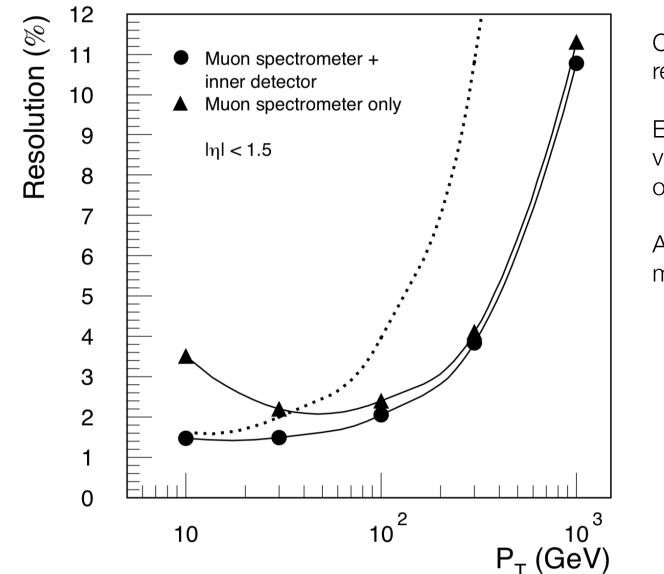
The momentum of muons is measured both in the inner tracker and in the muon spectrometer. There are three different muon types:

- standalone muon. Hits in the muon spectrometer only are used to form muon segments that are combined in a track describing the muon trajectory. The result of the final fitting is called a standalone-muon track.
- global muon. Each standalone-muon track is matched (if possible!) to a track in the inner tracker if the parameters
 of the two tracks propagated onto a common surface are compatible. The hits from the inner track and from the
 standalone-muon track are combined and fit to form a global-muon track. At large transverse momenta, p_T>200
 GeV, the global-muon fit improves the momentum resolution with respect to the tracker-only fit.
- *tracker muon*. Each inner track with p_T larger than 0.5 GeV and a total momentum p in excess of 2.5 GeV is extrapolated to the muon system. If at least one muon segment matches the extrapolated track, the inner track is defined as a tracker muon track.

About 99% of the muons produced within the geometrical acceptance of the muon system are reconstructed either as a global muon or a tracker muon and very often as both. Global muons and tracker muons that share the same inner track are merged into a single candidate. Muons reconstructed only as standalone-muon tracks have worse momentum resolution and are contaminated by cosmic. Charged hadrons may be mis-reconstructed as muons if some part of the hadron shower reach the muon system (punch-through).







Combining ID + MS improves resolution always.

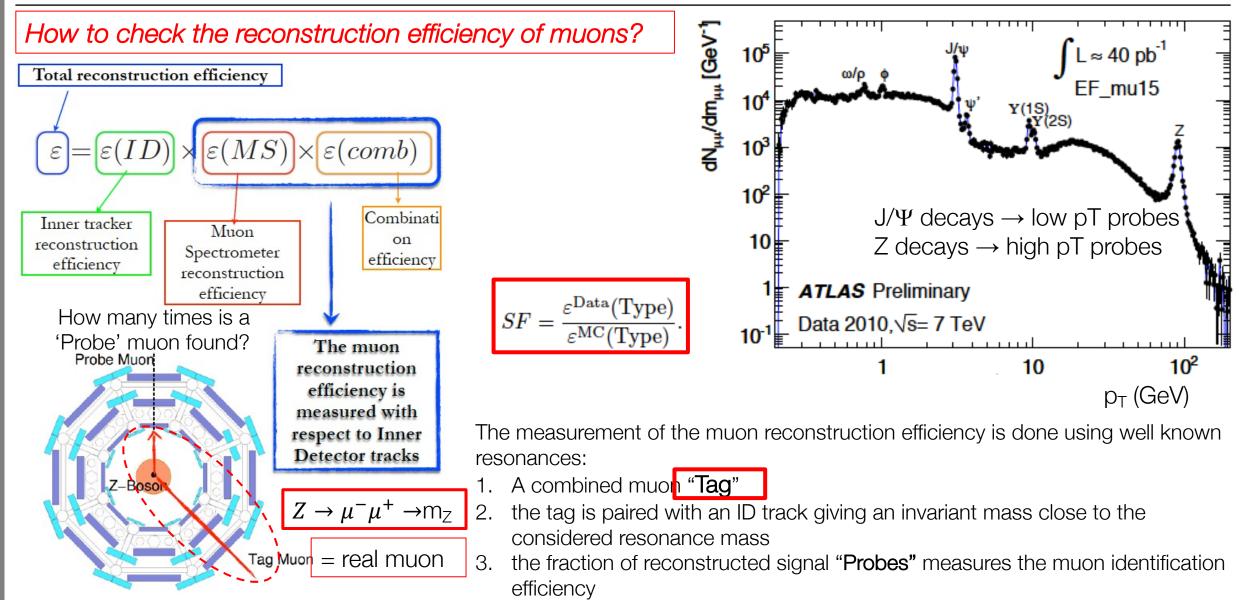
Effect is mostly visible at low p_T values ~ 10 GeV where a factor of two is gained in resolution

At high p_{T} (~1 TeV) the resolution mostly comes from the MS



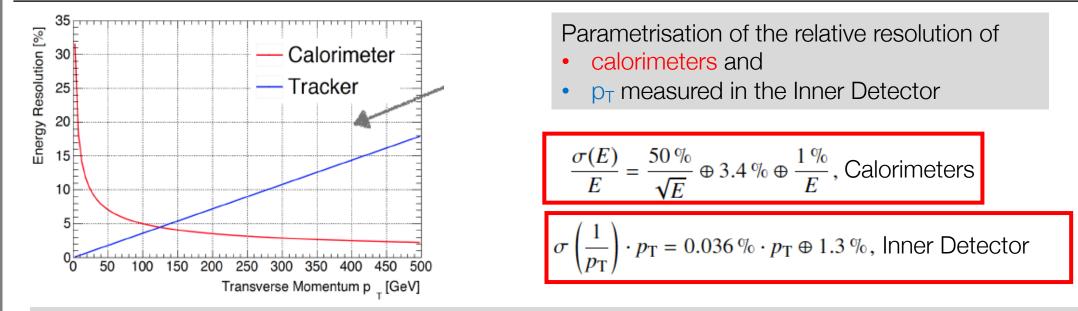
Toni Baroncelli: Detectors

Tag & Probe Method





Modern Experiments: Particle Flow, Basic Idea



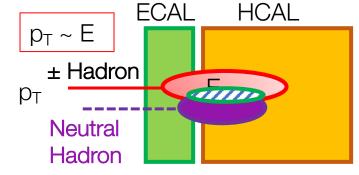
→ For low-energy charged particles, the momentum resolution of the tracker is significantly better than the energy resolution of the calorimeter.

Problem #1

A charged particle is measured in trackers (p_T) and in calorimeters (ECAL & HCAL) \rightarrow avoid double-counting its energy \rightarrow associate tracks and showers \rightarrow choose only one!

Problem #2

Showers are often superimposed \rightarrow subtract a part of the energy deposition



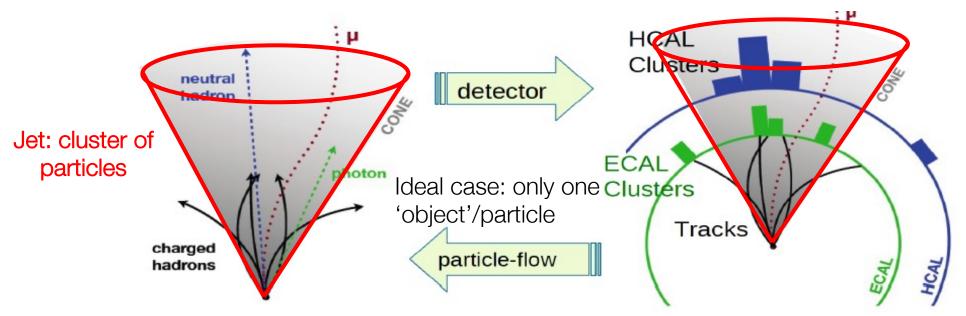


Particle Flow (~Jets): basic idea

Why Particle Flow (PF)?

Two possibilities to reconstruct the topology (*) of one event

- Use calorimeters: they are sensitive to ALL particles, charged, neutral, photons hadrons, (partly) muons. BUT the energy resolution ~not very good at ~low/medium energies
- use PF: It gives an optimal use of measurements: when you have two independent measurements of the same particle \rightarrow take the best!



(*) Topology = general characteristics of the event, like # of jets



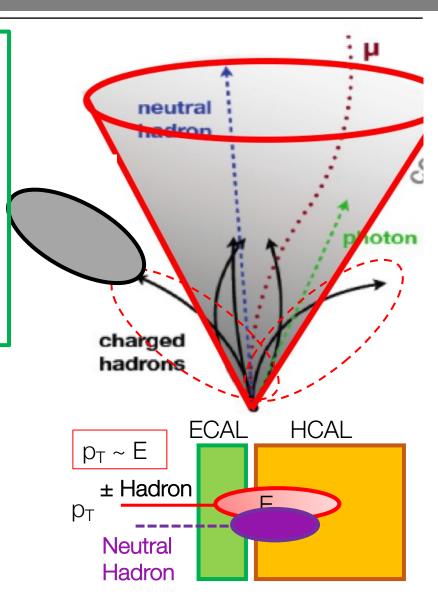
Particle Flow: Advantages & Disadvantages

- Particles below detection threshold;
- $\sigma_{direction}^{Tracker} \ll \sigma_{direction}^{Calorimeter}$
- Low-p_T tracks in a jet are swept out of the jet cone by the magnetic
- → use track's coordinates at the IP → these particles are recovered into the jet.
- pile-up interactions: distinguish primary vertex from pile-up vertices

For each charged particle

- > Avoid double-counting energy (Calorimeters) & Momentum (trackers)
- > Cancel E_{dep} calorimeters of charged tracks \rightarrow only neutrals
- Handle one neutral h close to a charged h

Do not remove any energy deposited by neutral particles.



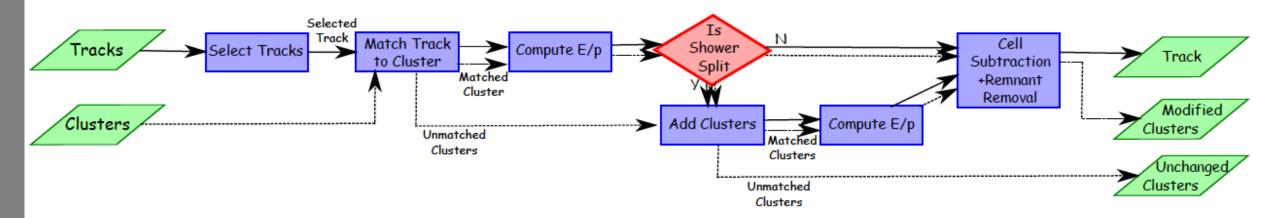


Before applying PF Algorithm it is necessary to know how much energy $\langle E_{dep} \rangle$ a particle with measured momentum p_{trk} deposits on average in calorimeters. This is needed to correctly subtract the energy from the calorimeter for a particle whose track has been reconstructed. This is done using the expression

$$\langle E_{dep} \rangle = p^{trk} \cdot \langle E_{ref}^{clus} / p_{ref}^{trk} \rangle$$

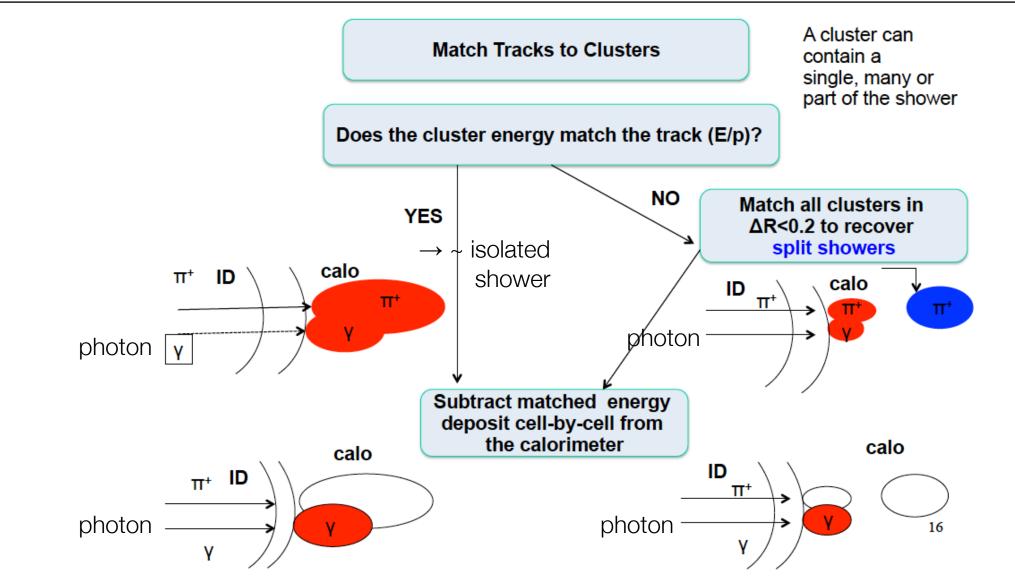
The value $\langle E_{ref}^{clus}/p_{ref}^{trk} \rangle$ (which is also a measure of the mean response) is determined using single-particle samples without pile-up by summing the energies of topo-clusters in a R cone of size 0.4 around the track position, extrapolated to the EM calorimeter. This cone size is large enough to entirely capture the energy of the majority of particle showers. The subscript 'ref' indicates values $\langle E_{ref}^{clus}/p_{ref}^{trk} \rangle$ determined from single-pion samples.

The PF algorithm is skematically shown below



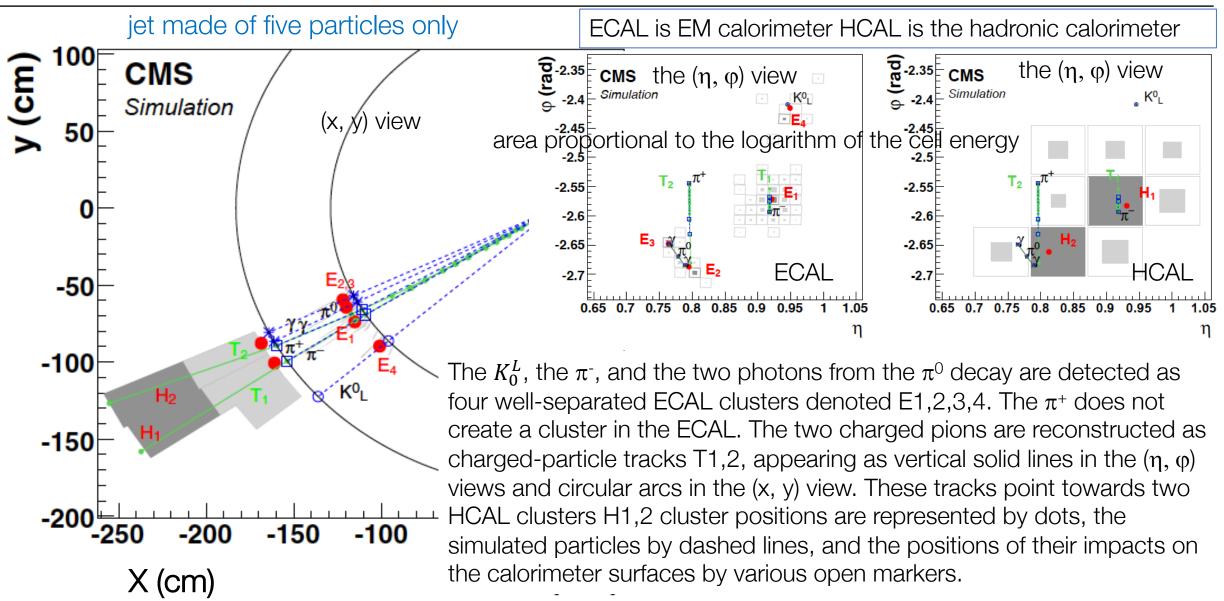


Particle Flow in One Cartoon







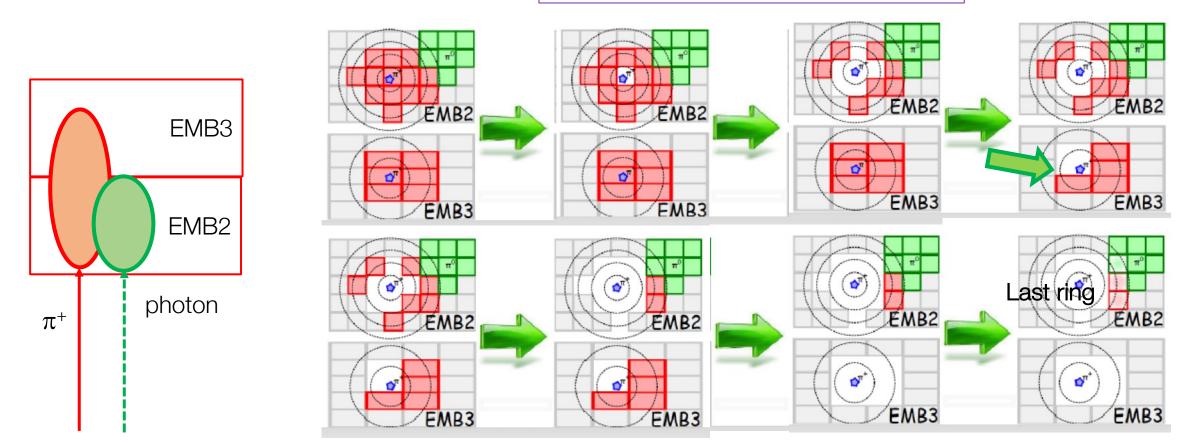




Subtracting Calorimeter Cells

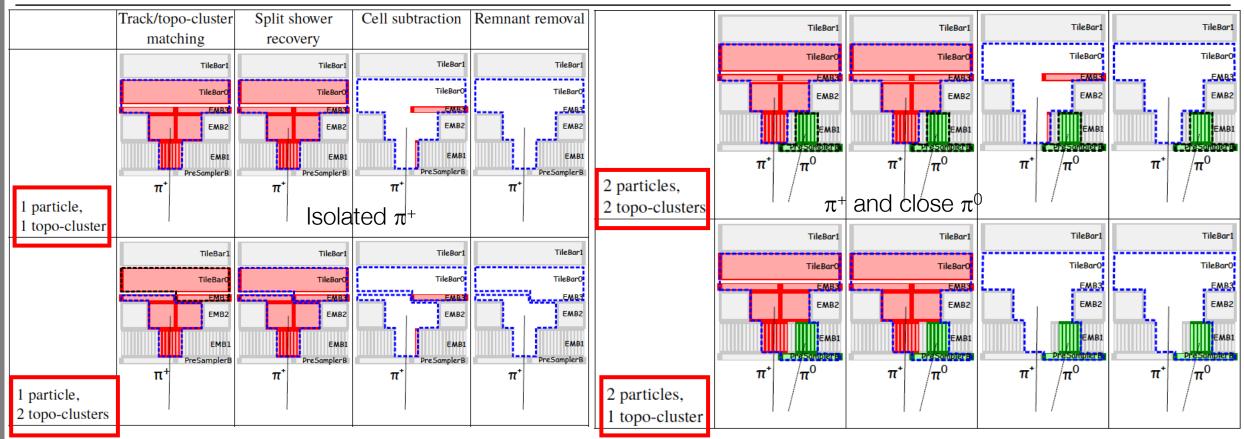
- Important parameter: the ratio $E_{calorimeter}/p^{trk} \rightarrow rings$ around the extrapolated track
- Remove rings if $E_{cl} > p^{trk}$

EMB2 & EMB3 two calorimeter layers





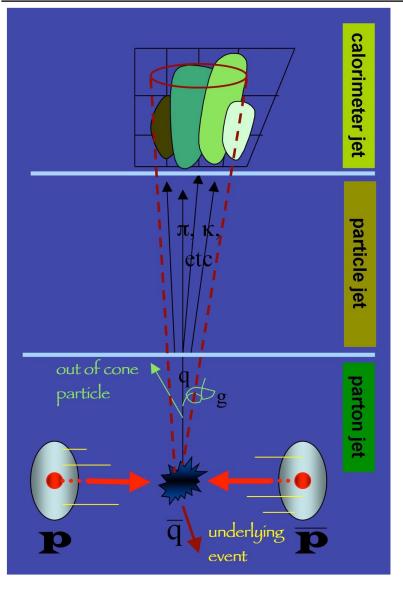
Particle Flow in Action: Example



- The red cells are from the π^+ ,
- the green cells energy from the photons from the $\pi^0\,$ decay
- the dotted lines represent the borders of the calorimeter-cluster



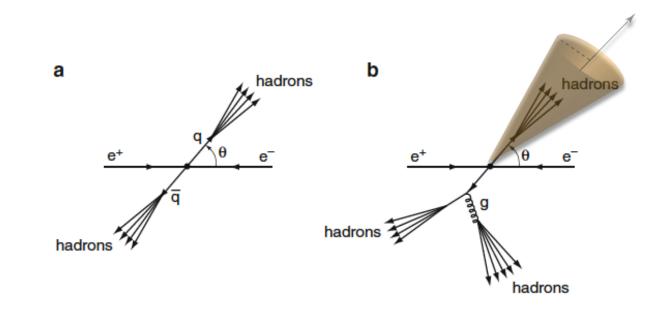
Jets: Introduction



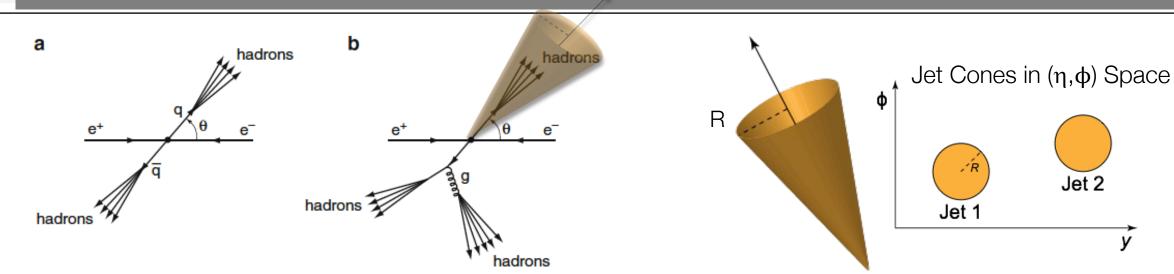
Jets are a collection of 'close by' objects that reflect the initial parton \rightarrow try to reconstruct the momentum of the initial parton

Construction of jets:

- Before Particle Flow \rightarrow calorimeters
- After Particle Flow → the best defined object between with track or calorimeter cluster



Jets (What & How?)

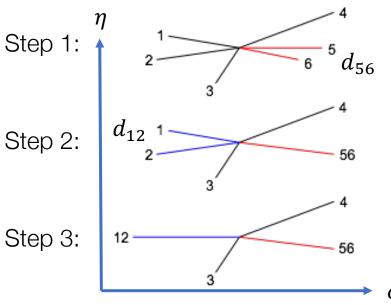


Iterative cone algorithms: Jet defined as energy now within a cone of radius R in (η, ϕ) space:

$$R = \sqrt{(\eta - \eta_0)^2 + (\Phi - \Phi_0)^2}$$

- Start with most energetic energy deposition
- Define distance measure d_{ij}
- Calculate dij for all pairs of objects ...
- Combine particles with minimum dij below cut ...
- Stop if minimum dij above cut ...

Limit: all 'distances' count the same! \rightarrow weight using momentum or energy





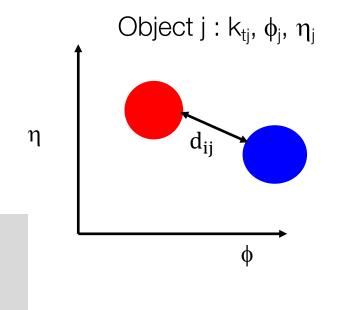
The definition of distance is very important: the formula below if most used today. NOTE the parameter 'p' in $k_{t,i}^{2p}$.

• $k_{t,i}$ is the transverse momentum of particle i

If *p*=0 you have the so-called *Cambridge/Aachen* algorithm

• $\Delta_{ij}^2 = (\eta_i - \eta_j)^2 + (\varphi_i - \varphi_j)^2$ $d'_{ij} = distance' = \min(k_{t,i}^{2p}, k_{t,j}^{2p}) \frac{\Delta_{ij}^2}{R^2} ,$

 R^2 is a parameter of the algorithm \rightarrow opening of the cone



If p=1 you have the so-called K_T algorithm

$$d_{ij} = \min(k_{t,i}^2, k_{t,j}^2) \frac{\Delta_{ij}^2}{R^2}$$

 $d_{ij} = \min(k_{t,i}^{2p}, k_{t,i}^{2p}) \xrightarrow{\Delta_{ij}^2} \rightarrow d_{ij} = \frac{\Delta_{ij}^2}{R^2}$

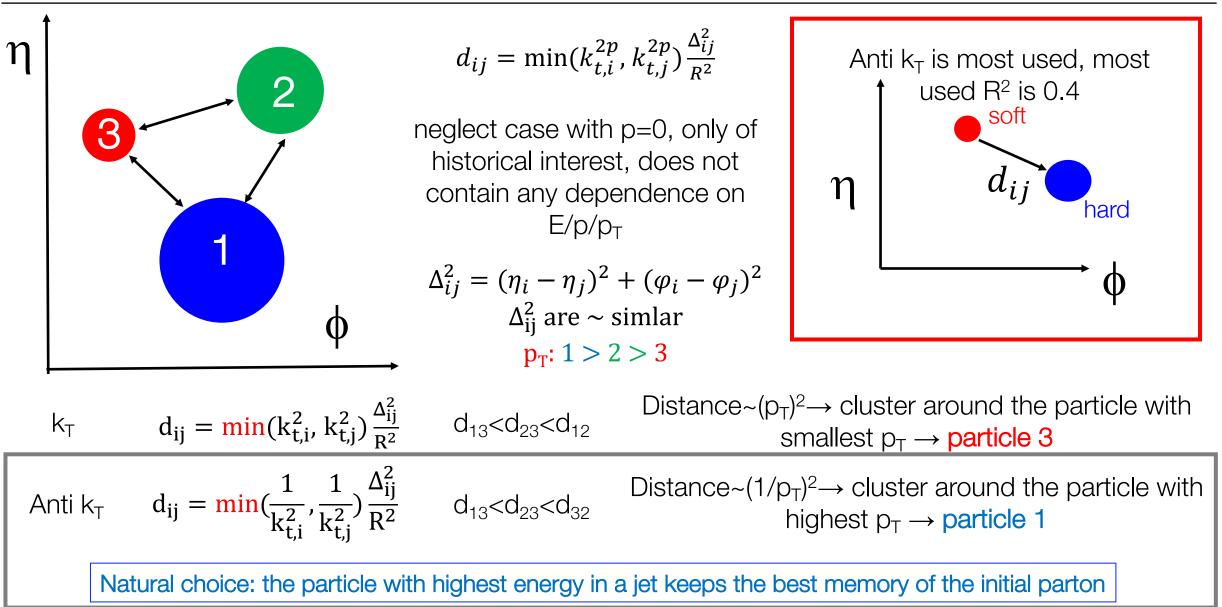
If p=-1 you have the so-called *anti* K_T algorithm $d_{ij} = \min(\frac{1}{k_{f,i}^2}, \frac{1}{k_{f,i}^2}) \frac{\Delta_{ij}^2}{R^2}$

(*) Cacciari et al. https://arxiv.org/pdf/0802.1189



Toni Baroncelli: Det

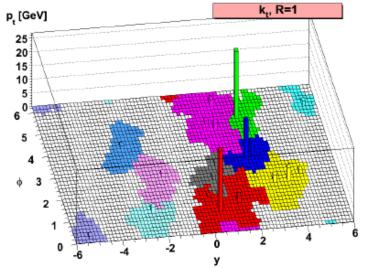
k_T and anti- k_T Jet Algorithms

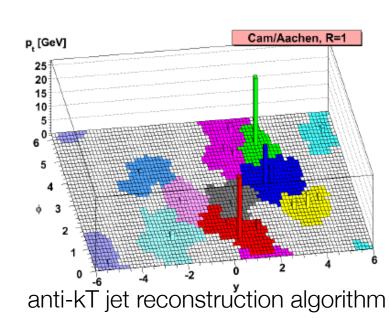




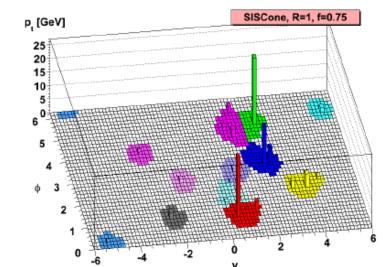
Jet Shapes in Different Algorithms

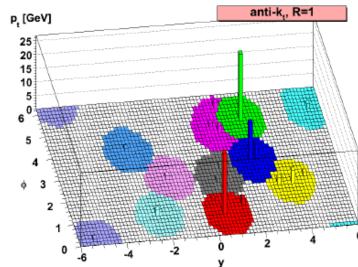
kT jet reconstruction algorithm





Simulated events: 3 partons + large number of ghosts



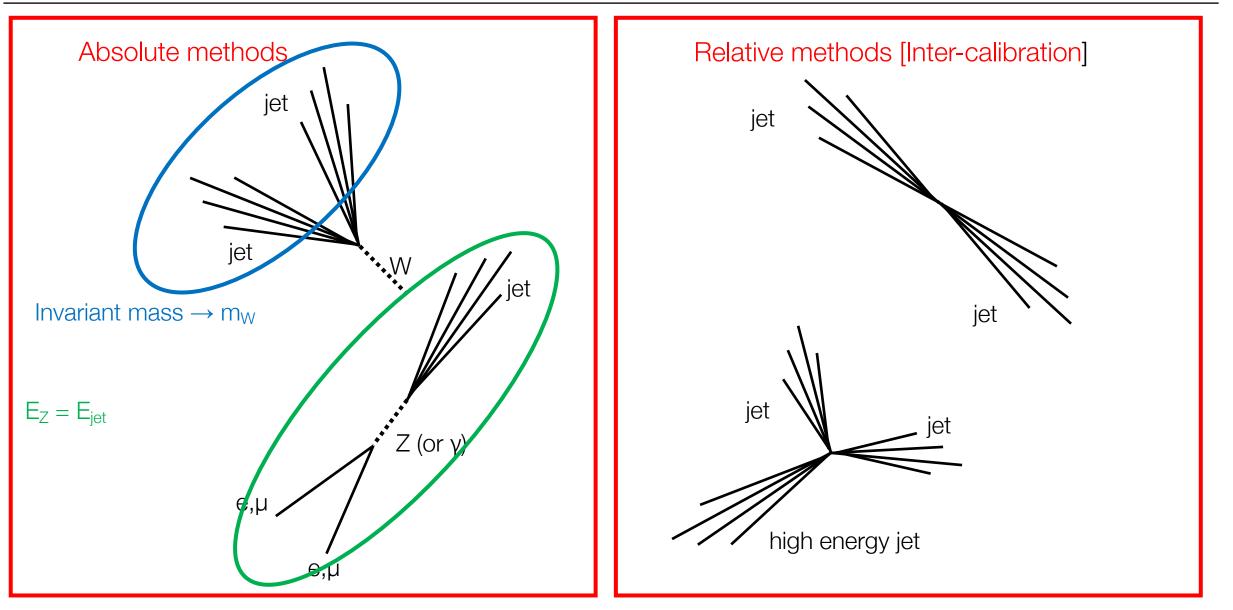


In the anti-kT jet reconstruction algorithm, are all circular



Toni Baroncelli: Detectors

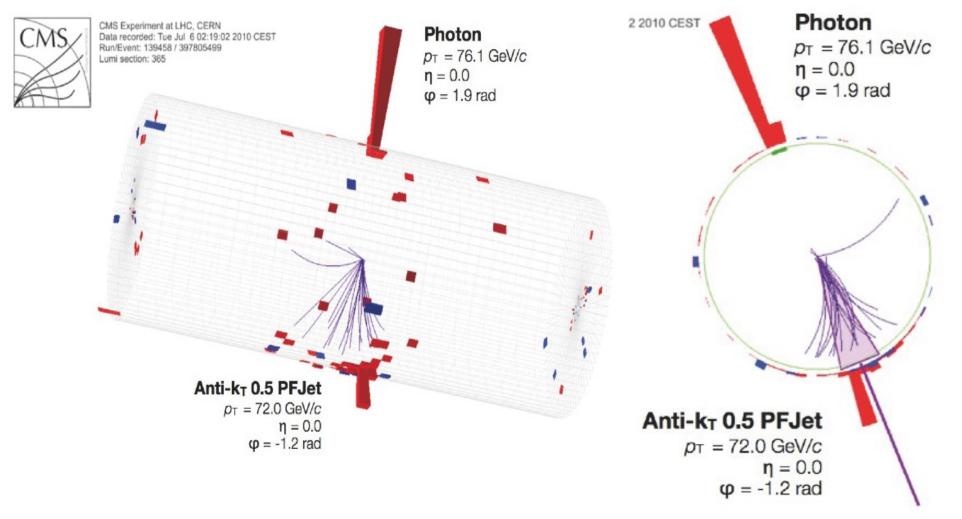
How to Calibrate a Jet?







One CMS Example



Absolute Method Uses pt balance in back-to-back photon+jet events



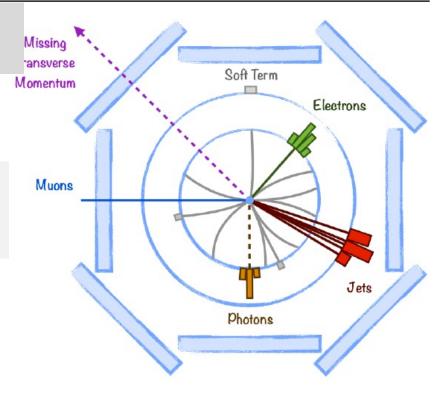
Missing Transverse Energy E_T

It is ONLY in the transverse plane that p_T is conserved (at hadron colliders) $\sum_{All \ particles} p_T = 0$. $\sum_{All \ particles} p_l =? (x_1, x_2 \ unknown!)$

$$\vec{E}_T^{miss} = -\Sigma_i \vec{E}_T^i$$

missing transverse energy = minus the vector sum of the transverse energy deposits. It is a proxy of the energy carried away from undetected particles.

→ W bosons, top quark events and supersymmetric particle searches (with neutrinos or neutrinos-like particles in the decay channels).



Another important quantity that is often referred to is the total transverse energy, which is the scalar sum of the transverse energy deposits:

$$\sum E_T = \sum_i E_T^i$$

Missing Transverse Energy (MET)

The missing transverse energy and the total energy measurements are calculated using objects from Particle Flow



ATLAS & CMS in 2 Words

ATLAS: To reconstruct E_T^{miss} , fully calibrated electrons, muons, photons, hadronically decaying τ -leptons, and jets, reconstructed from calorimeter energy deposits, and charged-particle tracks are used. These are combined with the soft hadronic activity measured by reconstructed charged-particle tracks not associated with the hard objects. Possible double counting of contributions from reconstructed charged-particle tracks from the inner detector, energy deposits in the calorimeter, and reconstructed muons from the muon spectrometer is avoided by applying a signal ambiguity resolution procedure which rejects already used signals when combining the various E_T^{miss} contributions

CMS: The optimal response and resolution of E_T^{miss} can be obtained using a global particle-flow reconstruction. The particle-flow technique reconstructs a complete, unique list of particles (PF particles) in each event using an optimized combination of information from all CMS subdetector systems. Reconstructed and identified particles include muons, electrons (with associated bremsstrahlung photons), photons (including conversions in the tracker volume), and charged and neutral hadrons. Particle-flow jets (PF Jets) are constructed from PF particles.



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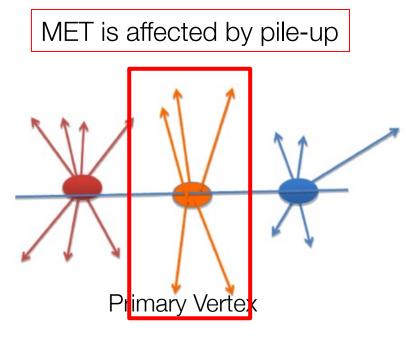
Toni Baroncelli: Detectors

Computing MET

Use: electrons, muons,	 photons, hadronically decaying τ-leptons, jets, from calorimeters & charged- particles soft hadronic activity 	Avoid Double counting!
 MET implies Different objects are used → many different corrections Avoid double counting (→ PF algorithm) 		efT + MET_RefJet + MET_SoftTerm MET_RefFinal High Affected by Pile-up



MET & Pile-Up & Soft Terms



- Tracks can be associated to vertices
- Energy depositions in calorimeters cannot be associated to vertices

Compute the ratio Jet Vertex Fraction for each jet:

$$VF = \sum_{tracks, PV} p_T / \sum_{tracks} p_T$$

How much total momentum of a jet does not come from the PV?

Remove Jets with JVF < cut

Soft Term = un-associated E_{dep} s in calorimeters

Methods developed to remove Soft term



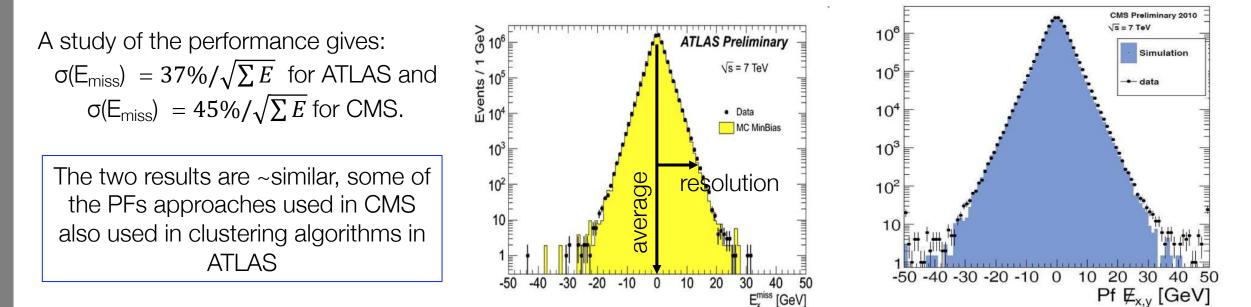
E_T^{miss} Resolution in ATLAS & CMS

Study the $(E_{miss})_{x,y}$ distribution for a sample of "minimum bias events" (expected to have no real E_T^{miss}).

Use events with one Z boson or an isolated γ (converting!) is present. These events are produced in collisions

- $qg \rightarrow q\gamma$,
- $q\bar{}q \rightarrow Z$,
- $qg \rightarrow qZ$, and
- $q\bar{q} \rightarrow \gamma$.

- $E_T^{miss} \sim 0$ is in these events
- remove objects from the Z,γ decay/conversion
- $E_T^{miss} \sim E_T^{Z,\gamma}$
- Compare the momenta of the well-measured boson to the E_T^{miss}



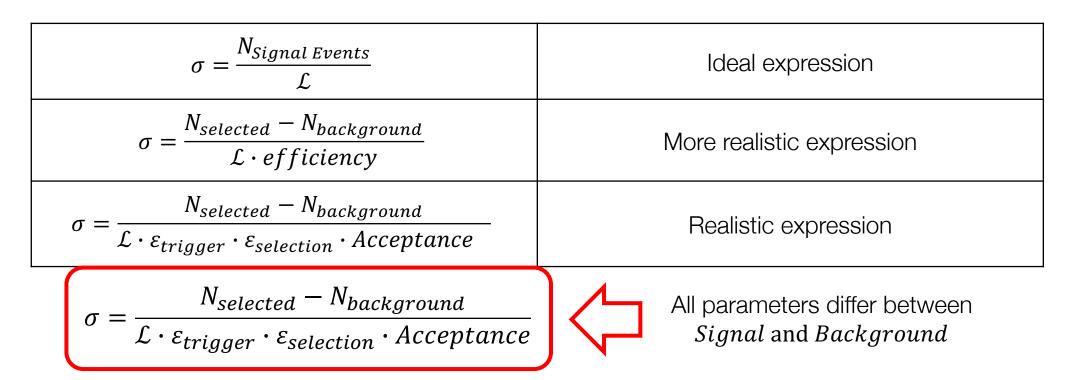


Use of Simulation in Data Analysis



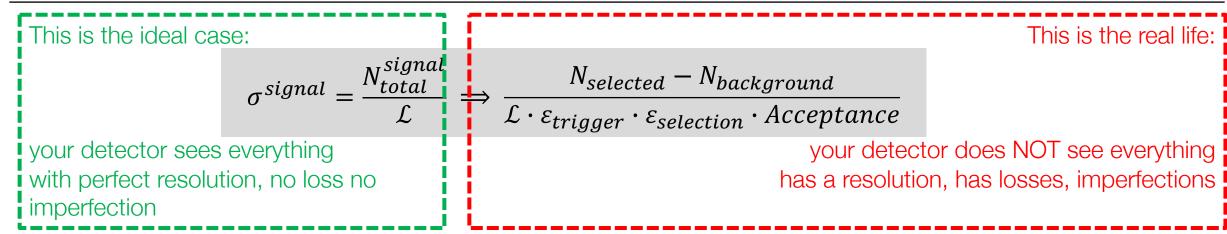
The way to a cross section measurement (real life)

- Identify a measurement you are interested in (call it "signal"), understand its topology and kinematics
- Identify possible "background" processes with similar topology and kinematics (in general $N_b \gg N_s$)
- Identify a possible selection that produces a sample of events rich in signal and poor in background events → Magnify your signal over background
- Apply the selection and count events





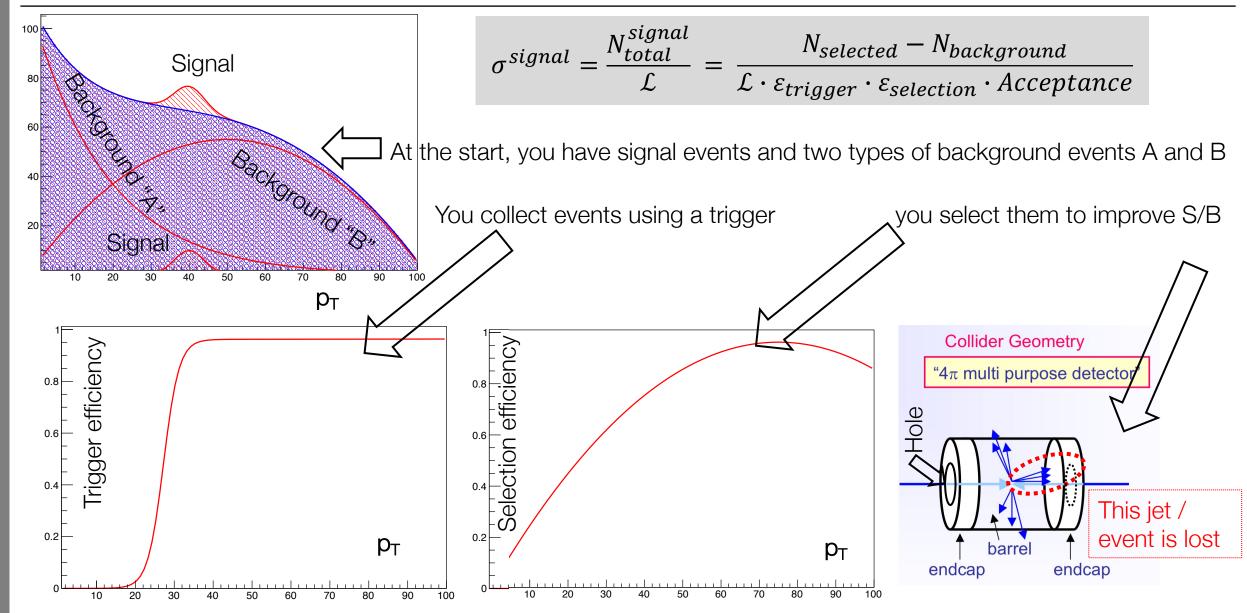
Of Monte Carlo Events in Analysis



- σ^{signal} is the cross section of the interaction you want to study
- \mathcal{L} is the total luminosity you have collected
- N_{total}^{signal} is the number of signal events with cross section σ
- $N_{selected}$ is the number of events at the end of you analysis (signal + background!)
- N_{background} is the number of background events at the end of you analysis. How to evaluate them? Later
- Data have been collected using a trigger. All triggers have inefficiencies \rightarrow trigger efficiency $\varepsilon_{trigger}$
- To improve the visibility of your signal over background you apply selection cuts \rightarrow only a fraction of events survive $\varepsilon_{selection}$
- Your detector is NOT really hermetic, there are holes, cracks, non-instrumented zones → only a fraction of events are in the sensitive region of your experiment → *Acceptance*

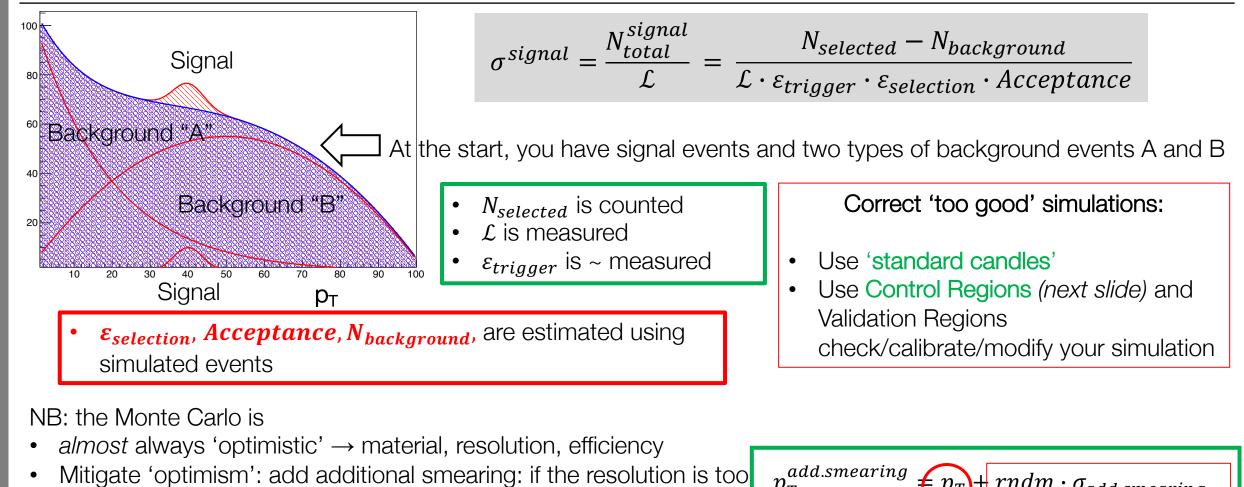


Of Monte Carlo Events in Analysis

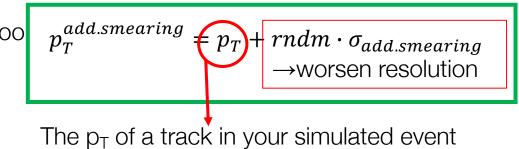




Of Monte Carlo Events in Analysis

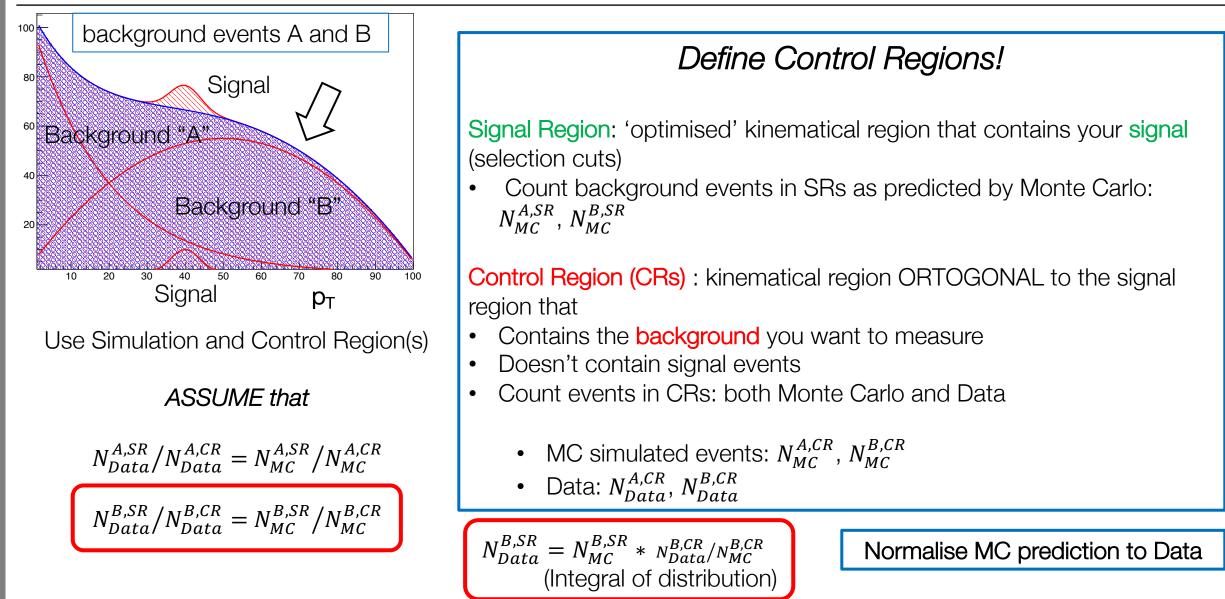


good add a gaussian random number with appropriate characteristics every measurement





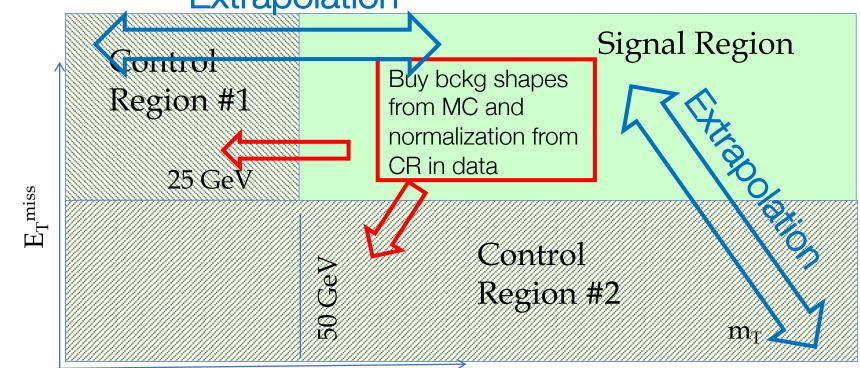
Data-driven Background Estimation





Control Regions (2D cartoon)

- Signal Region (SR) contains events we want to select, Control Regions are close to SR but ortogonal. Need to
 have no correlation between SR&CR. You choose them to be mostly populated by the background you want to
 control
- SR: Lepton quality & trigger match & $E_T^{miss} > 25 \text{ GeV } \& m_T > 50 \text{ GeV } \&$ lepton isolation & Overlap Removal (OR) Extrapolation



Background from heavy flavours decays and (for electrons) photon conversions determined using a "data-driven" technique.



CERN School 2017: Rende Steerenberg: Hadron Accelerators-1 CERN School 2017: Rende Steerenberg: Hadron Accelerators-2 The Physics of Particle Detectors M. Tanabashi et al. (Particle Data Group), Phys. Rev. D 98, 030001 (2018) Passage of particles through matter, pages 446-460 Particle detectors at accelerators, pages 461-495



- 1. Sylvie Braibant, Paolo Giacomelli, Maurizio Spurio: Particles and Fundamental Interactions, An Introduction to Particle Physics. Springer
- 2. DetectorsTokyo.pdf
- 3. Particle-detectors.pdf
- 4. Detectors-Full.pdf



End of Detectors

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