

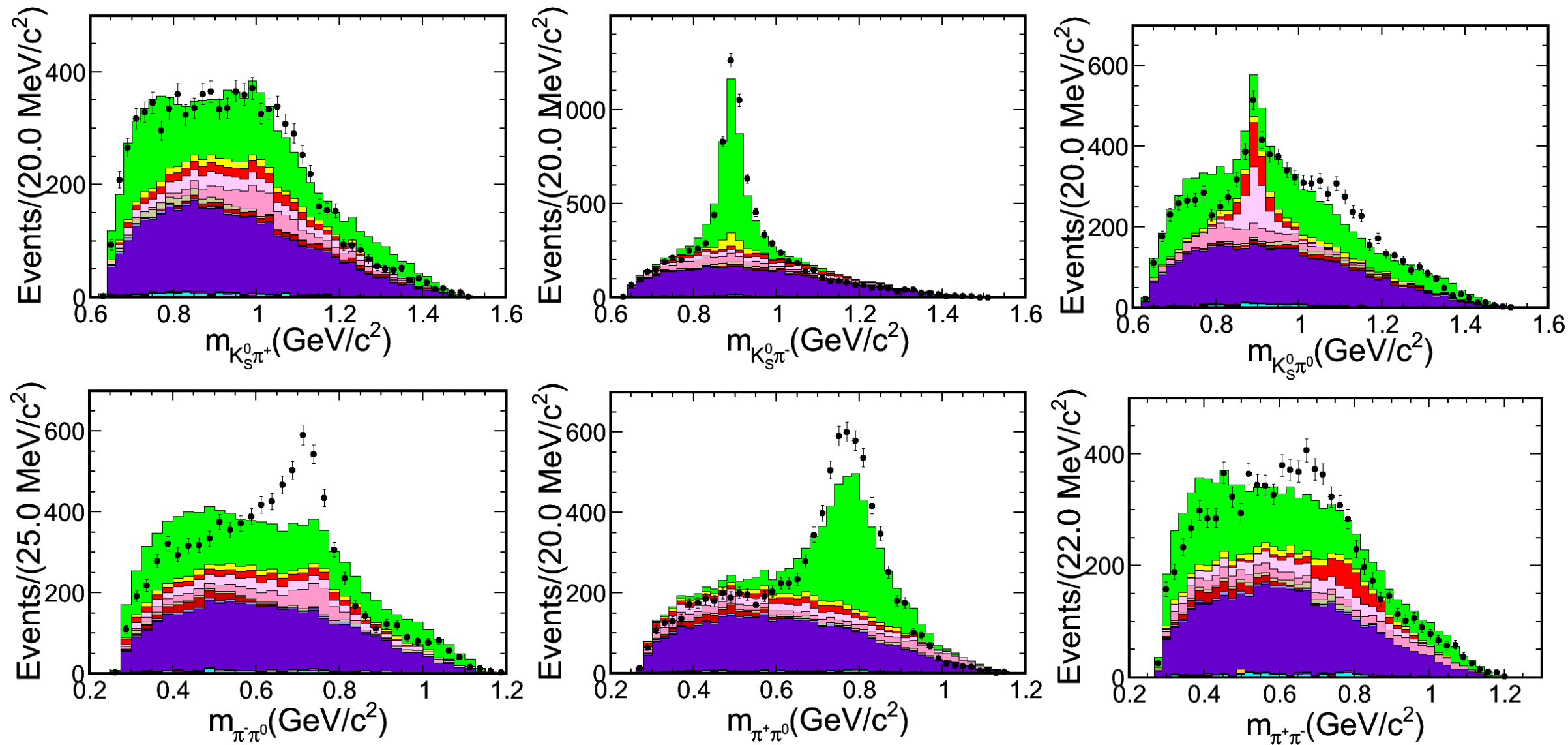
# Analysis of $D^0 \rightarrow K_S^0 \pi^+ \pi^- \pi^0$

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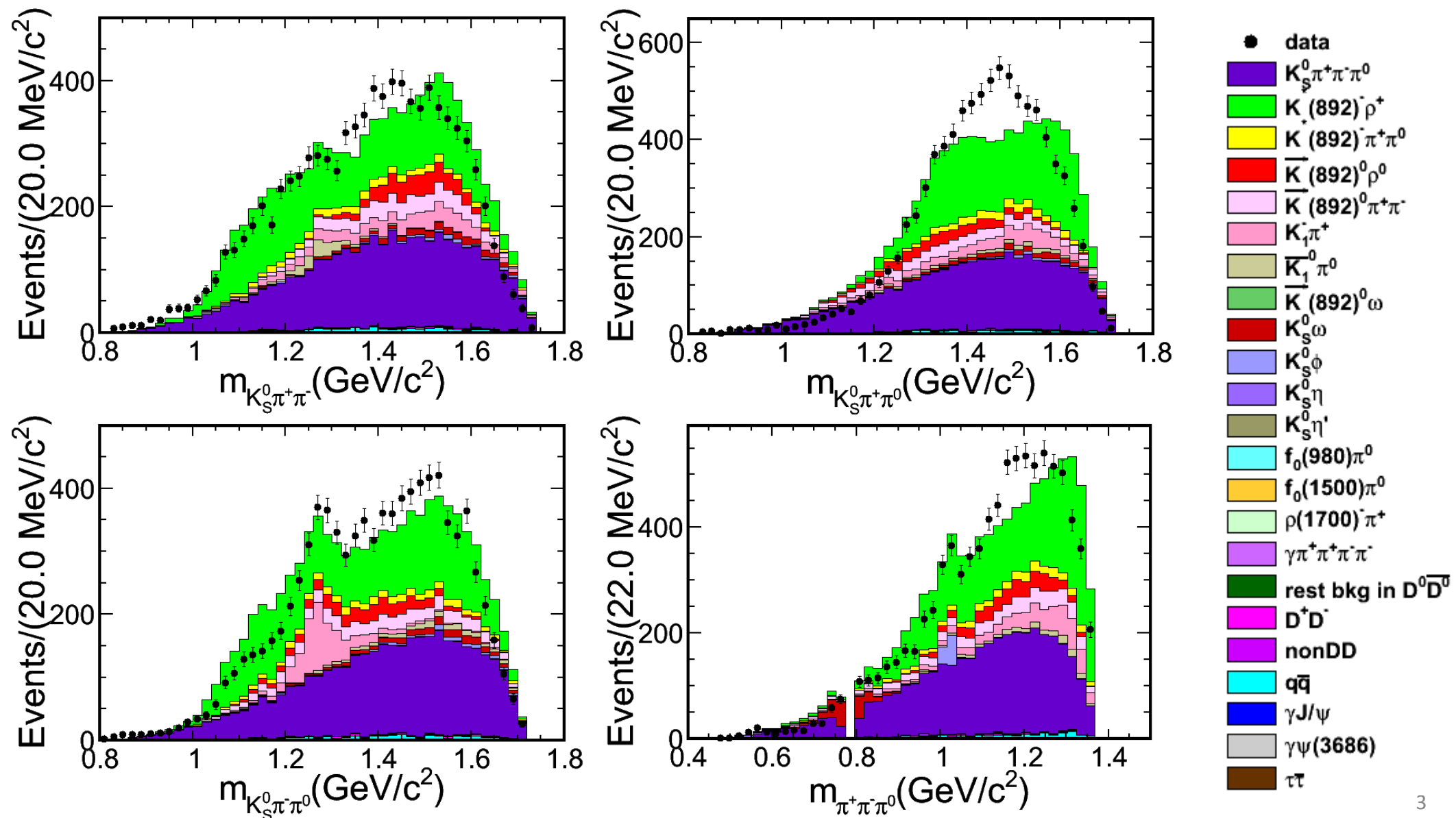
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$$\mathbf{D}^0 \rightarrow \mathbf{K}_S^0 \pi^+ \pi^- \pi^0$$



$$D^0 \rightarrow K_S^0 \pi^+ \pi^- \pi^0$$



# Amplitude Analysis

## ➤ Likelihood Construction

It is a fit method;

MINUIT is used to determine the fit parameters;

Background is subtracted with negative weight method.

$$\ln L = \sum_i^{N_{data}} w_i^{data} \ln S(a_i, p_j) - \sum_i^{N_{bkg}} w_i^{bkg} \ln S(a_i, p_j)$$

**PDF** is calculated by

$$S(a_i, p_j) = \frac{\epsilon(p_j) |A(a_i, p_j)|^2 R_4(p_j)}{\int \epsilon(p_j) |A(a_i, p_j)|^2 R_4(p_j) dp_j}$$

4-momentum dependent

$\epsilon(p_j)$ : efficiency;  $R_4(p_j)$ : four-body phase space;

$A(a_i, p_j)$ : total amplitudes.

MC integration

$$\frac{1}{N_{mc}} \sum_j^{N_{mc}} |A(a_i, p_j)|^2$$

# Amplitude Analysis

## ➤ Amplitude Construction

Total amplitudes is modeled as the sum over all the partial wave amplitudes;

$$A(a_i, p_j) = \sum_i a_i A_i(p_j)$$

$a_i = \rho_i e^{i\phi_i}$  : the complex coefficient;

$A_i(p_j)$ : the  $i^{\text{th}}$  partial wave amplitude.

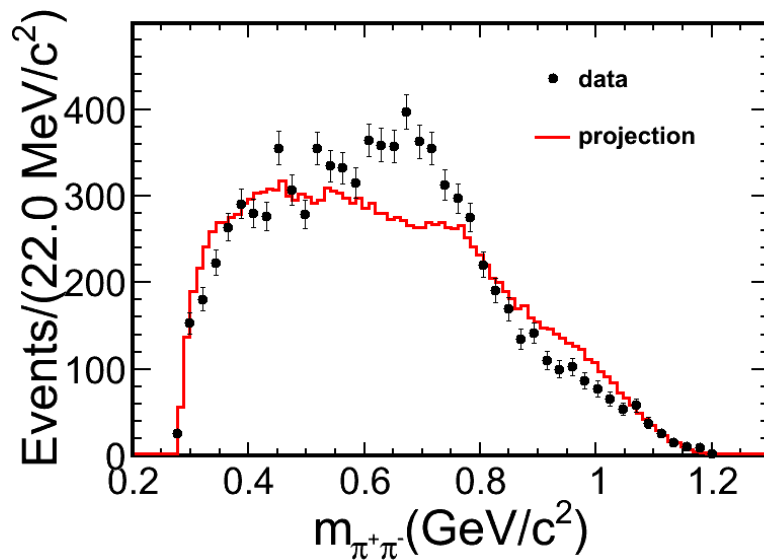
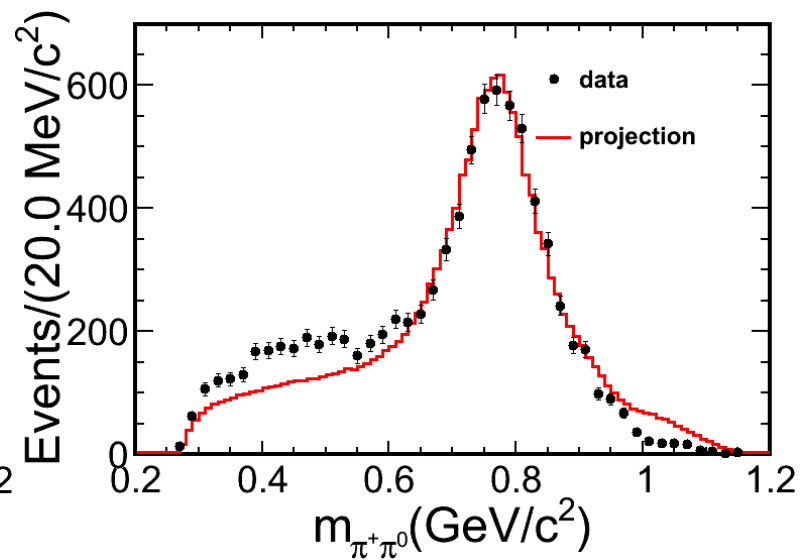
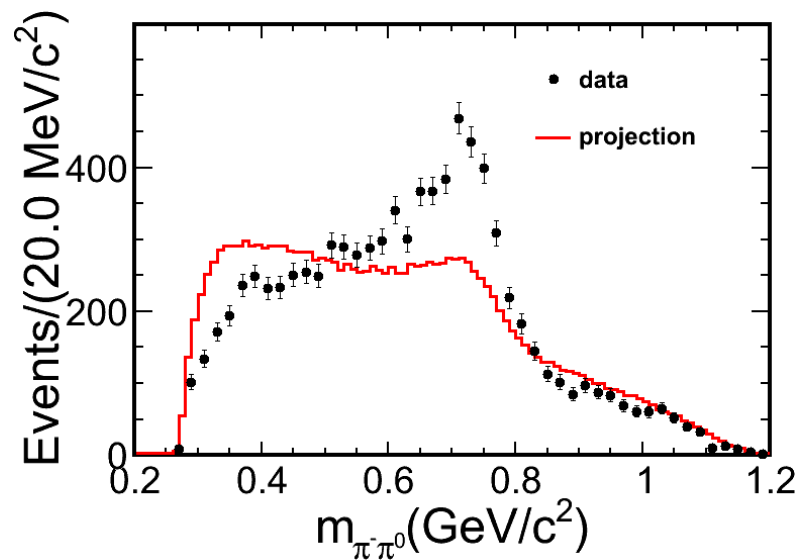
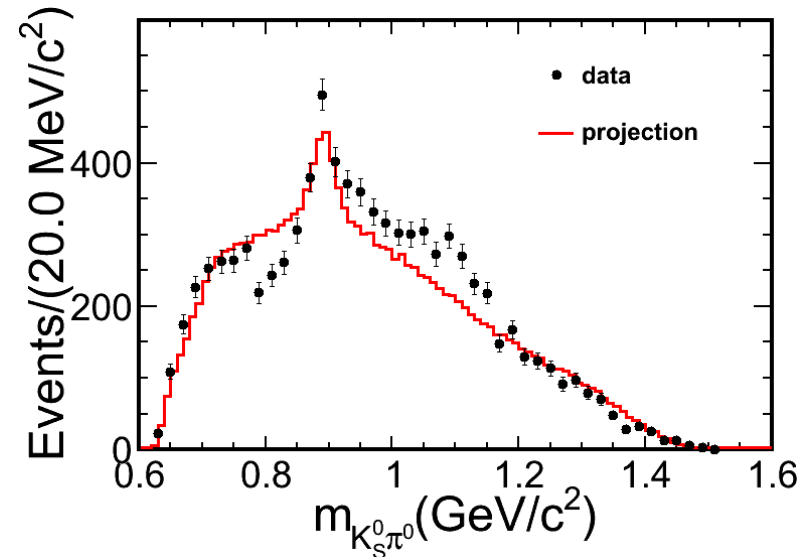
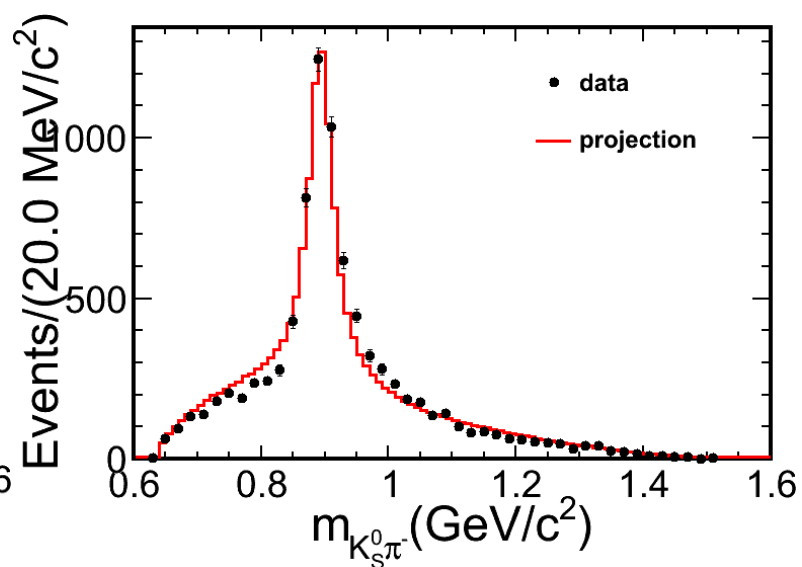
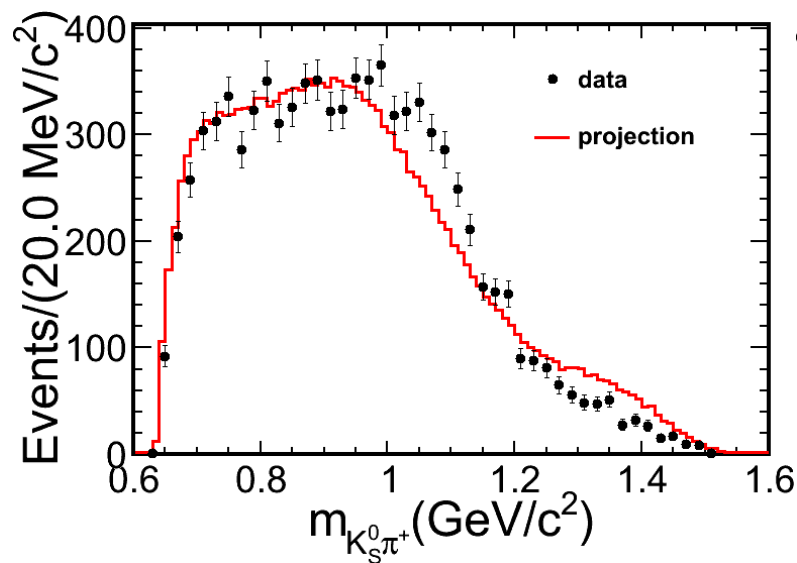
$$A_i(p_j) = P_i^1(p_j) P_i^2(p_j) S_i(p_j) F_i^1(p_j) F_i^2(p_j) F_i^D(p_j)$$

- $P_i^1(p_j)$  and  $P_i^2(p_j)$  are the propagators of intermediate resonances 1 and 2;
- $F_i^1(p_j)$ ,  $F_i^2(p_j)$  and  $F_i^D(p_j)$  are the Blatt-Weisskopf barriers (PRD 86, 010001 (2012));
- $S_i(p_j)$  is the spin factor and constructed with the covariant tensors.  
(Eur. Phys. J. A16, 537 (1992))

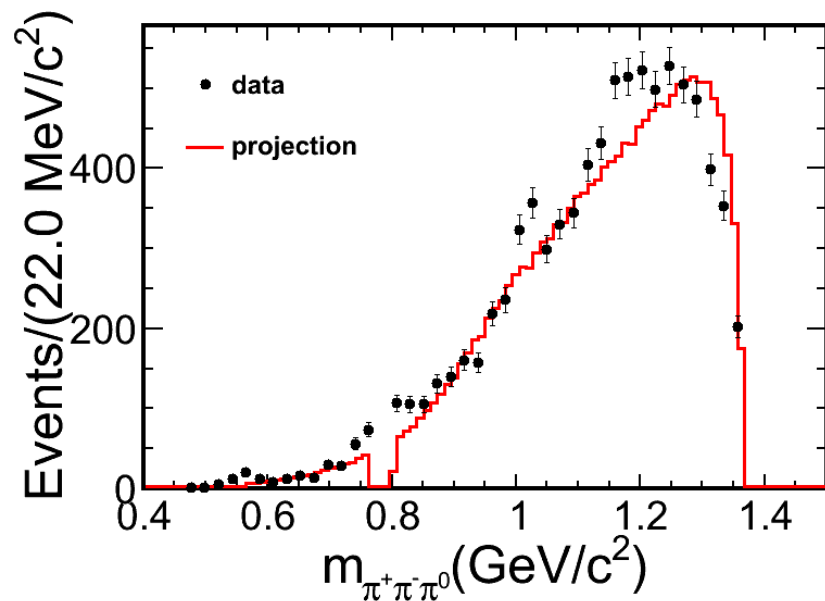
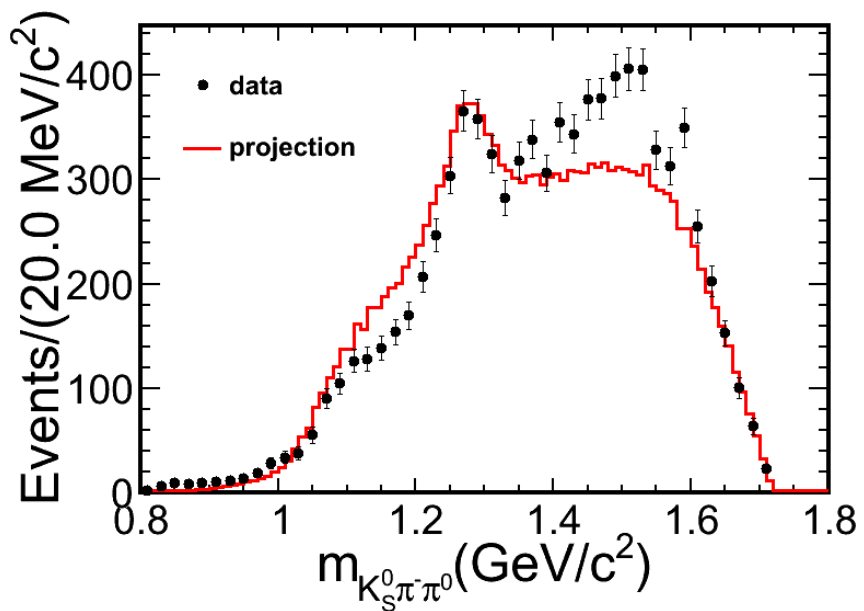
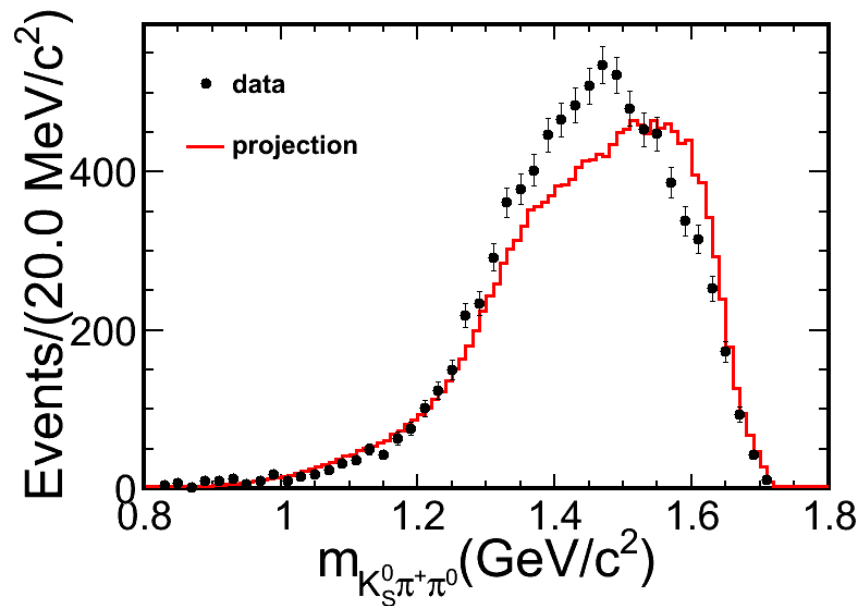
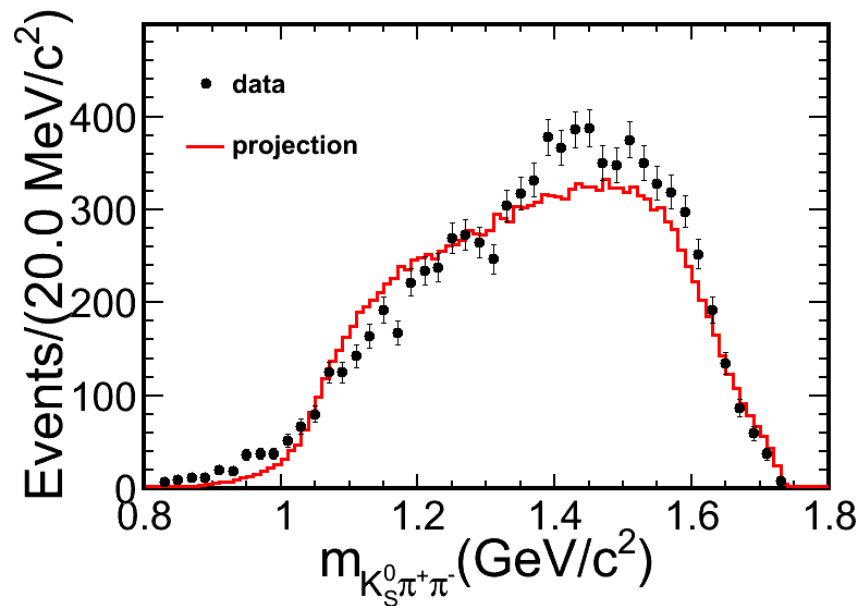
# Amplitude Analysis

Component	Amplitude
$D^0 \rightarrow K^{*-} \rho^+$	$D^0[S] \rightarrow K^{*-} \rho^+$ $D^0[P] \rightarrow K^{*-} \rho^+$ $D^0[D] \rightarrow K^{*-} \rho^+$
$D^0 \rightarrow \bar{K}^{*0} \rho^0$	$D^0[S] \rightarrow \bar{K}^{*0} \rho^0$ $D^0[P] \rightarrow \bar{K}^{*0} \rho^0$ $D^0[D] \rightarrow \bar{K}^{*0} \rho^0$
$D^0 \rightarrow K_1^-(1270) \pi^+$	$D^0 \rightarrow K_1^-(1270) \pi^+, K_1^-(1270)[S] \rightarrow K^{*-} \pi^0$ $D^0 \rightarrow K_1^-(1270) \pi^+, K_1^-(1270)[D] \rightarrow K^{*-} \pi^0$ $D^0 \rightarrow K_1^-(1270) \pi^+, K_1^-(1270)[S] \rightarrow \bar{K}^{*0} \pi^-$ $D^0 \rightarrow K_1^-(1270) \pi^+, K_1^-(1270)[D] \rightarrow \bar{K}^{*0} \pi^-$ $D^0 \rightarrow K_1^-(1270) \pi^+, K_1^-(1270)[S] \rightarrow \bar{K}^0 \rho^-$ $D^0 \rightarrow K_1^-(1270) \pi^+, K_1^-(1270)[D] \rightarrow \bar{K}^0 \rho^-$

# Projection

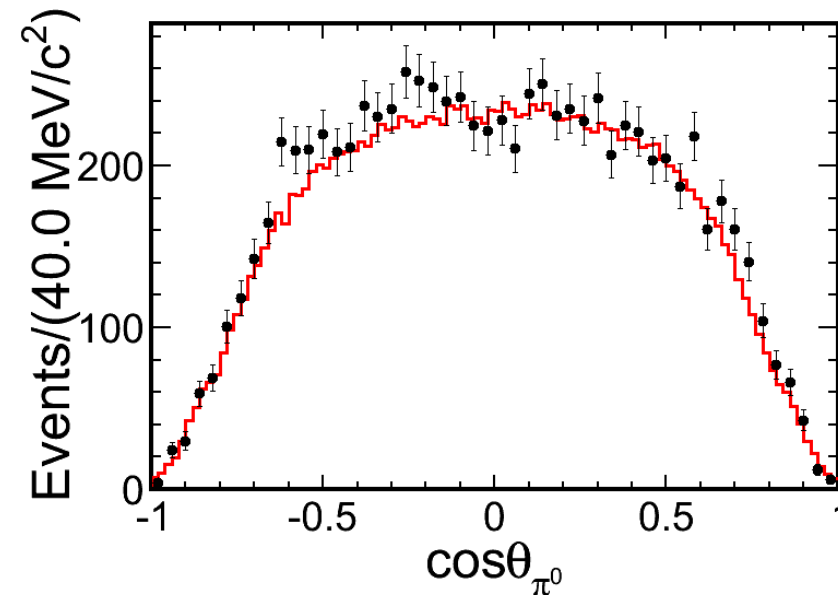
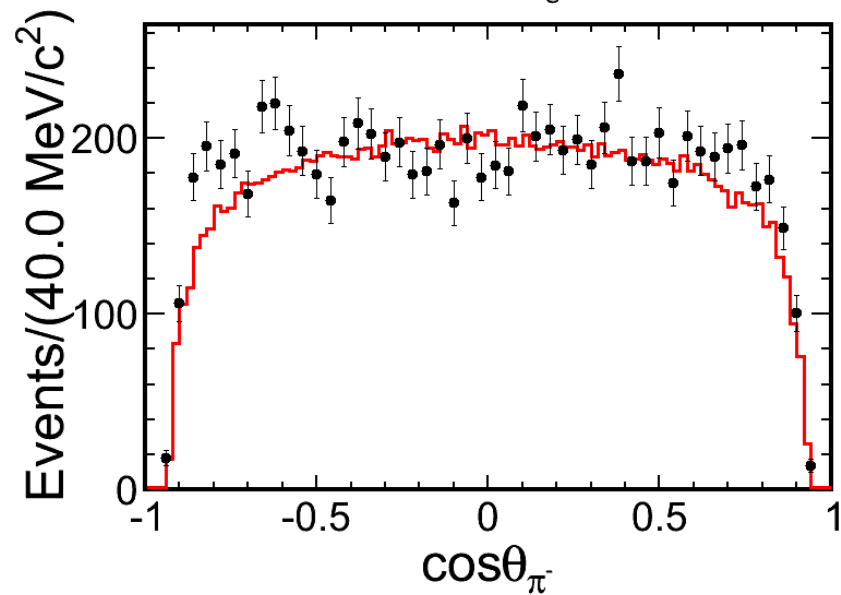
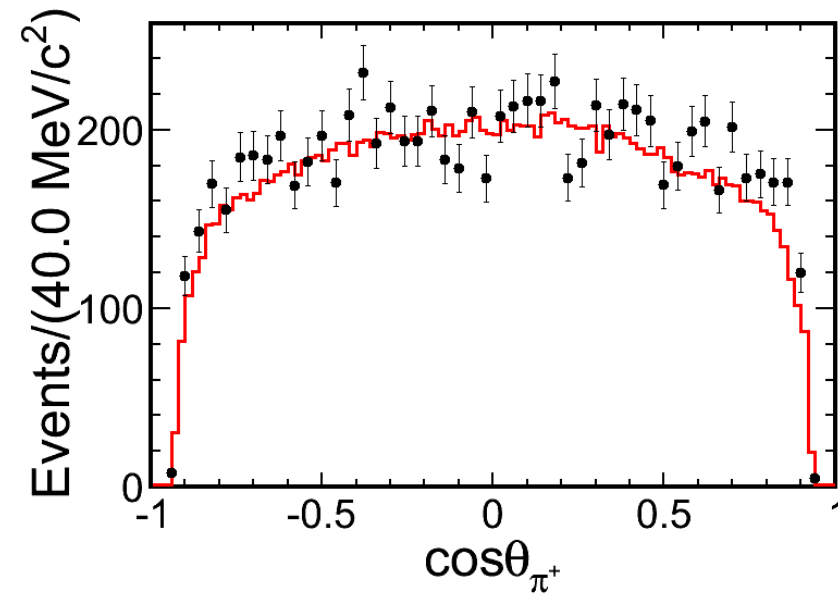
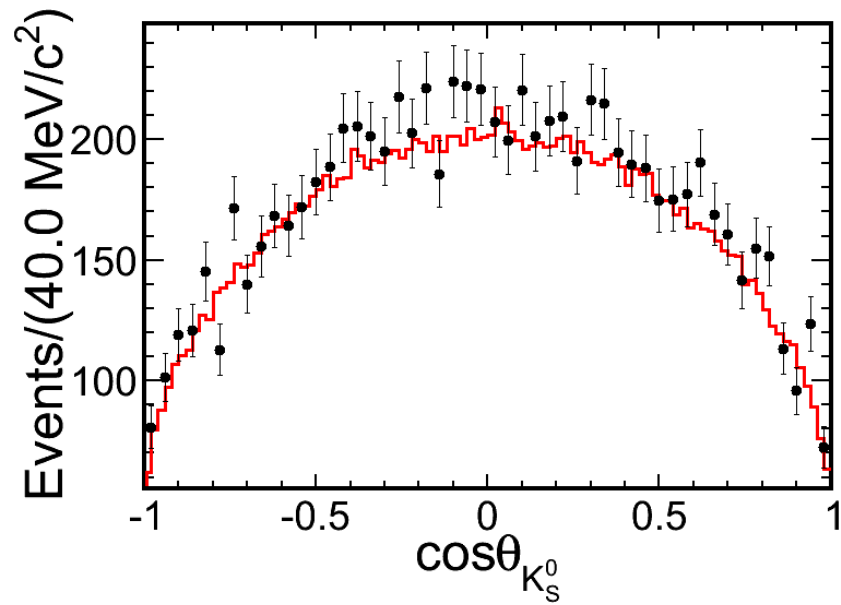


# Projection





# Projection



# Projection

