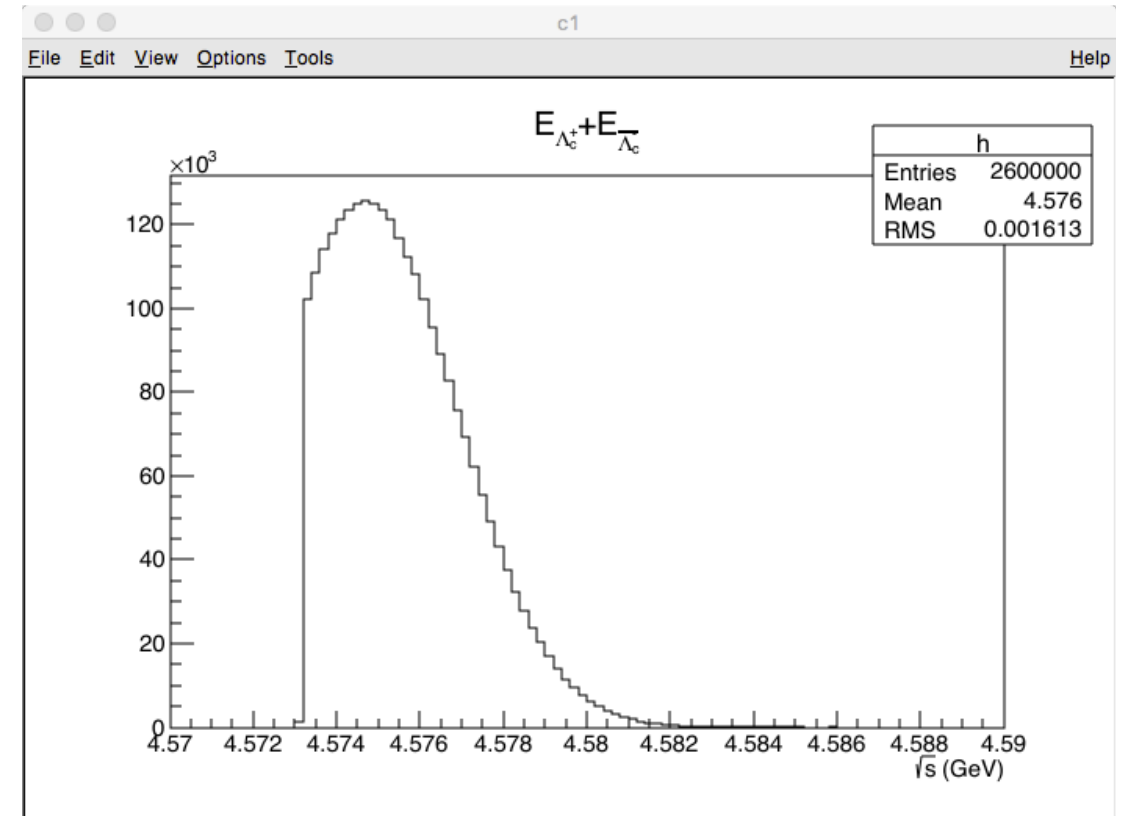


Energy spread with $\Lambda_c^+ + c.c.$

Introduction

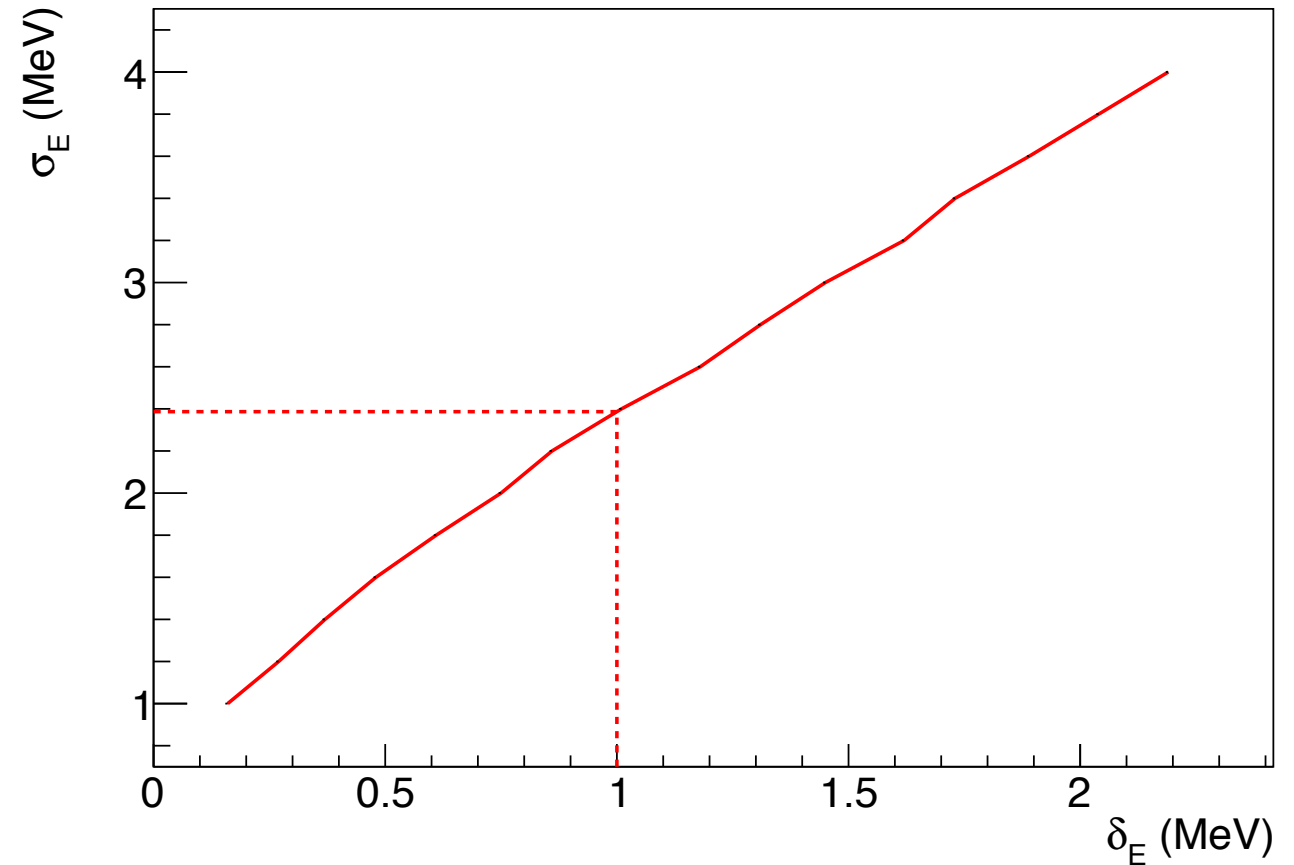
- Generally, $\langle E_{cm} \rangle = \langle M(X) \rangle$,
X is all the particles in final state,
like $\mu\mu$, KK, or $\Lambda_c^+ + c.c.$
- if E_{cm} is very close to threshold
of X, then $\langle E_{cm} \rangle \neq \langle M(X) \rangle$
due to energy spread. since only
collisions with $E_{cm} > E_{th}$ can
generate X.



toy MC study

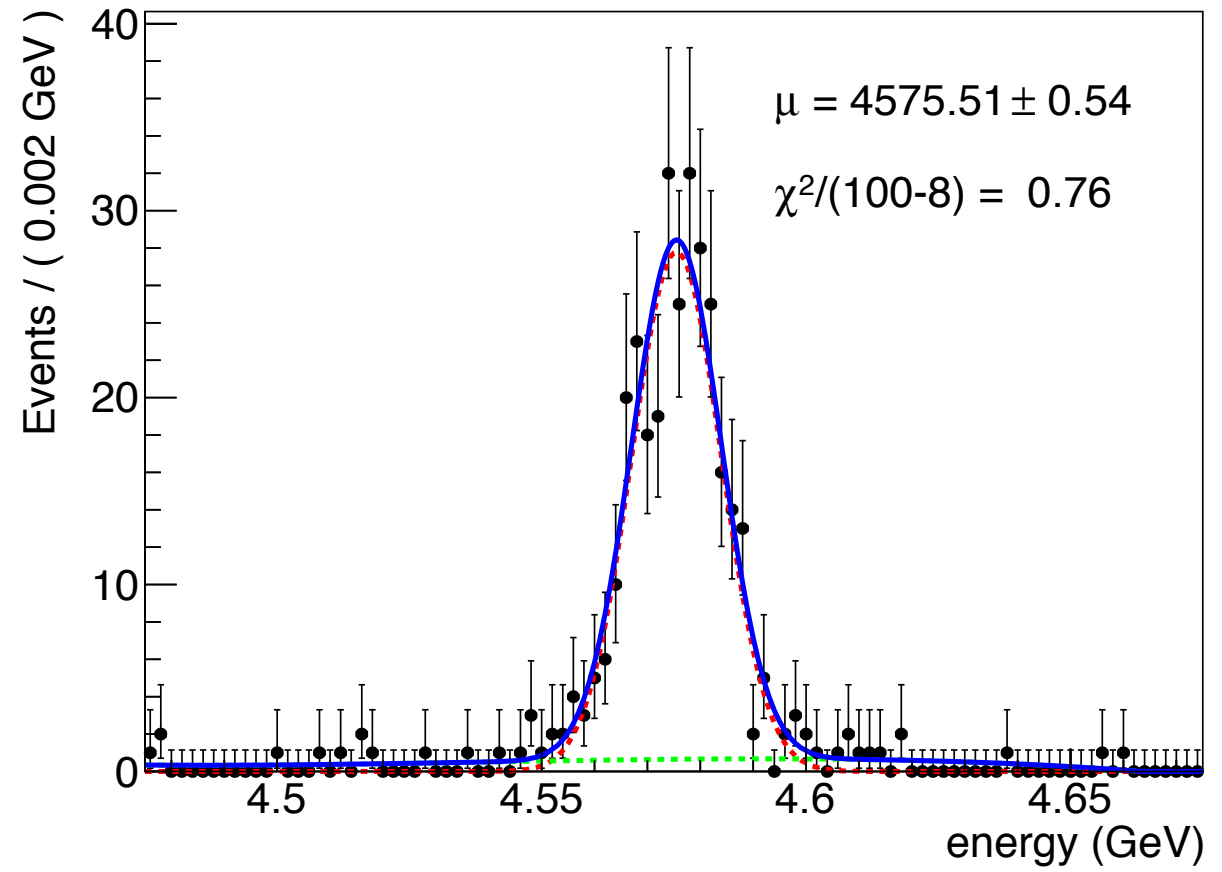
$$\delta E = M(X) - E_{\text{cm}}$$

σ_E is the c.m. energy spread



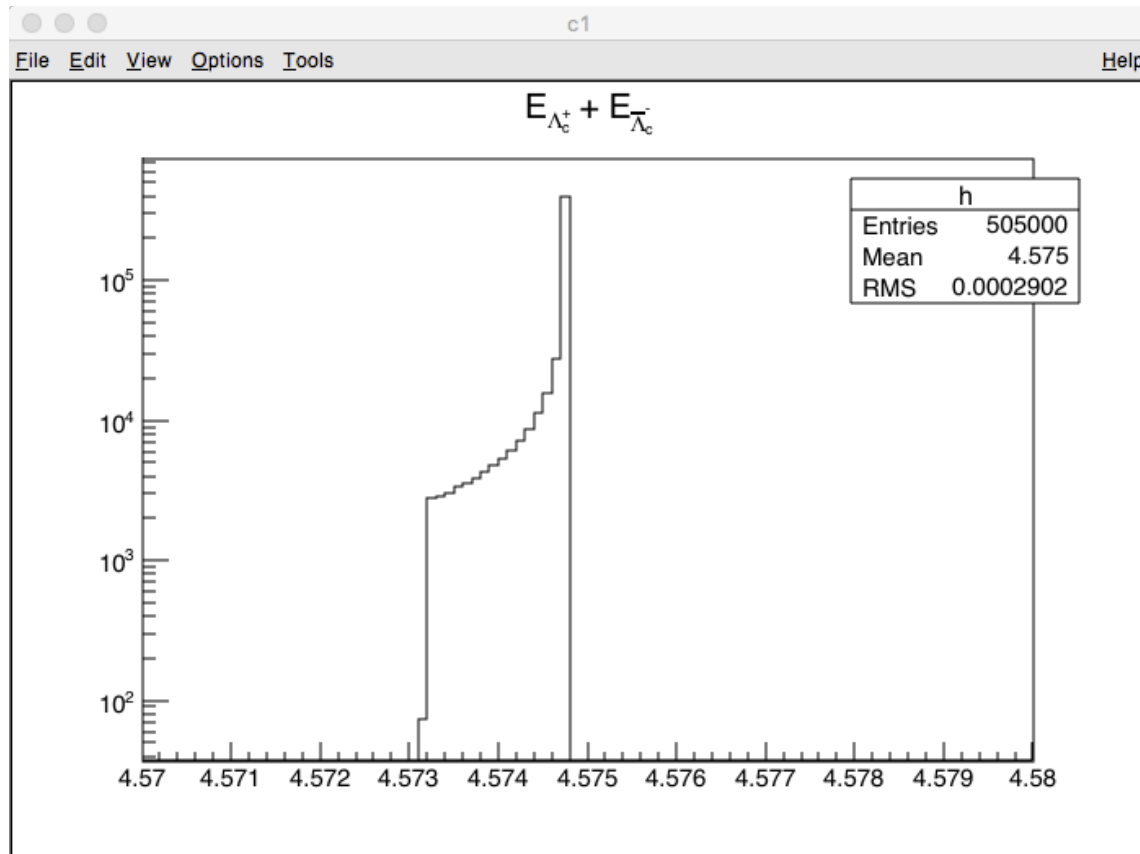
data $M(\Lambda_c^+ \bar{\Lambda}_c^-)$

Ecm measured with $\mu\mu$
is 4574.50 ± 0.72 MeV

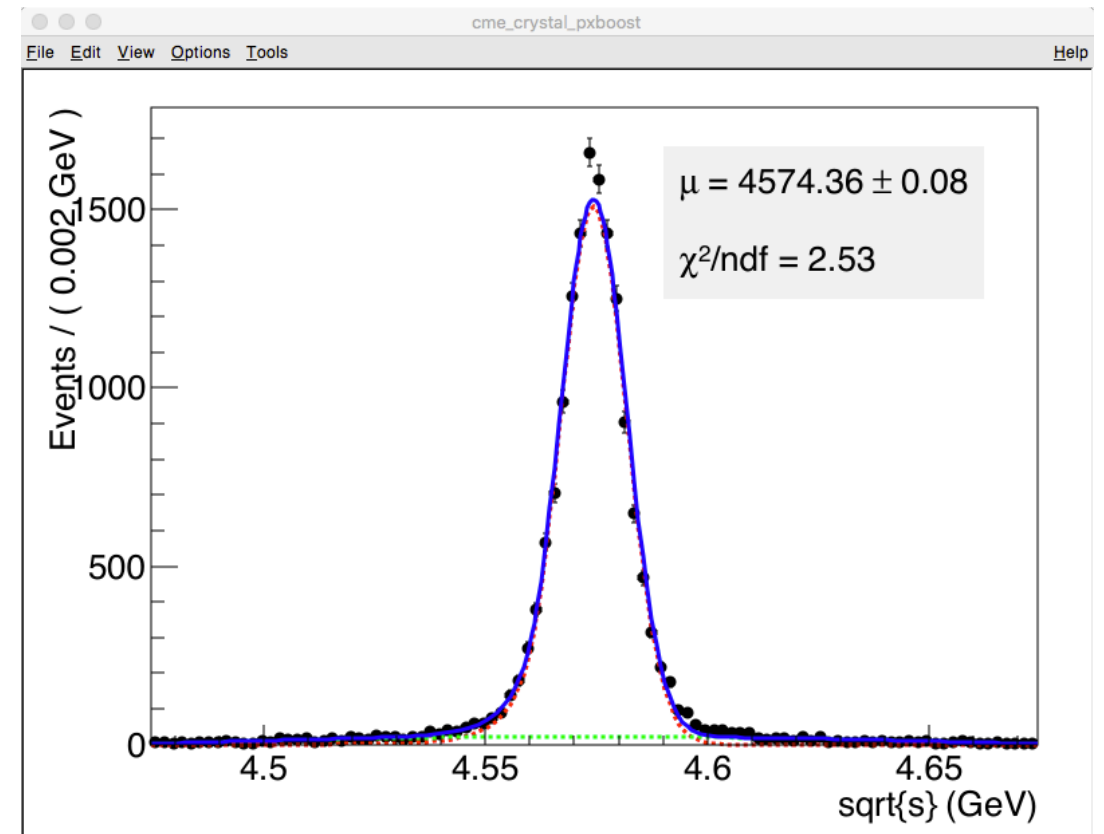


mc check without energy spread

- truth $E_{\Lambda_c^+} + E_{\bar{\Lambda}_c^-}$

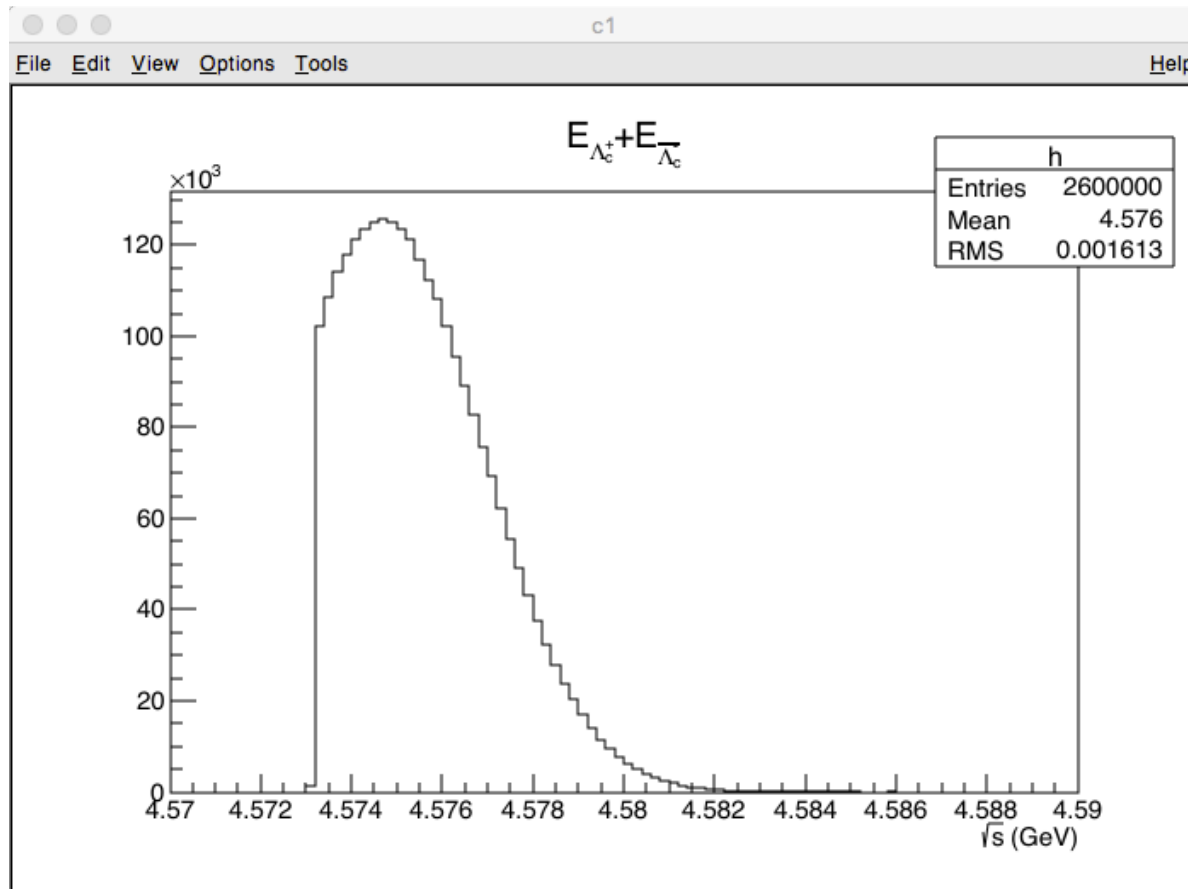


- $M(\Lambda_c^+ \bar{\Lambda}_c^-)$

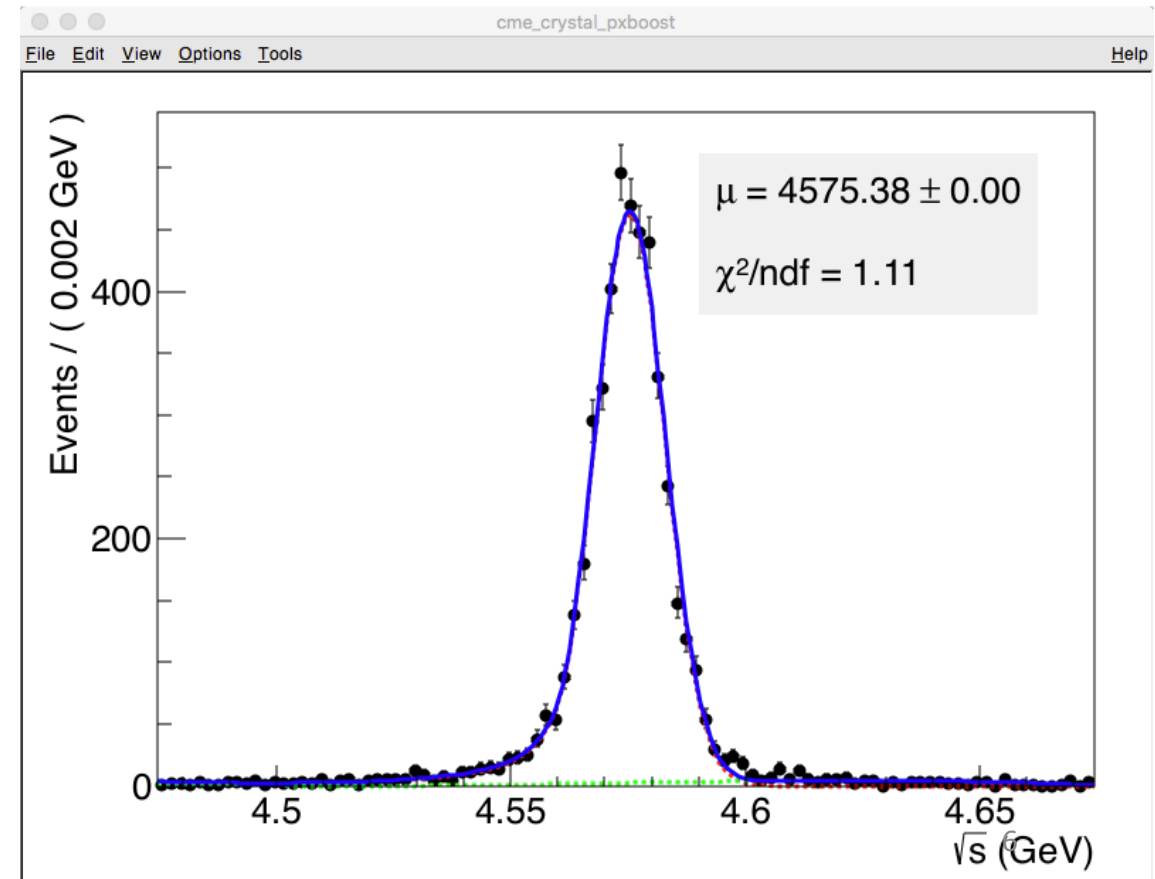


mc with energy spread 2.2 MeV

- truth $E_{\Lambda_c^+} + E_{\bar{\Lambda}_c^-}$



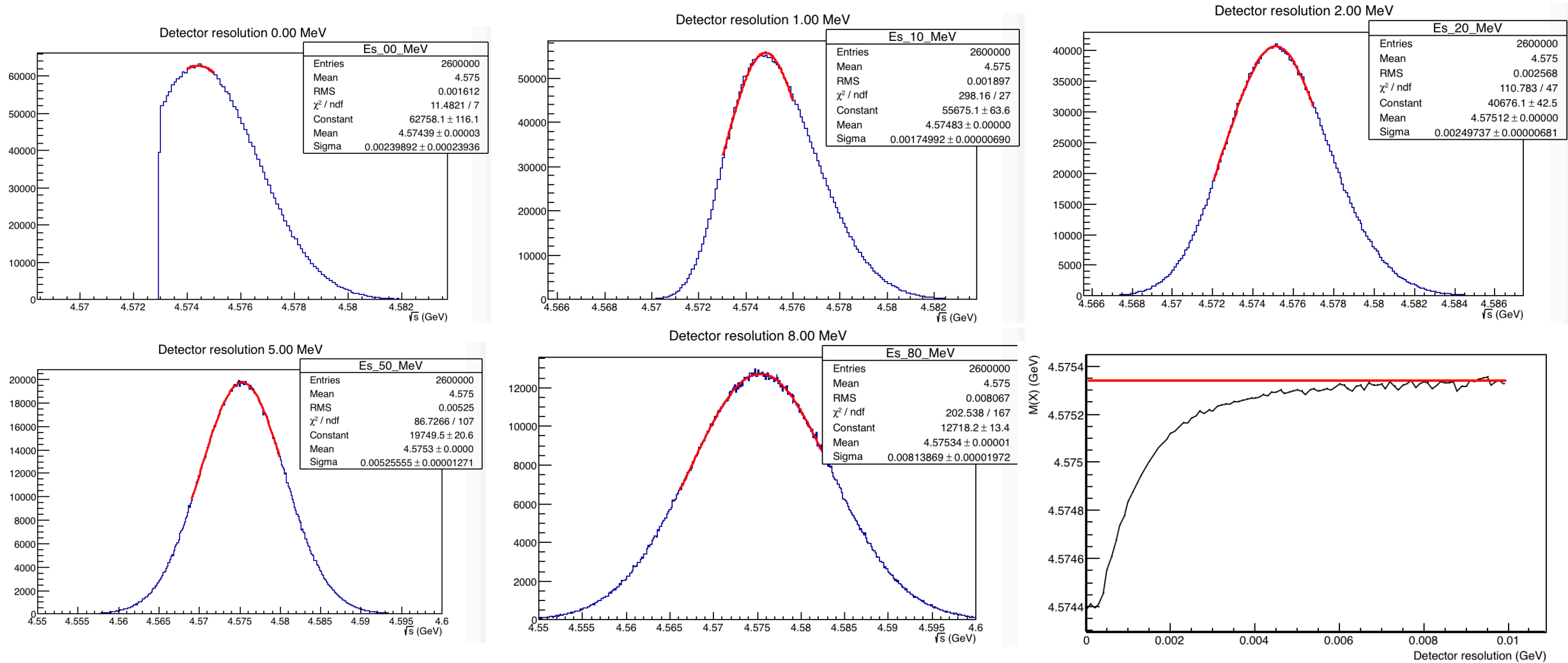
- $M(\Lambda_c^+ \bar{\Lambda}_c^-)$



problem from group meeting

- Is the peak value from the fit suitable for the calculation of δE ($\delta E = M(X) - E_{cm}$)?
- To check the problem, I use MC truth smeared with gaussian function(simulating the detector resolution) to check the peak of $M(X)$. The peak is extracted with a gaussian to fit the spectrum of $M(X)$ near the peak. The result shows **if the resolution of detector is much larger than energy spread, δE can be described by the peak value** just as what the mean value of $M(X)$ do. Next slide shows some plots of E_{cm} after considering detector resolution.

problem from group meeting



The first 5 plots shows $M(X)$ with different detector resolution, from 0 to 8 MeV.

The last plot shows the relation between $M(X)$ and detector resolution. **red line** shows the average E_{cm} with threshold effect.

In our case, detector resolution is more than 5 MeV. **the peak of $M(X)$ is very close to average E_{cm} .**