
开题报告——重离子碰撞 中超核寿命与产额的测量 及寻找新超核

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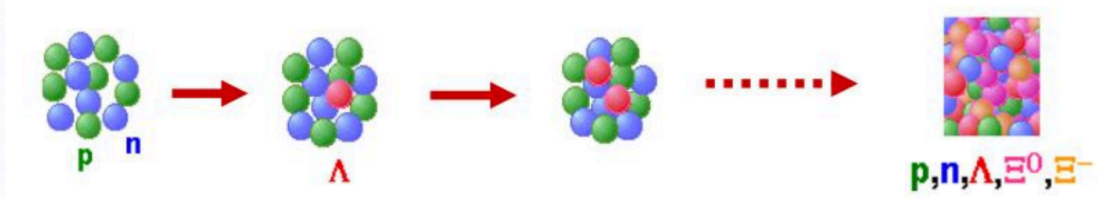
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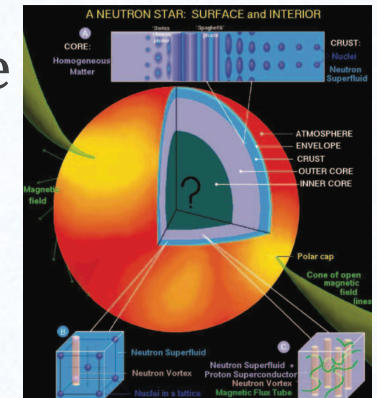


Hypernuclei physics

- Hypernuclei: bound nuclear systems of non-strange and strange baryons

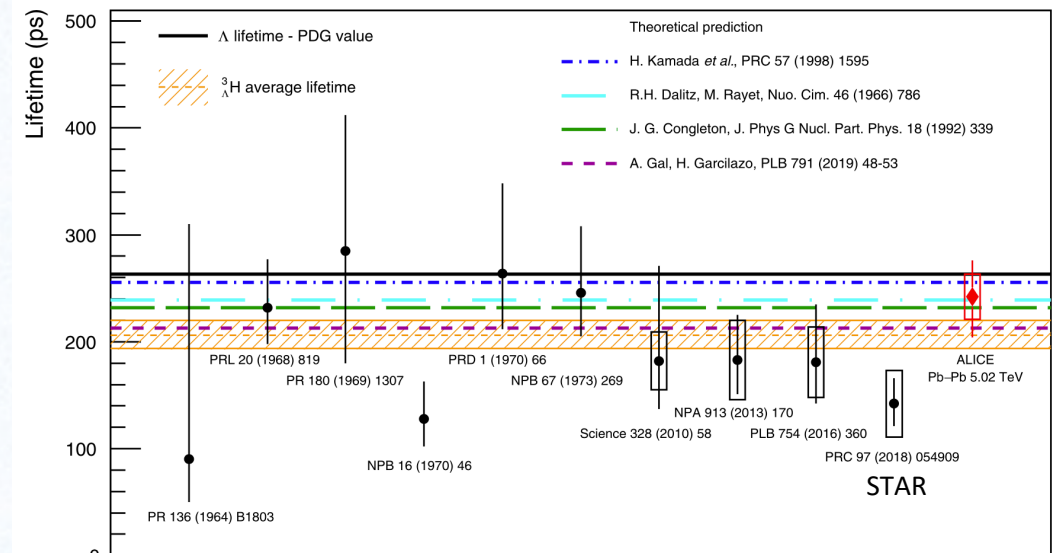


- In 1952, discovery of hypernuclei by Polish physicists
- Around 2000, observations of light double Λ hypernuclei ${}_{\Lambda\Lambda}^4\text{H}$ and ${}_{\Lambda\Lambda}^6\text{He}$
- Hypernuclei are natural hyperon-baryon correlation system
 - an probe to study the hyperon-nucleon(Y-N) interaction
- Strangeness in high density nuclear matter
 - Connected with modelling of the EoS for the dense inner core of neutron star
 - Do hyperon exists in the neutron star inner core?



${}^3_{\Lambda}\text{H}$ lifetime puzzle

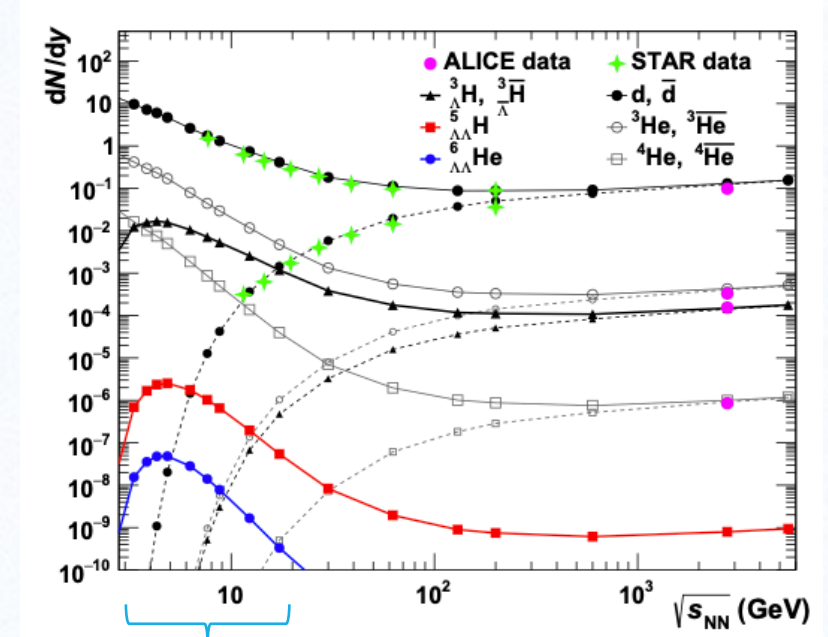
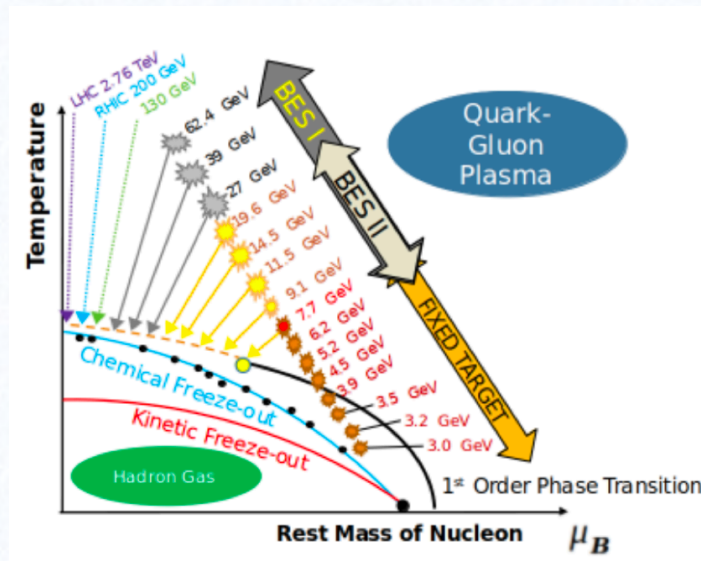
- ${}^3_{\Lambda}\text{H}$ is characterized by a very small binding energy
 - $B_{\Lambda} = 0.13 \pm 0.05 \text{ MeV}$
 - Expect that the lifetime of ${}^3_{\Lambda}\text{H}$ will approximate the free Λ lifetime
- However, recent experimental measurements of ${}^3_{\Lambda}\text{H}$ lifetime is shorter than the free Λ lifetime by $\sim 30\%$.
 - Great difference between STAR and ALICE



PLB 797,134905 (2019)(ALICE)

STAR BESII and FXT

- Hyper nuclei measurements are scarce in heavy-ion collisions experiments
- At lower beam energies, the hypernuclei production is expected to be enhanced due to high baryon density
 - STAR BESII and FXT → great opportunity to study hypernuclei production

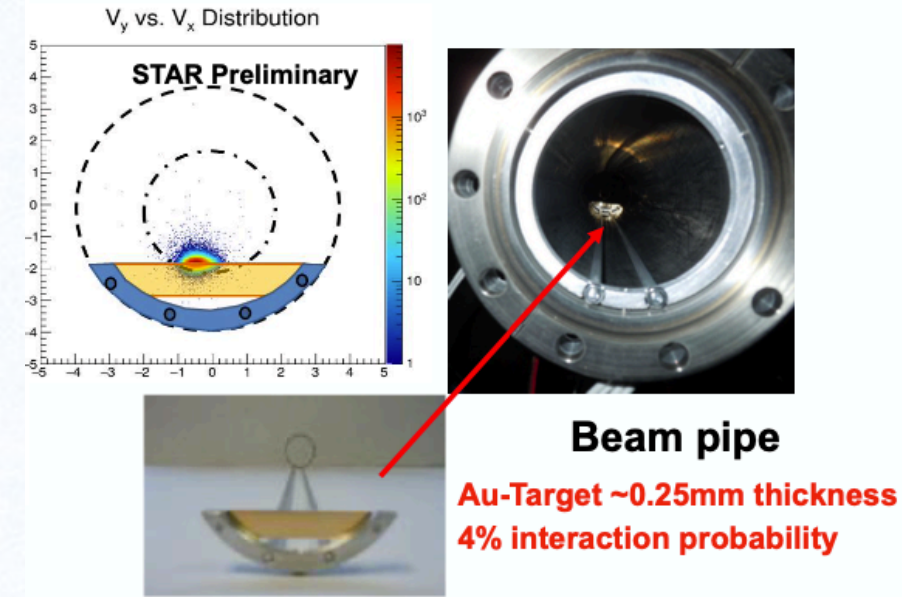
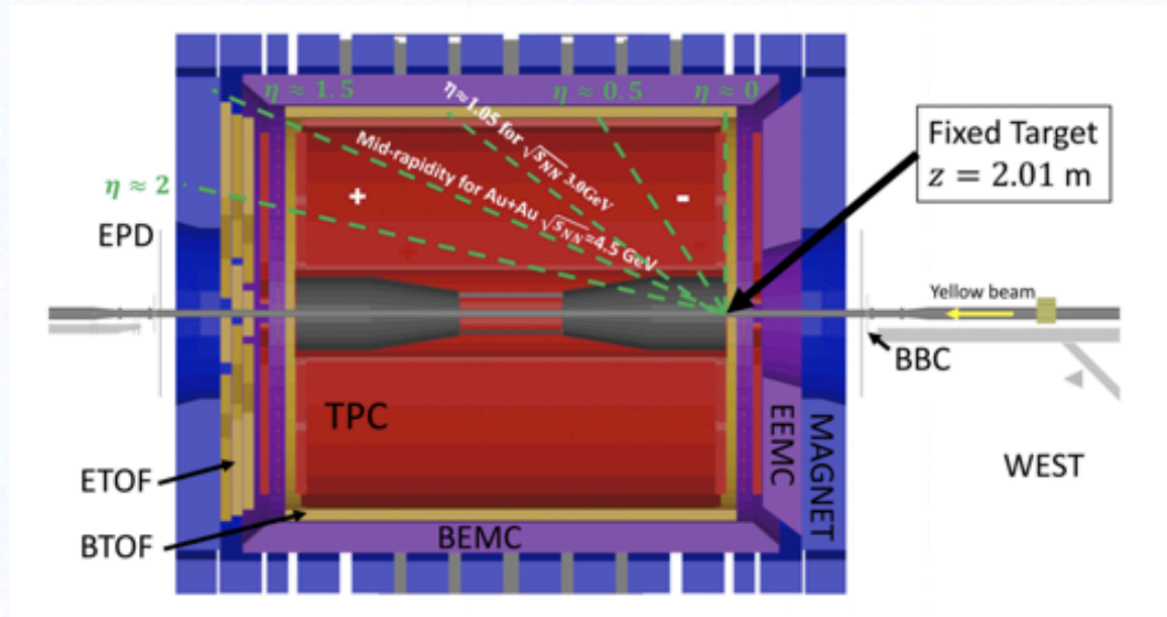


B. Dönigus, Eur. Phys. J. A (2020) 56:280

BESII and FXT

FXT setup

The beam-going direction is the positive direction



- Rapidity conventions between lab frame and center of mass(CM) frame

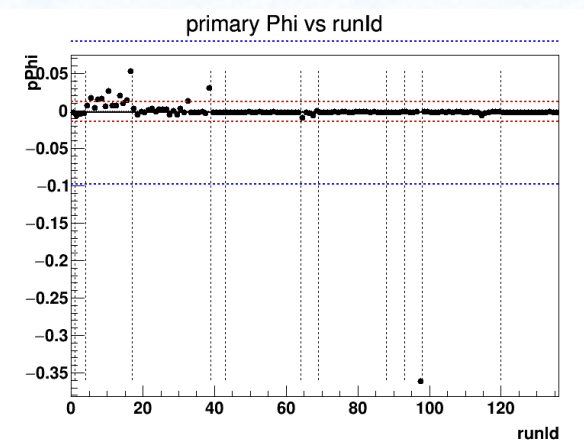
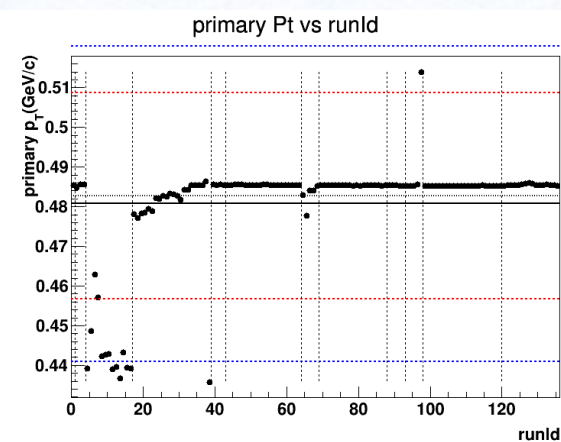
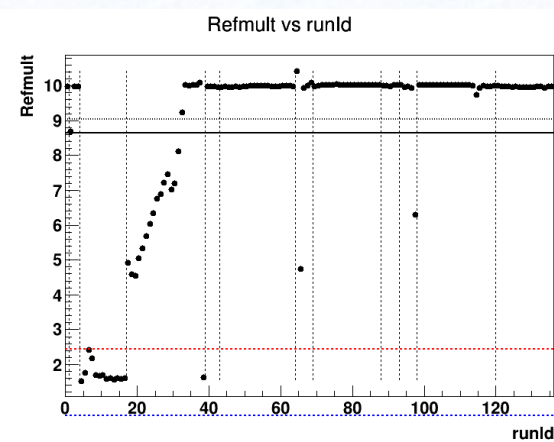
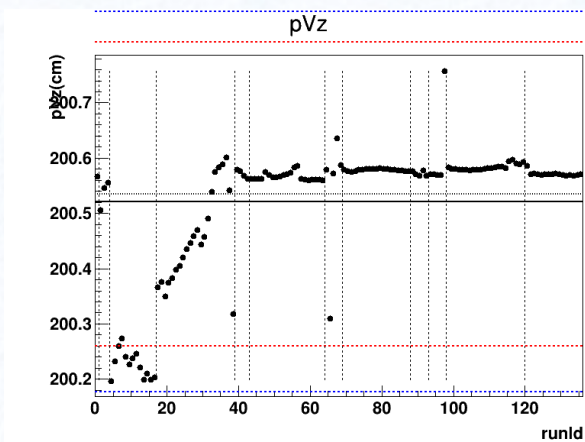
- $y_{MID} = y_{beam}/2$, $y_{beam} = -\cosh^{-1}\left[\frac{\sqrt{s_{NN}}}{2m_p}\right]$

- $y_{CM} = -(y_{LAB} - y_{MID})$

Bad Run selection

1. Event level and tracking level selection
2. Get the Mean of each variable ($\langle v \rangle$) as a function of Run Index
3. Get the Mean and Standard Deviation (SD) for the distribution of $\langle v \rangle$ from all runs
4. Rejection Window : “ $|\langle v \rangle - \text{Mean}| > 3 * \text{SD}$ ”
5. Repeat procedure one time after remove the first round bad run

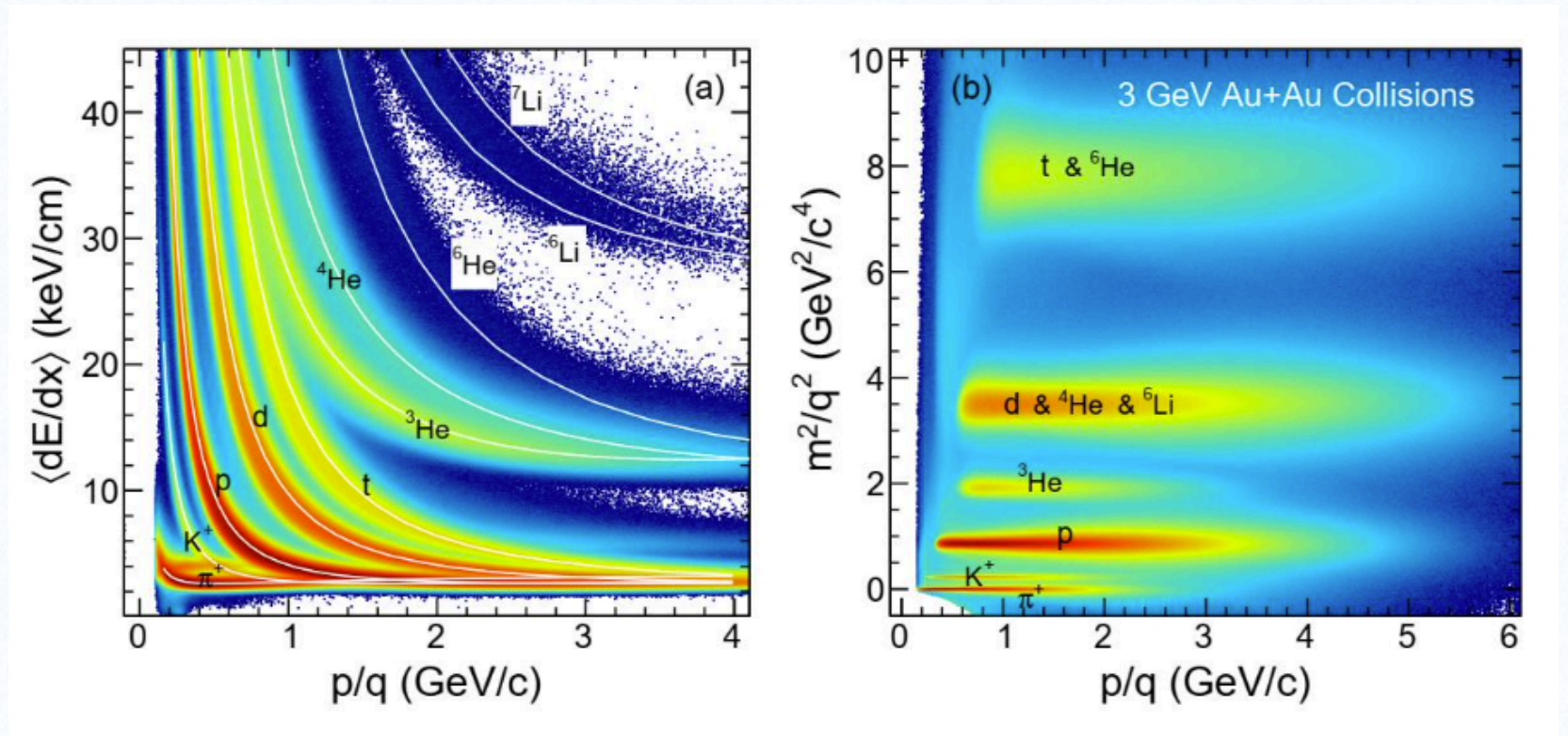
$$\sigma = \sqrt{\frac{\sum (x_i - \mu)^2}{N - 1}}$$



Data set and cuts

- Run18 $\sqrt{s_{NN}} = 3.0$ GeV Au+Au
 - Trigger 620052
 - MB events ~ 310 M
- Run18 $\sqrt{s_{NN}} = 7.2$ GeV Au+Au
 - Trigger 630052
 - MB events ~ 150 M
- Run19 $\sqrt{s_{NN}} = 3.22$ GeV Au+Au
 - Trigger 680001
 - MB events ~ 190 M
- Event level cut:
 - $V_r(0, -2) < 1.5$ cm
 - $198 < V_z < 202$ cm
- Track level cut:
 - $n_{\text{Hits}} \geq 15$
 - PID: dE/dx selection for Helium, $|n_\sigma| < 3$ for pion and proton
 - Topological cuts for reconstruction

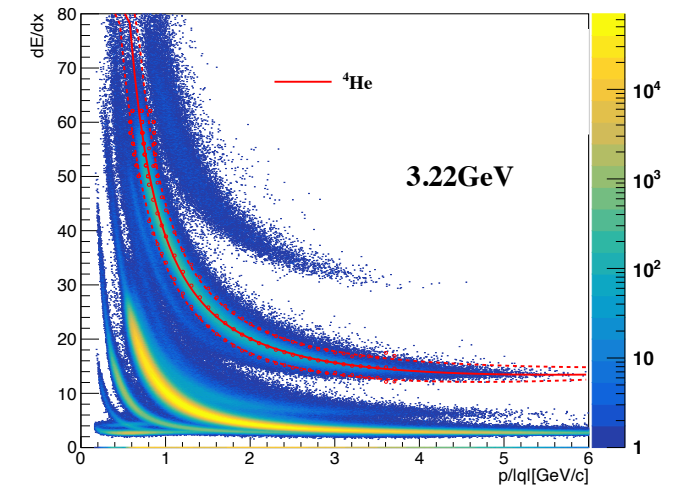
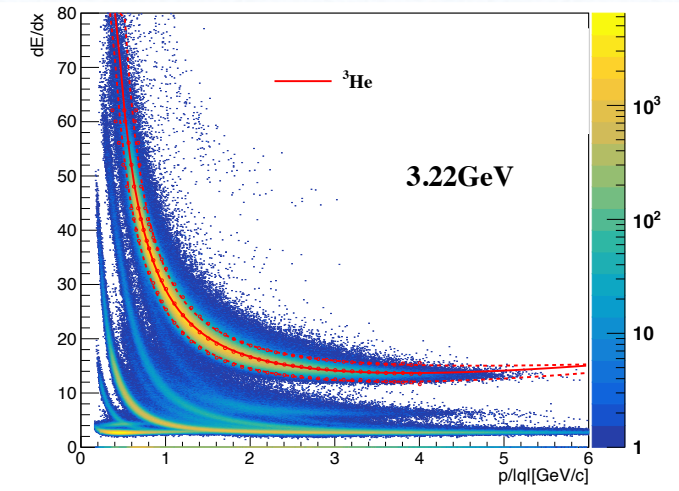
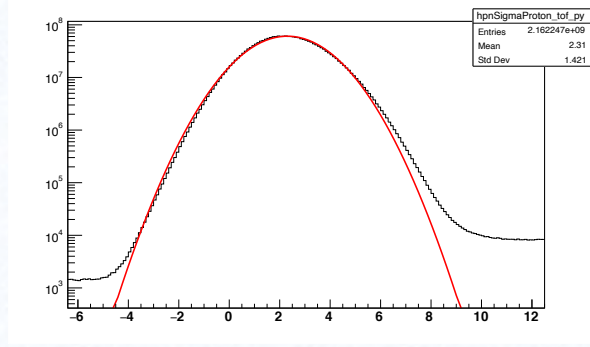
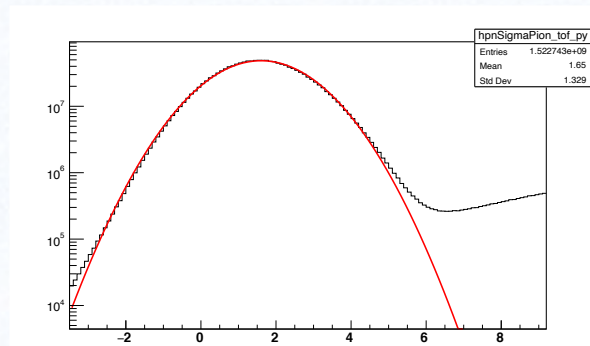
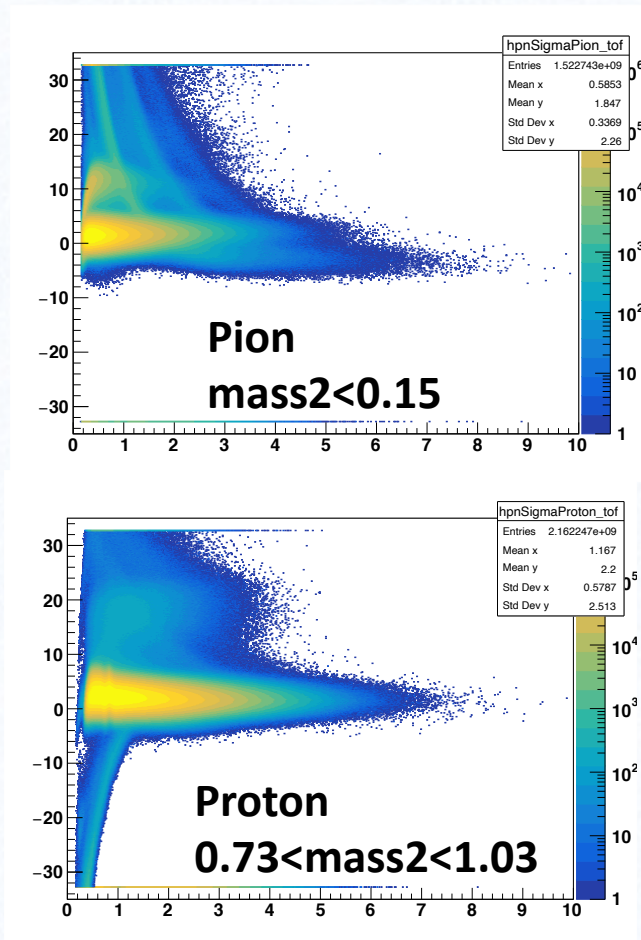
Particle identification(PID) at STAR



- TPC(dE/dx) and TOF(m_2)

PID check

Check the calibration for daughter particles



Particle reconstruction

- Use the KFParticle package for particle reconstruction

State vector

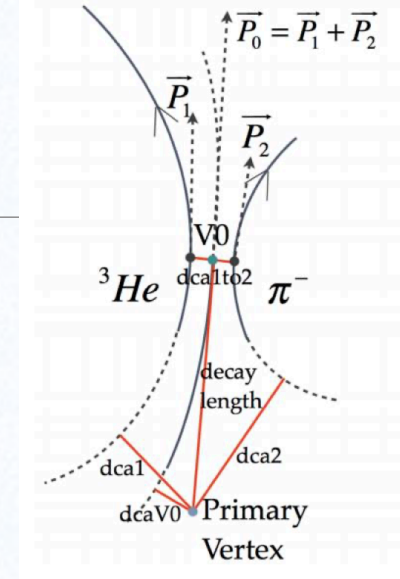
Position, momentum and energy

$$\mathbf{r} = \{x, y, z, p_x, p_y, p_z, E\}$$

$$\mathbf{C} = \langle \mathbf{r} \mathbf{r}^T \rangle$$

Covariance matrix

- Take parameters and their errors into account in reconstruction
- Analysis cuts based on physical parameters normalized by their respective error:
 - χ_{topo}^2 : DCA of mother particle to PV in chi2
 - χ_{prim}^2 : DCA of daughter particle to PV in chi2
 - $|d|$: normalized decay length



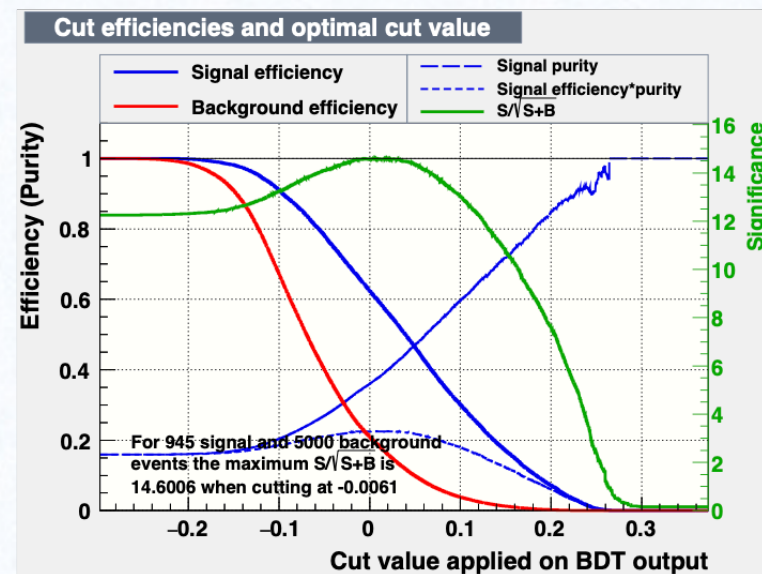
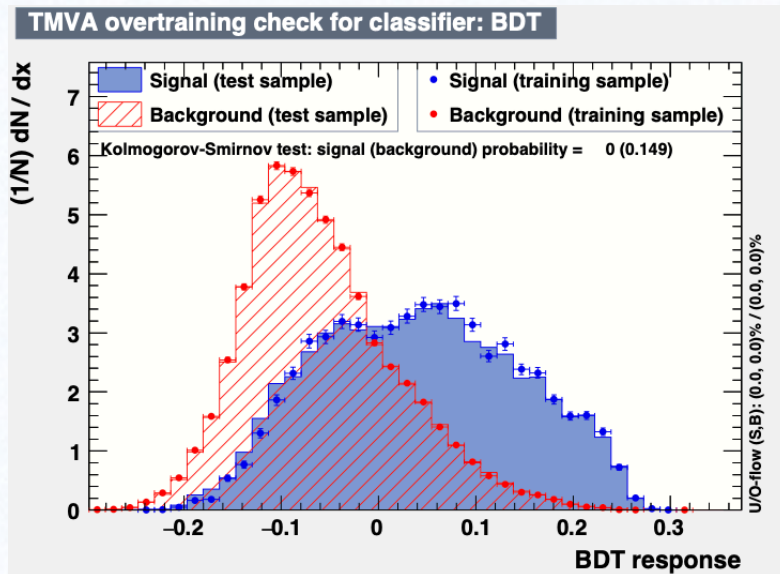
	Decay channels
${}^3_{\Lambda}\text{H}$	${}^3\text{He} + \pi^-, {}^2\text{H} + p + \pi^-$
${}^4_{\Lambda}\text{H}$	${}^4\text{He} + \pi^-$
${}^4_{\Lambda}\text{He}$	${}^3\text{He} + p + \pi^-$
${}^5_{\Lambda}\text{He}$	${}^4\text{He} + p + \pi^-$
${}^4_{\Lambda\Lambda}\text{H}$	${}^4_{\Lambda}\text{He} + \pi^-, {}^3_{\Lambda}\text{H} + p + \pi^-$
${}^5_{\Lambda\Lambda}\text{H}$	${}^5_{\Lambda}\text{He} + \pi^-$
${}^6_{\Lambda\Lambda}\text{He}$	${}^5_{\Lambda}\text{He} + p + \pi^-$

Improve signal: cuts optimization

signal: embedding simulation

background: rotational background from real data

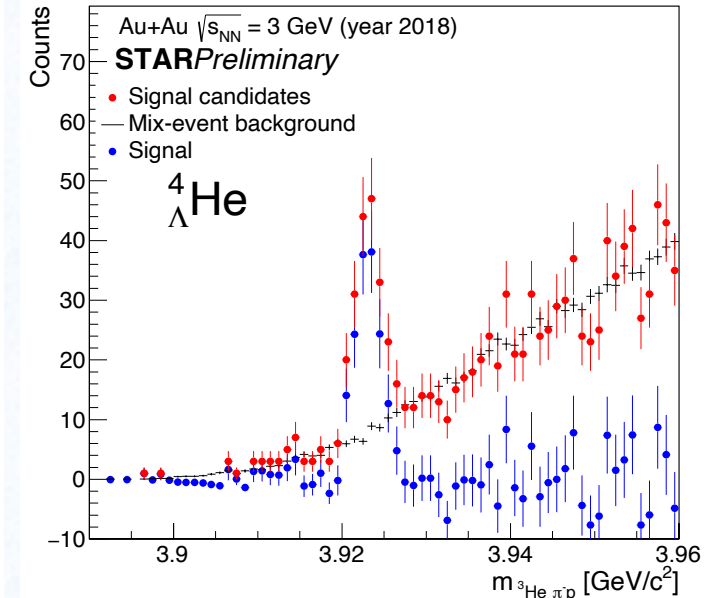
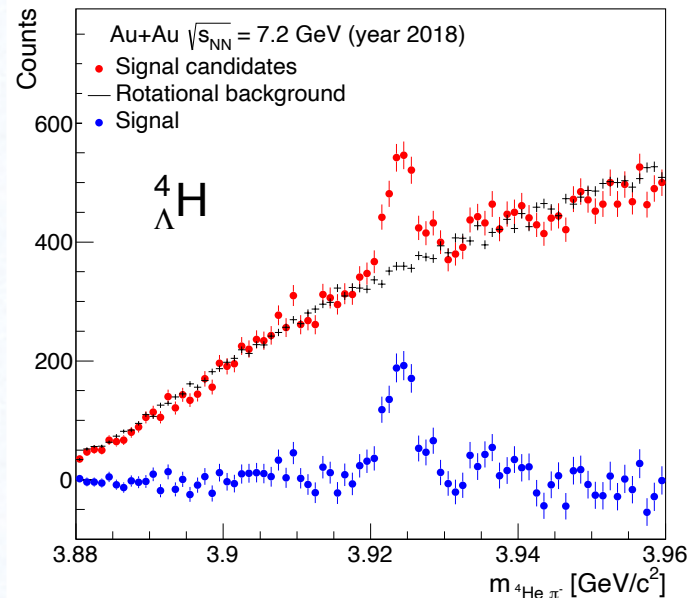
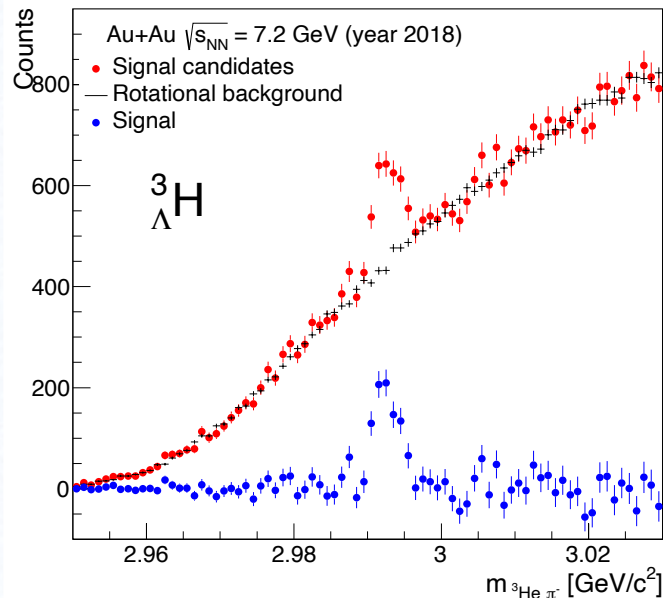
7.2 GeV H4L



- TMVA (Toolkit for Multivariate Data Analysis)
- Training on multiple variables based on the BDT (Boosted decision tree) method
 - Cut choosing: balance of significance and efficiency

Background reconstruction technics

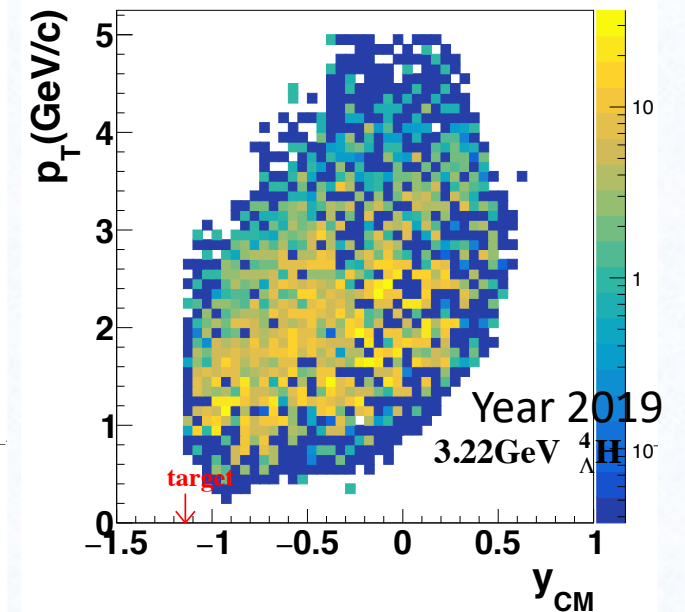
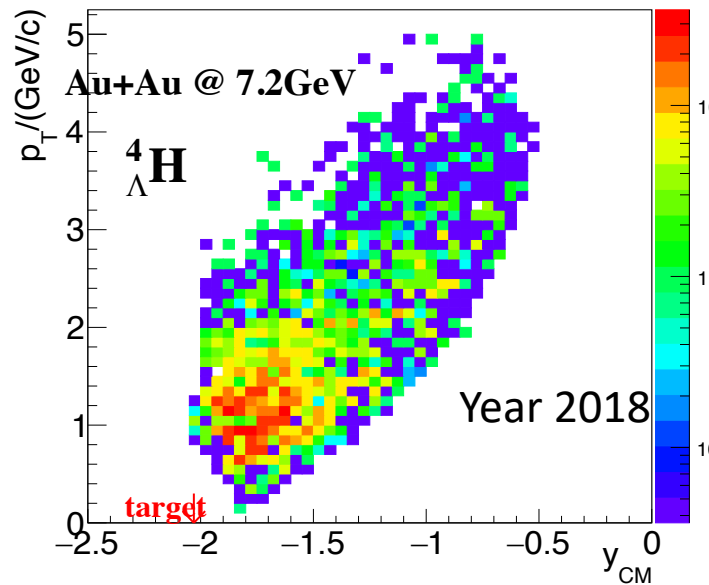
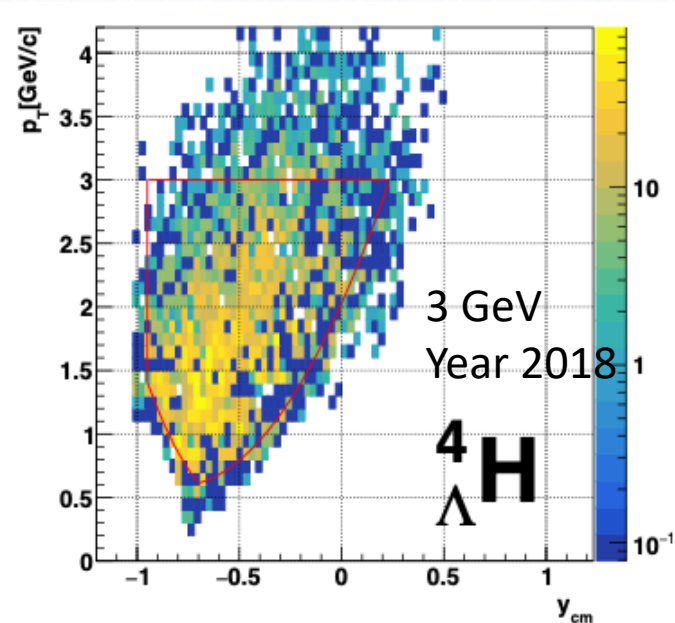
- Rotational background: rotate daughter particle in transverse plane
- Mix-event background: mix daughter particles from different events
 - For 3-body decay, e.g. for He^4_L , mix ${}^3\text{He}$ and $p\pi^-$ pairs.



Signal acceptance in CM frame

For FXT collisions,

- $y_{CM} = -(y_{LAB} - y_{MID})$
- for 3GeV, $y_{MID} = -1.05$; for 3.22GeV, $y_{MID} = -1.14$; for 7.2GeV, $y_{MID} = -2.03$



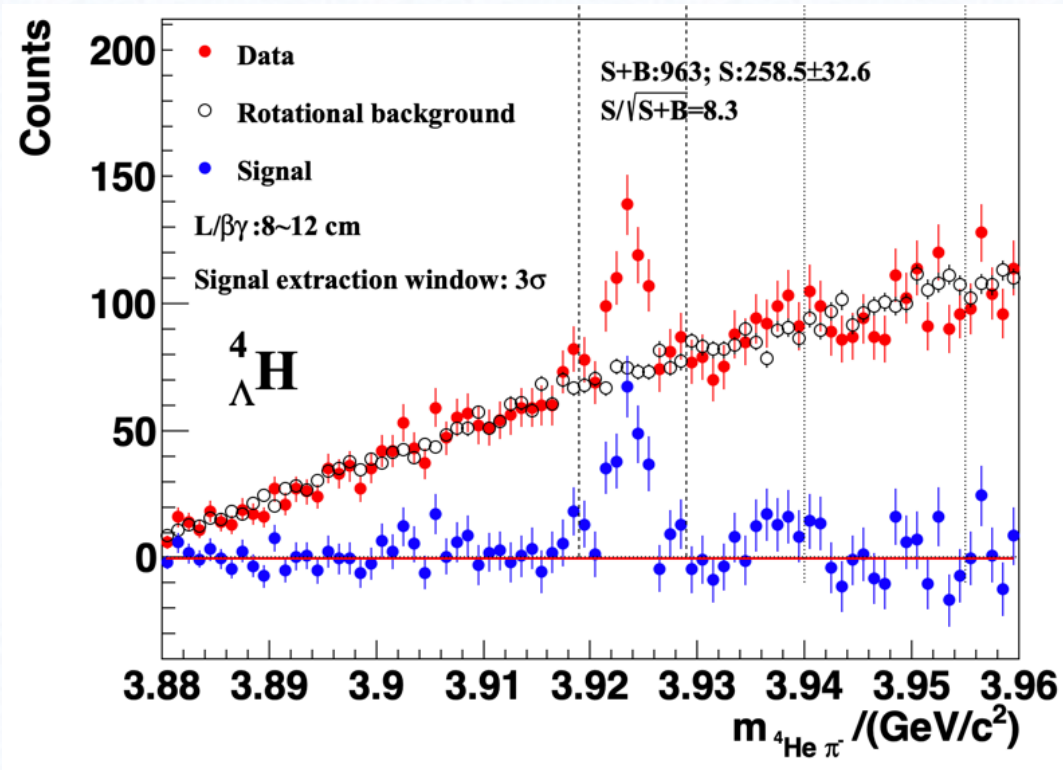
Better coverage for Run2019 with iTPC

Lifetime analysis outline

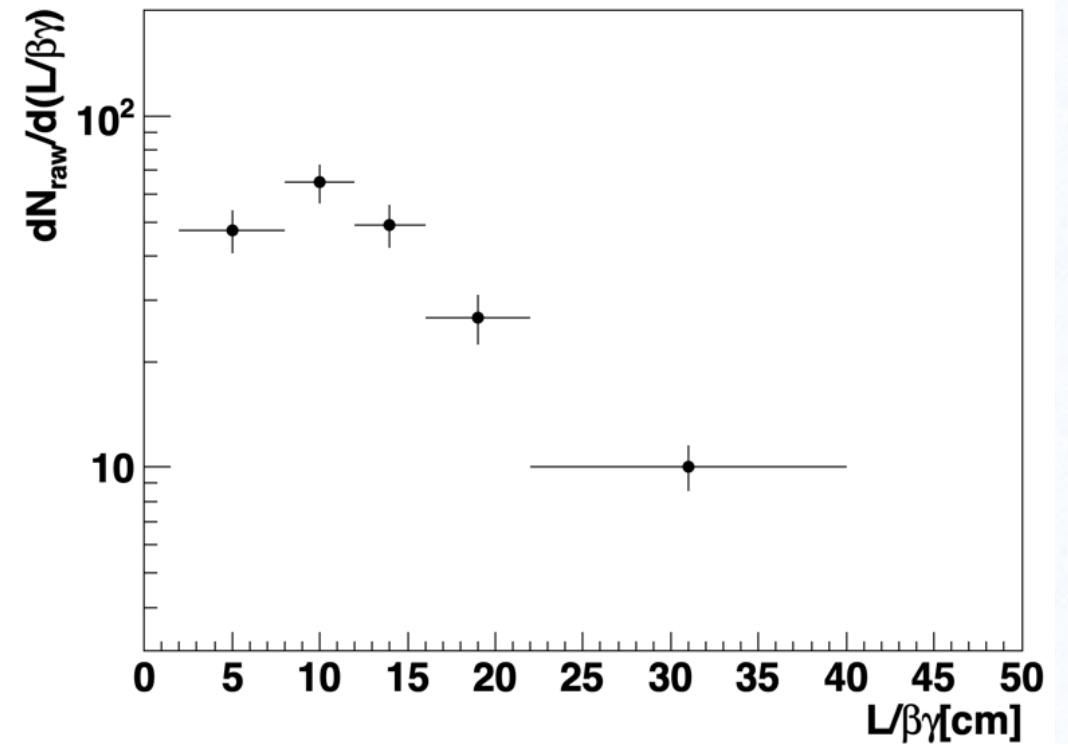
- Measure the signal counts as a function of $L/\beta\gamma$
- Calculate efficiency as a function of $L/\beta\gamma$
- Correct the raw signal counts with efficiency from simulation
- Fit with an exponential to extract the lifetime
 - $N(t) = N_0 e^{-L/\beta\gamma c\tau}$, L: decay length
- Systematic uncertainties study

Raw counts as a function of $L/\beta\gamma$

An example of H4L @Au+Au 7.2GeV



invariant mass distribution in one $L/\beta\gamma$ bin



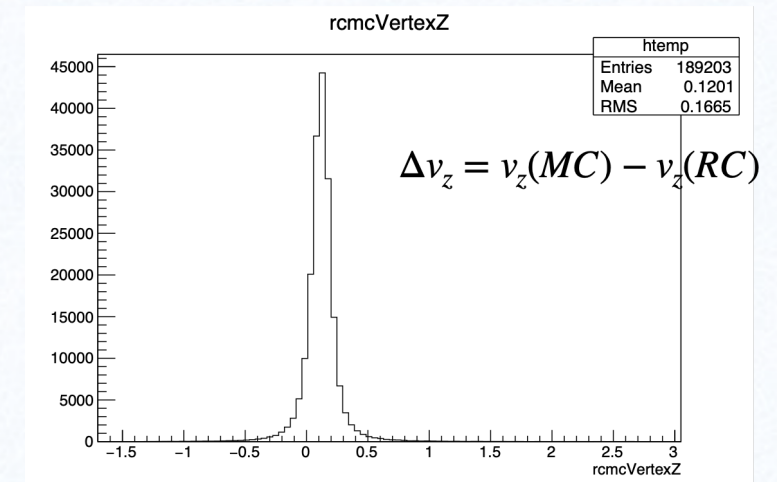
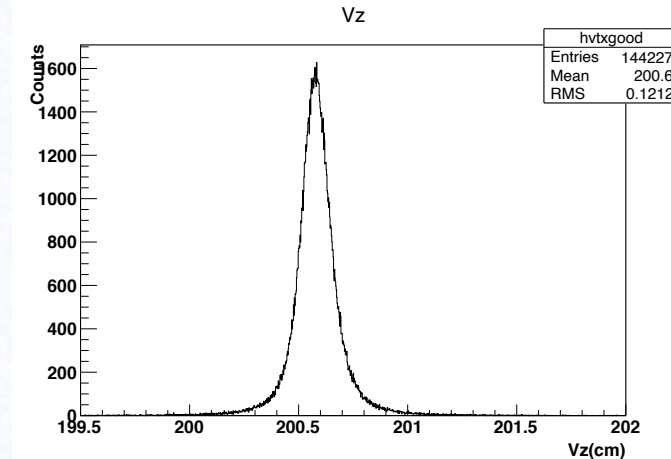
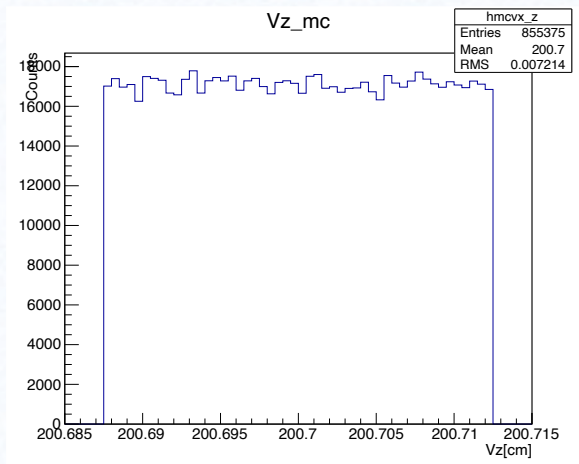
Raw signal counts as a function of $L/\beta\gamma$

Preparation for efficiency ——embedding QA

Embedding technique:

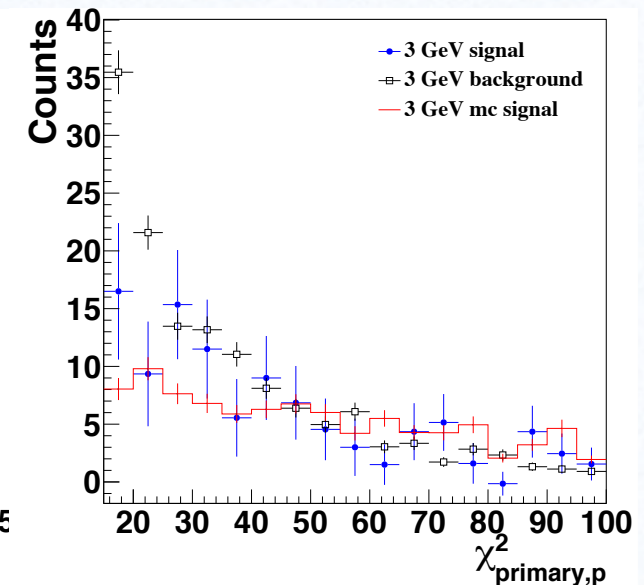
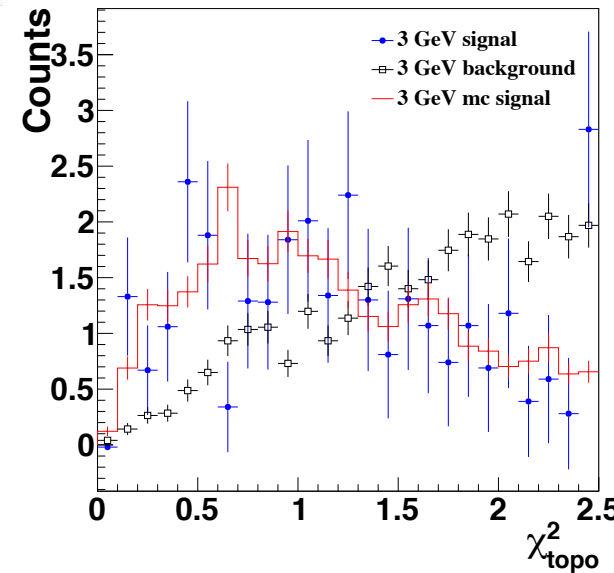
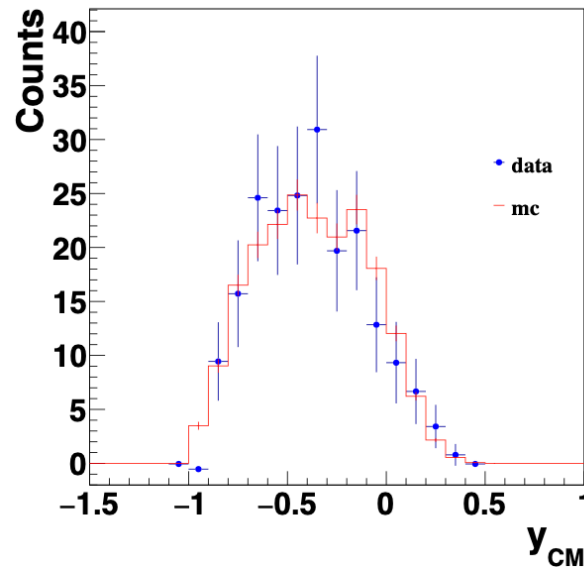
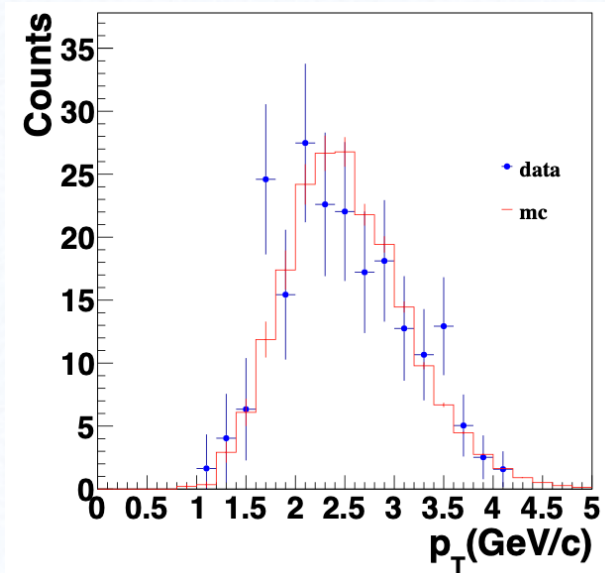
- The TPC response to Monte Carlo(MC) hypernuclei and their decay daughters is simulated in the STAR detector described in GEANT3
- Simulated signals are embedded into the real data

Embedding QA: find MC settings that describe the data uncorrectly



Efficiency from simulation

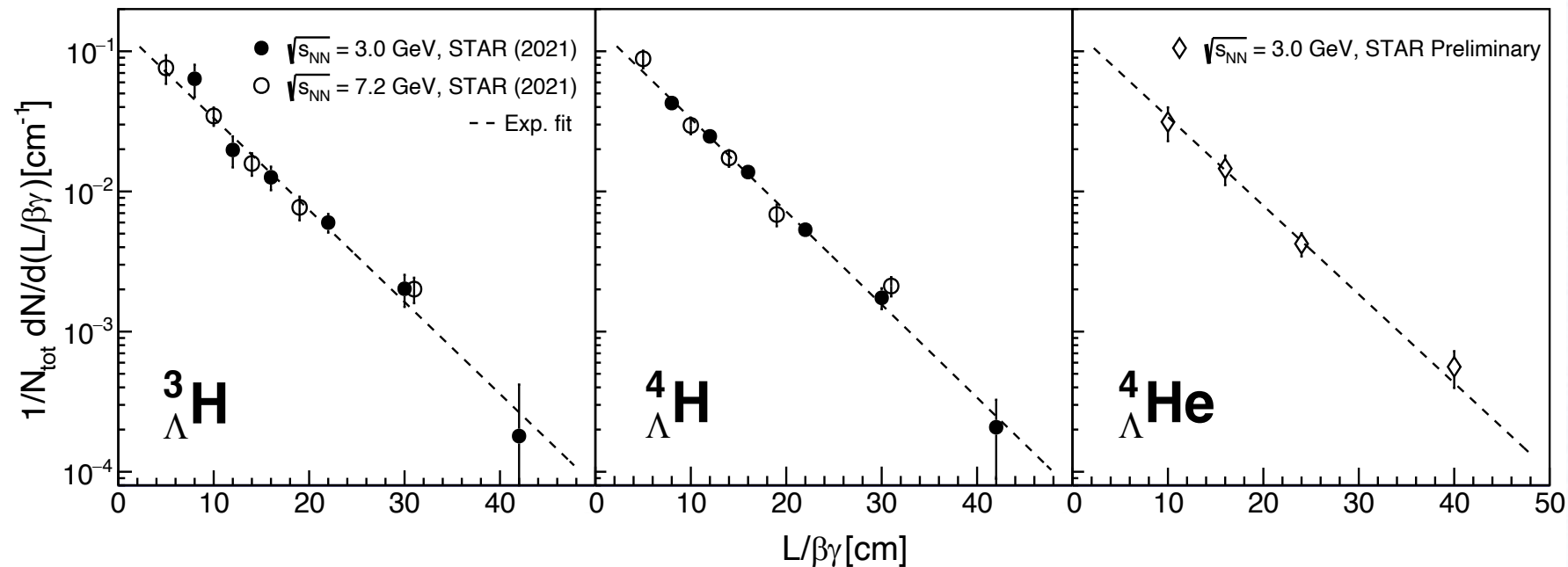
- Embedding-data tuning:
 - Tune the spectrum in the simulations to match the data
 - Reproduce variable distributions in real data



Fit lifetime

Extraction lifetime τ from an exponential fit on the corrected signal counts $dN/d(L/\beta\gamma)$ vs. $L/\beta\gamma$

$$\begin{aligned}\tau_{\Lambda^3\text{H}} &= 221 \pm 15(\text{stat.}) \pm 19(\text{syst.}) \text{ ps} \\ \tau_{\Lambda^4\text{H}} &= 218 \pm 6(\text{stat.}) \pm 13(\text{syst.}) \text{ ps} \\ \tau_{\Lambda^4\text{He}} &= 229 \pm 23(\text{stat.}) \pm 20(\text{syst.}) \text{ ps}\end{aligned}$$



Systematic uncertainties study

Sources taken into account:

- Imperfect description of topological variables between simulations and real data
- Imperfect knowledge in the real kinematic distributions of the hypernuclei
- Mismatch of single track efficiency between simulations and data
- Uncertainties related to the background subtraction technique

7.2 GeV syst. Err.:

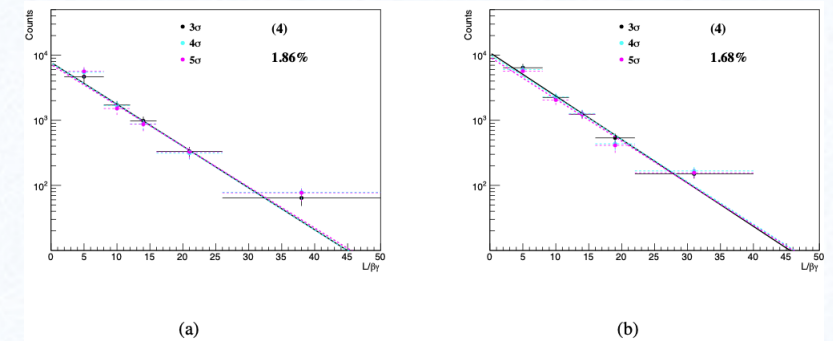


FIG. 20. Extracted lifetime with different counting window for ${}^3_{\Lambda}\text{H}$ (left) and ${}^4_{\Lambda}\text{H}$ (right).

syst. uncertainty	${}^3_{\Lambda}\text{H}$	${}^4_{\Lambda}\text{H}$
Analysis cuts	3.92%	4.25%
Input MC	5.32%	1.74%
Tracking efficiency	3.27%	1.14%
Signal extraction	1.86%	1.68%
Total	7.60%	5.02%

Eliminate stat. fluctuations from syst. errors

Eliminate errors due to statistical fluctuations:

Difference between default value and variation cut value:

$$\Delta = |\tau_{\text{default}} - \tau_{\text{variation}}|$$

Statistic error on the difference:

$$\sigma_{\Delta} = \sqrt{|\sigma_{\text{default}}^2 - \sigma_{\text{variation}}^2|}$$

$$\text{If } (\Delta > \sigma_{\Delta}), \text{systematic err: } \sigma_{\text{sys}} = \sqrt{\Delta^2 - \sigma_{\Delta}^2}$$

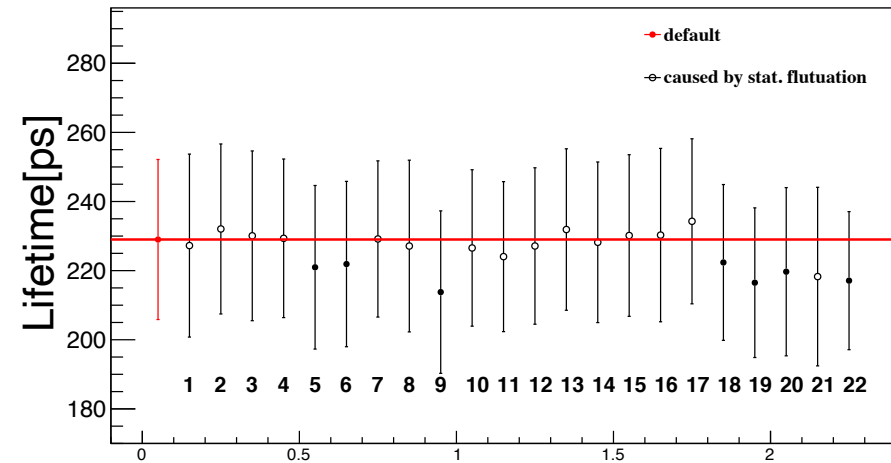
For multiple variations of a variable:

$$\sigma_{\text{sys,var}} = \sqrt{\frac{(\sigma_{\text{sys}}^{\text{cut}_1})^2 + (\sigma_{\text{sys}}^{\text{cut}_2})^2 + \dots + (\sigma_{\text{sys}}^{\text{cut}_n})^2}{n}}$$

Total sys.err: add all systematic source in quadrature

$$\sigma_{\text{sys}}^{\text{tot}} = \sqrt{(\sigma_{\text{sys,var}_1})^2 + (\sigma_{\text{sys,var}_2})^2 + \dots}$$

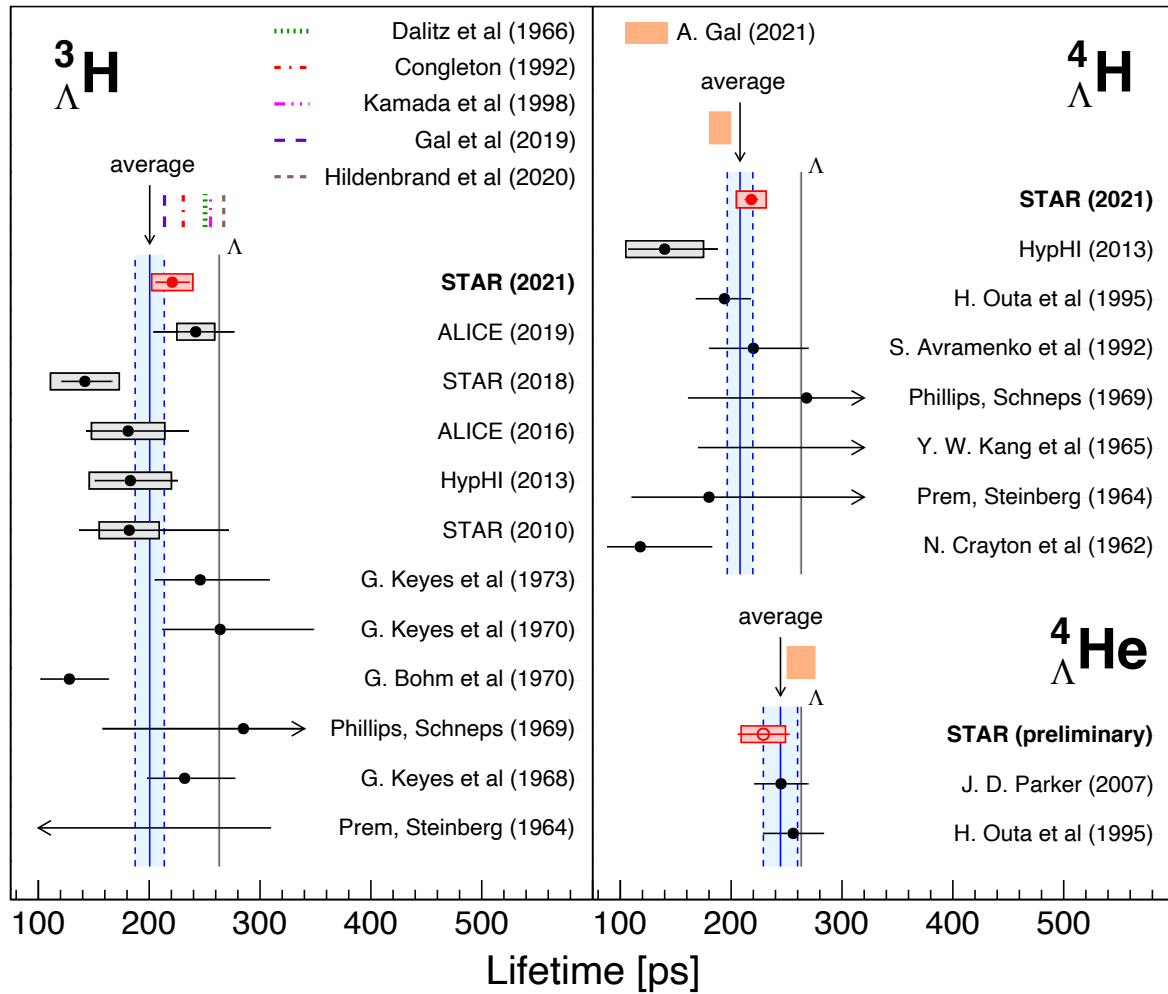
3GeV He4L syst. err:



systematic uncertainty

(1) topo cuts	6.81%
(2) input mc	4.11%
(3) minimum nhits	3.38%
(4) signal extraction window	0.91%
Total	8.69%

Lifetime results



- The averaged ${}^3_{\Lambda}H$ and ${}^4_{\Lambda}H$ lifetimes are both shorter than τ_{Λ} by $\sim 20\%$.
- The ${}^4_{\Lambda}He$ lifetime is consistent with former measurements and theoretical prediction.
- $\frac{\tau_{{}^4_{\Lambda}H}}{\tau_{{}^4_{\Lambda}He}} = 0.85 \pm 0.07$, consistent with theoretical estimations: 0.74 ± 0.04 (A. Gal arXiv 2108.10179, 2022)

Motivation - hypernuclei yield

- Investigate hypernuclei yield dependence with energy to give information on production mechanisms

- Little measurement at low collision energies

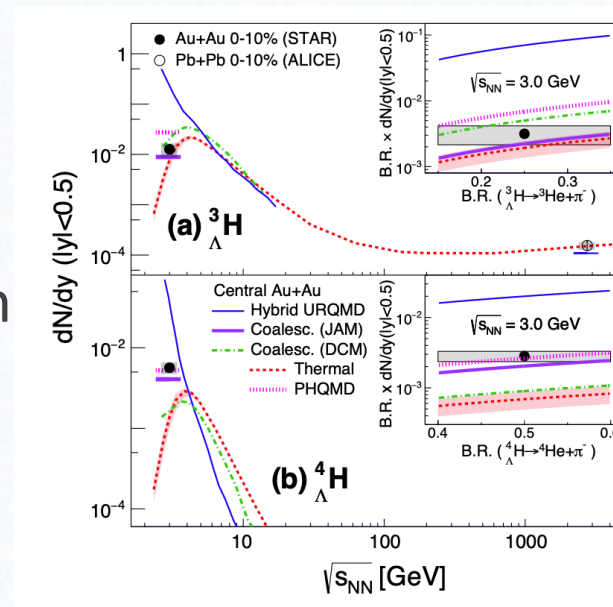
- Expect enhancement of hypernuclei production

- Isospin effect: ${}^4_{\Lambda}\text{He}$ and ${}^4_{\Lambda}\text{H}$

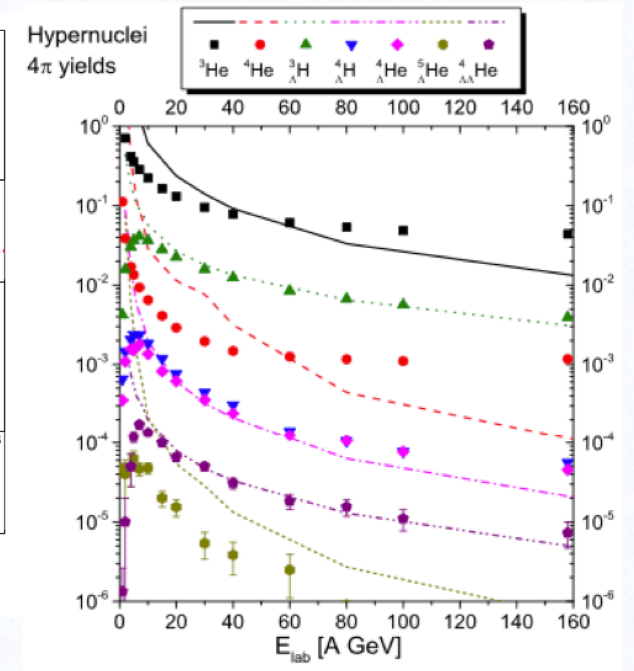
- Close Λ binding energy:

$$B_{\Lambda}({}^4_{\Lambda}\text{H}) = 2.22 \pm 0.06(\text{stat.}) \pm 0.09(\text{syst.}) \text{ MeV}$$

$$B_{\Lambda}({}^4_{\Lambda}\text{He}) = 2.38 \pm 0.13(\text{stat.}) \pm 0.06(\text{syst.}) \text{ MeV}$$



arXiv2110.09513

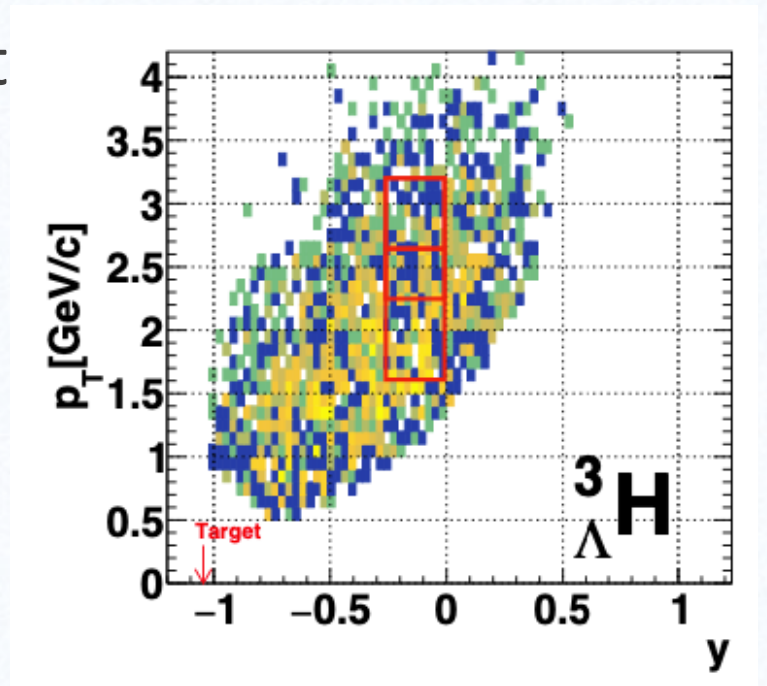


PLB 714(2012)85-91

Yield analysis outline

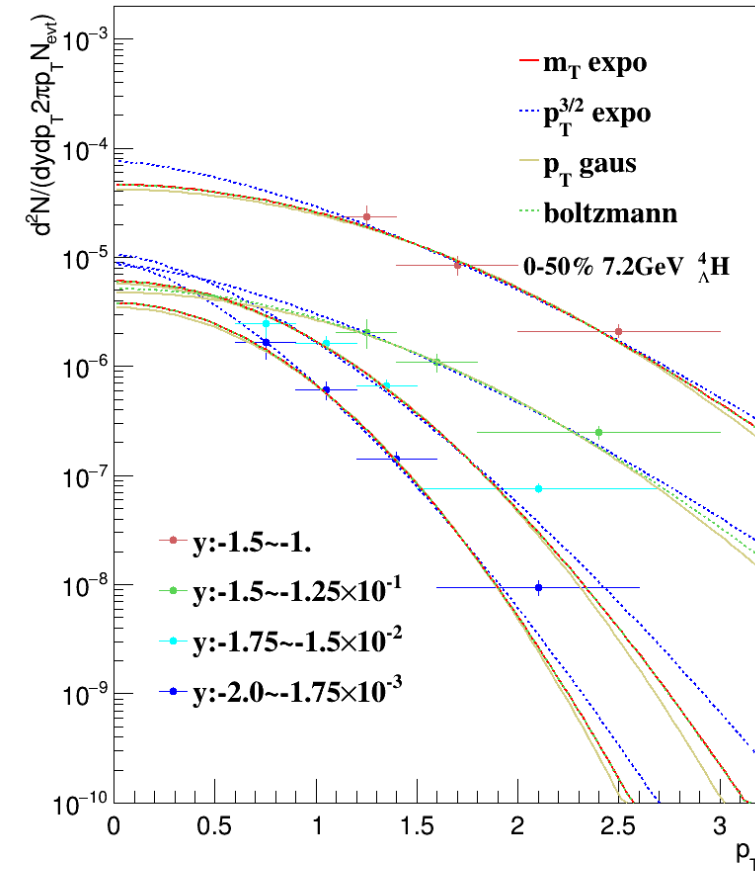
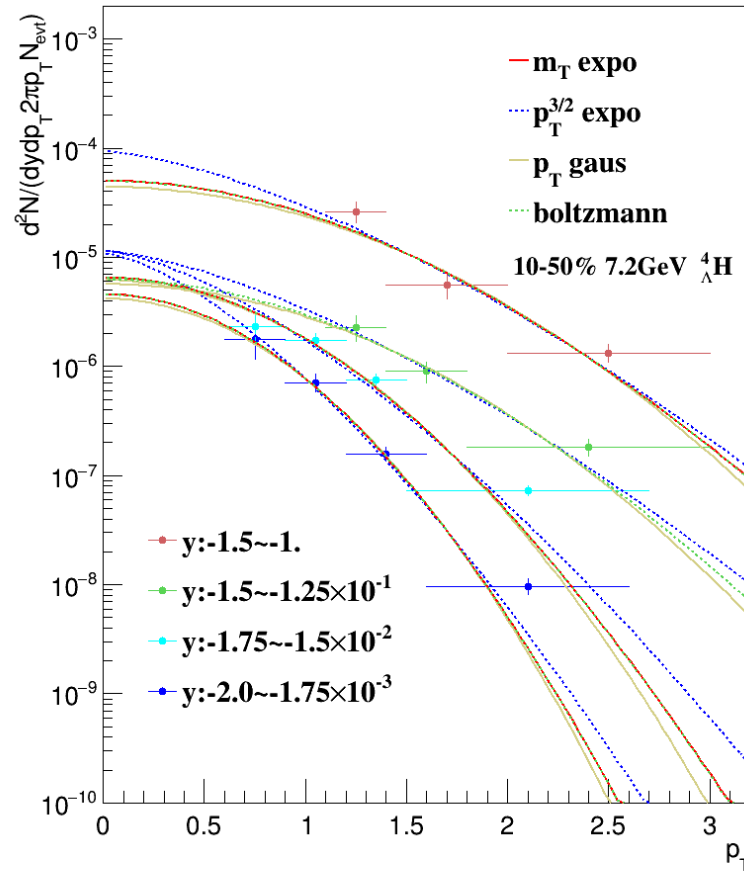
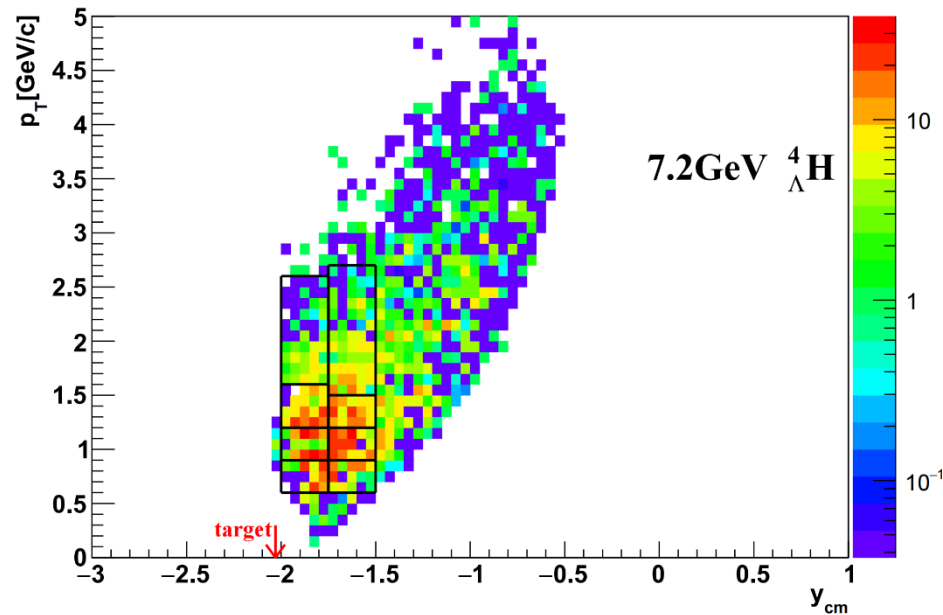
- Measure the signal counts in different y and p_T bins
- Calculate efficiency in different y and p_T bins
- Correct the raw signal counts with efficiency from simulation
- Fit p_T spectrum, get dN/dy

Do these procedures in different centrality

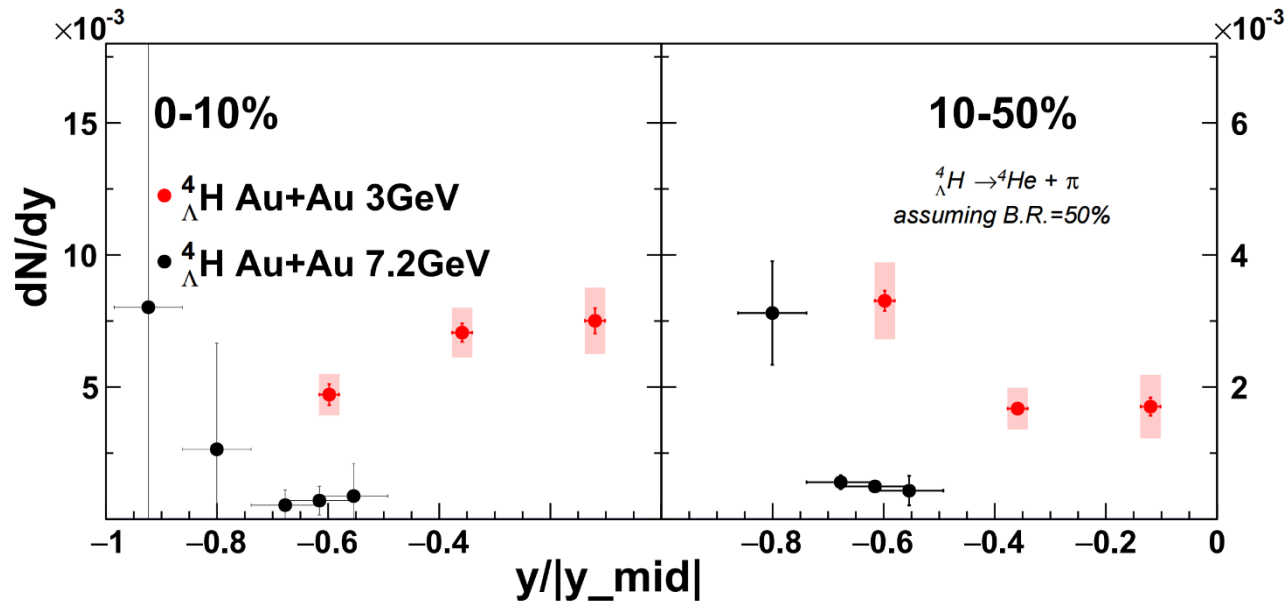


${}^4_\Lambda\text{H}$ p_T spectrum study at 7.2GeV

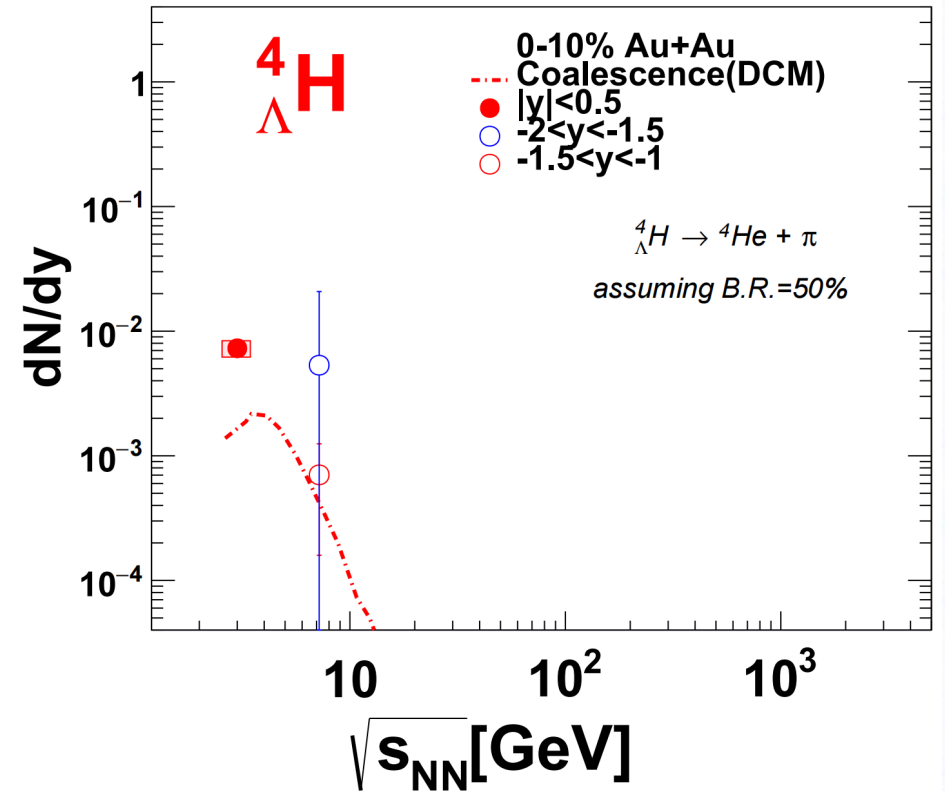
Keep significance > 3 for each bin



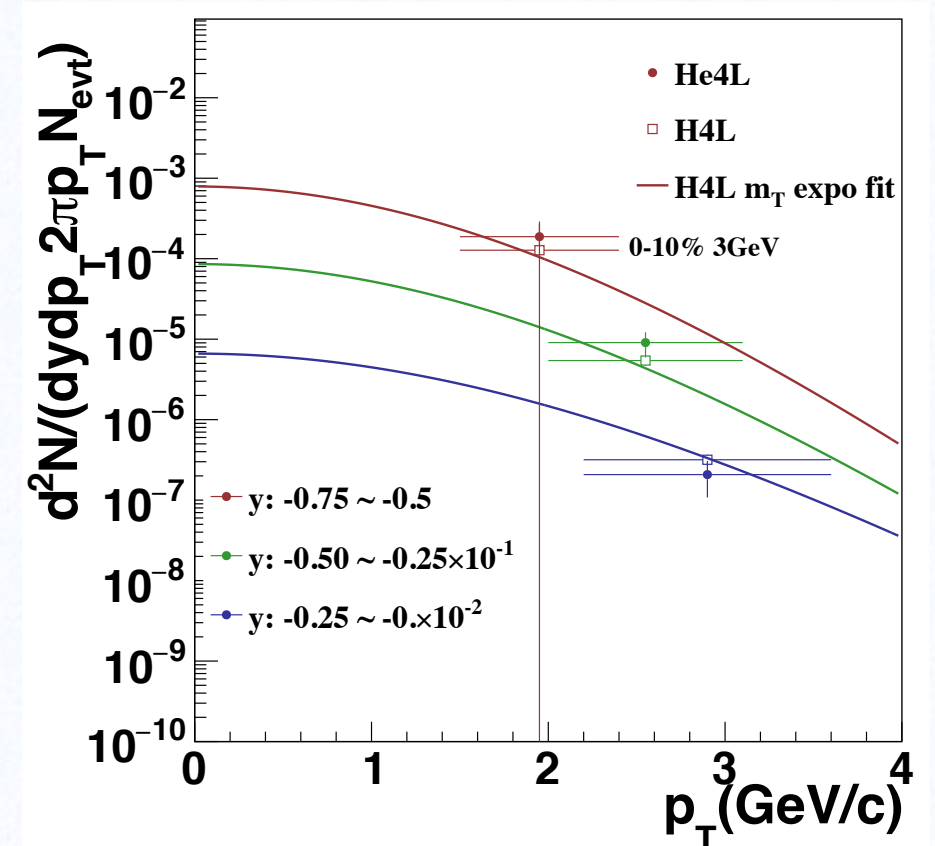
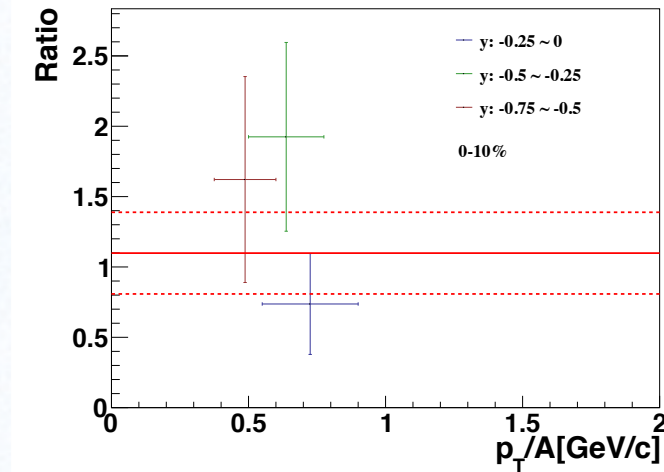
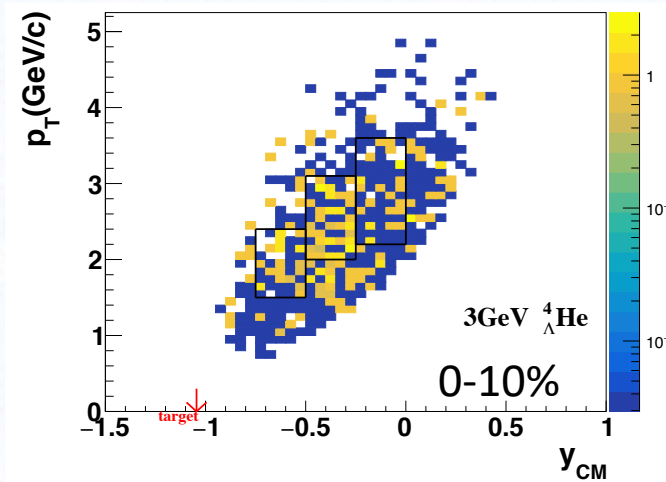
${}^4_{\Lambda}\text{H}$ yield study at 7.2 GeV



Bad mid-rapidity coverage @7.2GeV



${}^4_\Lambda\text{He}$ yield study at 3GeV and ${}^4_\Lambda\text{He} / {}^4_\Lambda\text{H}$ ratio

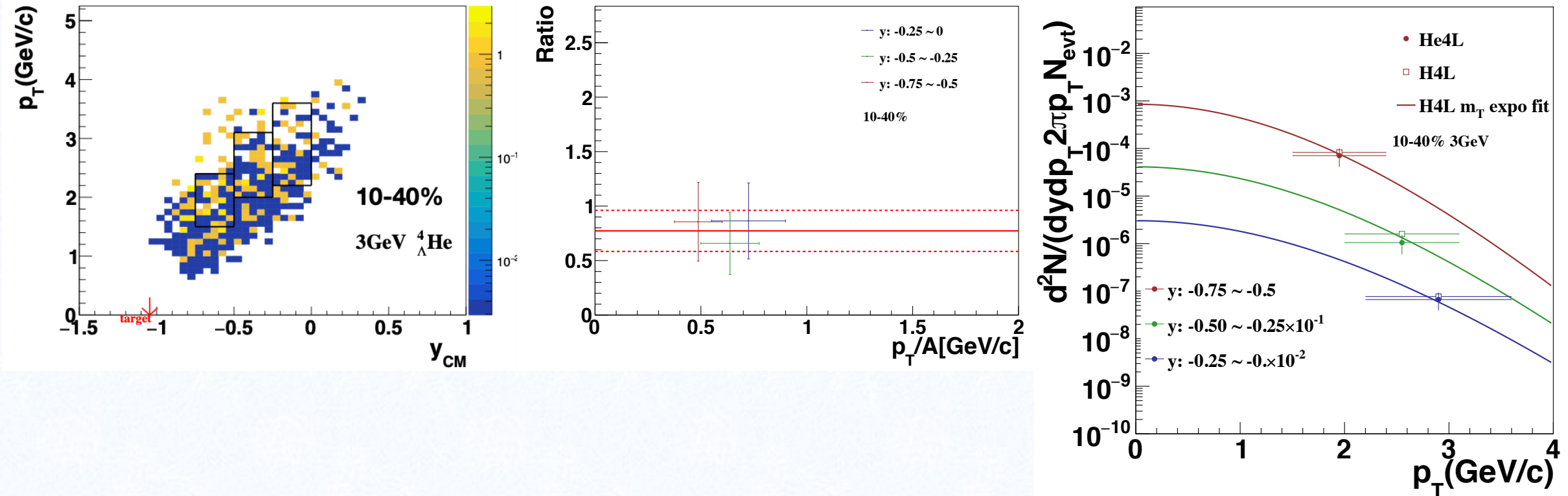


${}^4_\Lambda\text{He}$ signal significance is not enough for yield study.

Hard to study ${}^4_\Lambda\text{He}$, ${}^4_\Lambda\text{H}$ spectrum difference.

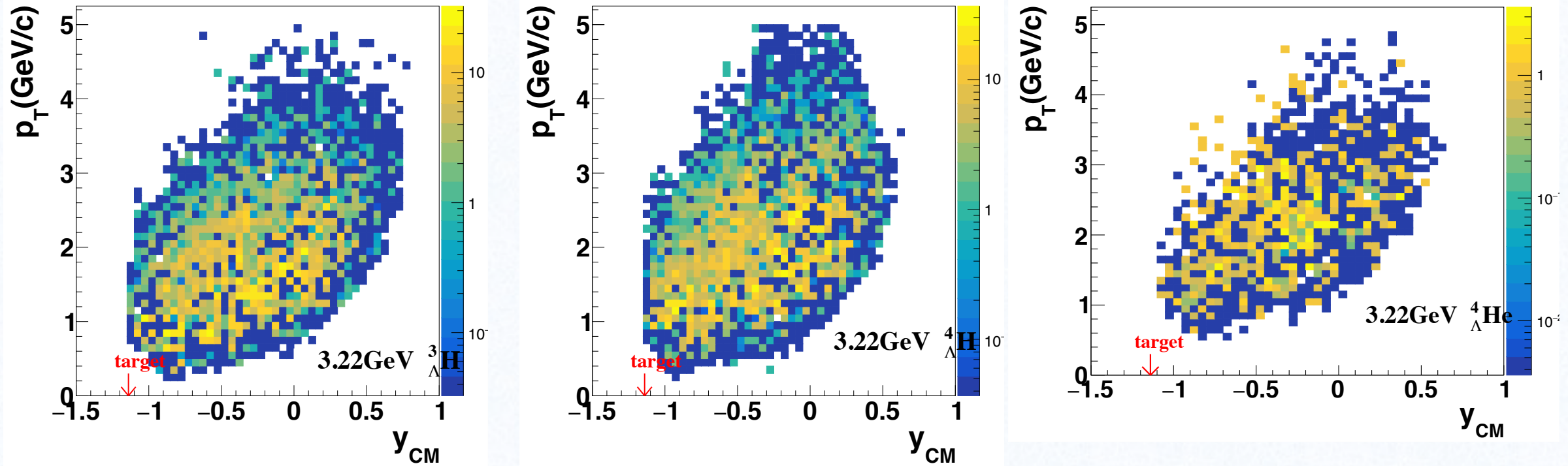
We check ${}^4_\Lambda\text{He} / {}^4_\Lambda\text{H}$ ratio in same p_T and y bins. With large errors, we can't draw a conclusion.

${}^4_\Lambda\text{He}$ yield study at 3GeV and ${}^4_\Lambda\text{He} / {}^4_\Lambda\text{H}$ ratio



We hope for p_T spectrum and yield differences for ${}^4_\Lambda\text{He}$ and ${}^4_\Lambda\text{H}$.

Good acceptance at 3.22 GeV



First look at 3.22 GeV without cut optimization

- Good mid-rapidity coverage
- Hopeful for yield study at 3.22 GeV

To do: energy scan

- Run19 $\sqrt{s_{NN}} = 3.22$ GeV Au+Au
 - Trigger 680001
 - MB events ~ 190 M
- 3.22 GeV hypernuclei cuts optimization
- 3.22 GeV centrality definition
- Request embedding for 3.22 GeV hypernuclei
- Hypernuclei lifetime and yield analysis

$\sqrt{s_{NN}}$ (GeV)	E_{beam} (GeV)	y_{CM}	Year Collected
3.0	3.85	1.05	2018 & 2019
3.2	4.59	1.14	2019
3.5	5.75	1.25	2020
3.9	7.3	1.37	2019 & 2020
4.5	9.8	1.52	2020
5.2	13.5	1.68	2020
6.2	19.5	1.86	2020
7.2	26.5	2.03	2018
7.7	31.2	2.10	2019 & 2020

MORE DATASETS WAITING...

```
pp500_production_2017/  production_19GeV_2019/  production_4p59GeV_fixedTarget_2019/  
production_14p5GeV_2019/  production_31GeV_fixedTarget_2019/  production_7.3GeV_fixedTarget_2019/
```

To do: double Λ hypernuclei

Based on ${}^3_{\Lambda}\text{H}$, ${}^4_{\Lambda}\text{H}$, ${}^4_{\Lambda}\text{He}$ and ${}^5_{\Lambda}\text{He}$ reconstruction, we can reconstruct ${}^4_{\Lambda\Lambda}\text{H}$, ${}^5_{\Lambda\Lambda}\text{H}$ and ${}^6_{\Lambda\Lambda}\text{He}$ in the mean time.

	Decay channels
${}^3_{\Lambda}\text{H}$	${}^3\text{He} + \pi^{-}$, ${}^2\text{H} + \text{p} + \pi^{-}$
${}^4_{\Lambda}\text{H}$	${}^4\text{He} + \pi^{-}$
${}^4_{\Lambda}\text{He}$	${}^3\text{He} + \text{p} + \pi^{-}$
${}^5_{\Lambda}\text{He}$	${}^4\text{He} + \text{p} + \pi^{-}$
${}^4_{\Lambda\Lambda}\text{H}$	${}^4_{\Lambda}\text{He} + \pi^{-}$, ${}^3_{\Lambda}\text{H} + \text{p} + \pi^{-}$
${}^5_{\Lambda\Lambda}\text{H}$	${}^5_{\Lambda}\text{He} + \pi^{-}$
${}^6_{\Lambda\Lambda}\text{He}$	${}^5_{\Lambda}\text{He} + \text{p} + \pi^{-}$

Paper and presentation

● Paper

Xiujun Li et al., Temperature Fluctuation and the Specific Heat in Au+Au Collisions at Collision Energies from 5 to 200 GeV, Nuclear Physics Review 36(4), 395-399, 2019.12.20

STAR Collaboration, Measurements of ${}^3_{\Lambda}\text{H}$ and ${}^4_{\Lambda}\text{H}$ Lifetimes and Yields in Au+Au Collisions in the High Baryon Density Region, arXiv 2110.09513

● Presentation

Poster, CNPC 2019, “Temperature Fluctuation and the Specific Heat in Au+Au Collisions at $\sqrt{s_{NN}} = 7 - 200$ GeV in AMPT model”, China, August 16-20, 2019.

Poster, Quark Matter 2019, “Temperature Fluctuation and the Specific Heat in Au+Au Collisions at $\sqrt{s_{NN}} = 7.7 - 200$ GeV from AMPT model and STAR”, China, November 3-9, 2019.

Talk, The 14th workshop on QCD phase transition and relativistic heavy-ion physics (QPT 2021), “Lifetime measurements of ${}^3_{\Lambda}\text{H}$ and ${}^4_{\Lambda}\text{H}$ in Au+Au Collisions at $\sqrt{s_{NN}} = 7.2$ GeV from STAR experiment”, China, July 26-30, 2021.

Poster, The 13th China Particle Physics Conference, “Lifetime measurements of ${}^3_{\Lambda}\text{H}$ and ${}^4_{\Lambda}\text{H}$ in Au+Au Collisions at $\sqrt{s_{NN}} = 7.2$ GeV from STAR experiment”, China, August 16-19, 2021.