



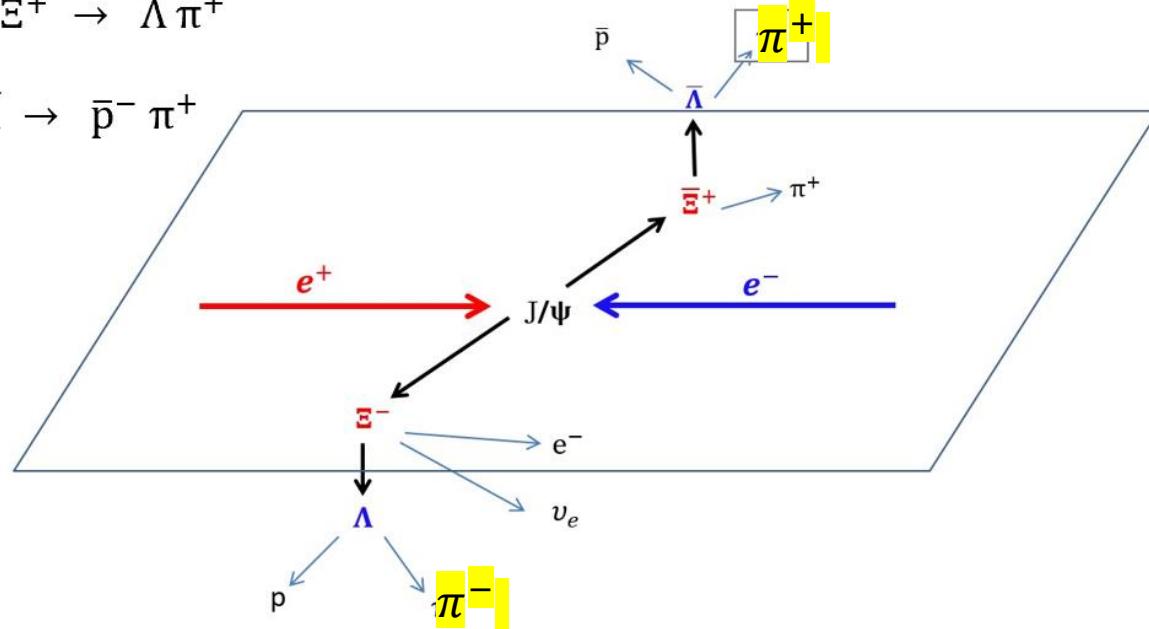
Measurements of the branching fraction for $\Xi^- \rightarrow \Lambda e^- \nu$

Data set

$$J/\psi \rightarrow \Xi^- \bar{\Xi}^+,$$

$$\Xi^- \rightarrow \Lambda e^- \nu, \quad \bar{\Xi}^+ \rightarrow \bar{\Lambda} \pi^+$$

$$\Lambda \rightarrow p^+ \pi^-, \quad \bar{\Lambda} \rightarrow \bar{p}^- \pi^+$$



Here I chose $\Xi^- \rightarrow \Lambda e^- \nu, \quad \bar{\Xi}^+ \rightarrow \bar{\Lambda} \pi^+$ as my data set.

Background analysis

Ξ^- DECAY MODES			
	Mode	Fraction (Γ_i/Γ)	Confidence level
Γ_1	$\Lambda\pi^-$	(99.887 \pm 0.035) %	
Γ_2	$\Sigma^-\gamma$	(1.27 \pm 0.23) $\times 10^{-4}$	
Γ_3	$\Lambda e^-\bar{\nu}_e$	(5.63 \pm 0.31) $\times 10^{-4}$	
Γ_4	$\Lambda\mu^-\bar{\nu}_\mu$	(3.5 $\begin{array}{l} +3.5 \\ -2.2 \end{array}$) $\times 10^{-4}$	
Γ_5	$\Sigma^0 e^-\bar{\nu}_e$	(8.7 \pm 1.7) $\times 10^{-5}$	
Γ_6	$\Sigma^0 \mu^-\bar{\nu}_\mu$	< 8 $\times 10^{-4}$	90%
Γ_7	$\Xi^0 e^-\bar{\nu}_e$	< 2.3 $\times 10^{-3}$	90%

The main background should be $\Xi^- \rightarrow \Lambda\pi^-$

Data set

8000000 Background mc $\Xi^- \rightarrow \Lambda \pi^-$

1412000 signal mc $\Xi^- \rightarrow \Lambda e^- \nu$

Event selection

- Charged Tracks
 - ✓ No Vertex requirement; $|\cos \theta| < 0.93$; $n_{charge\ positive} \geq 2$; $n_{charge\ negative} \geq 1$;
- PID
 - ✓ Proton: $p > 0.32 \text{ GeV}/c$; $n_{proton^-} \geq 1$
 - ✓ Pion: $p < 0.32 \text{ GeV}/c$; $n_{pion^+} \geq 2$
- Vertex fit for $\bar{\Lambda}$, $\bar{\Xi}^+$
 - ✓ For $\bar{\Lambda}$, $\bar{\Xi}^+$, primary and secondary vertex fit used for the $\bar{p}^-\pi^+$ for $\bar{\Lambda}$, $\bar{\Lambda}\pi^+$ for $\bar{\Xi}^+$. Loop all the pairs, select combination by minimizing $\chi^2 = (M(\bar{p}^-\pi^+) -$

Event selection

➤ PID

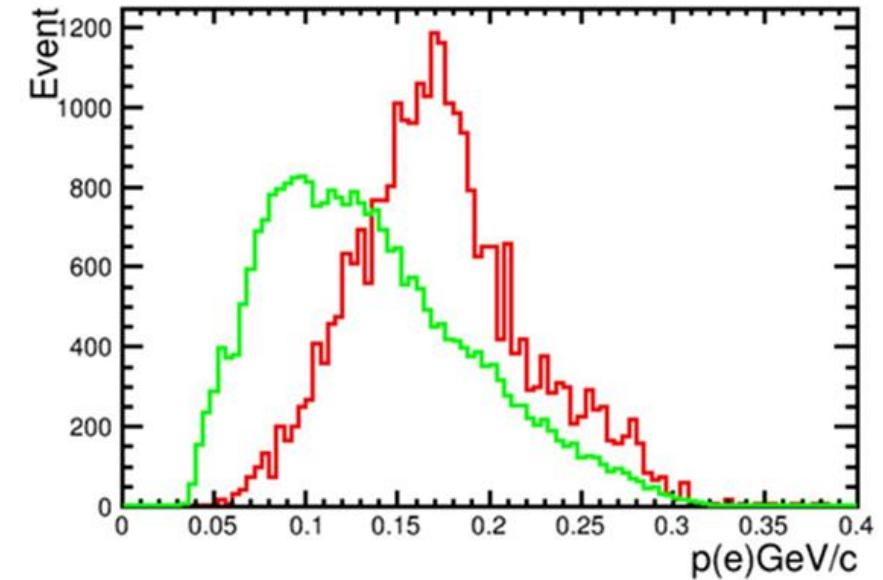
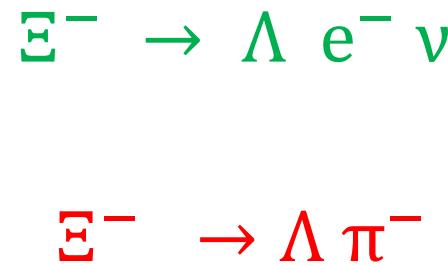
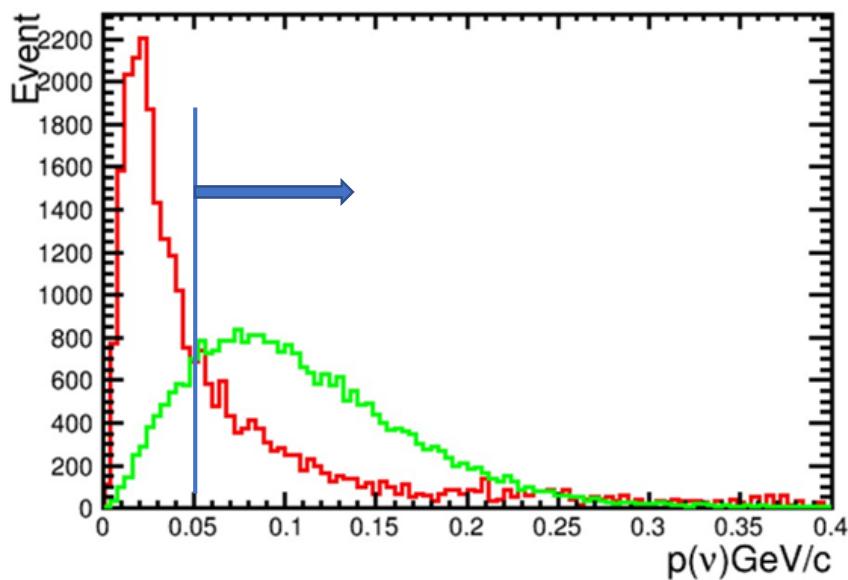
- ✓ $n_{proton^+} \geq 1, n_{pion^-} \geq 2$
- ✓ Electron: `prob_e > prob_K && prob_e > prob_pi; ie.size() == 1;`

➤ Vertex fit for Λ, Ξ^-

- ✓ For Λ , primary and secondary vertex fit used for the $p^+\pi^-$ for Λ , Λ for Ξ^- .
- ✓ For Ξ^- , primary vertex fit used for the Λe^- for Ξ^- .

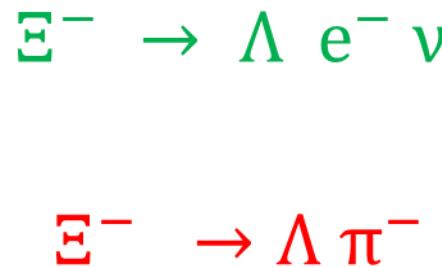
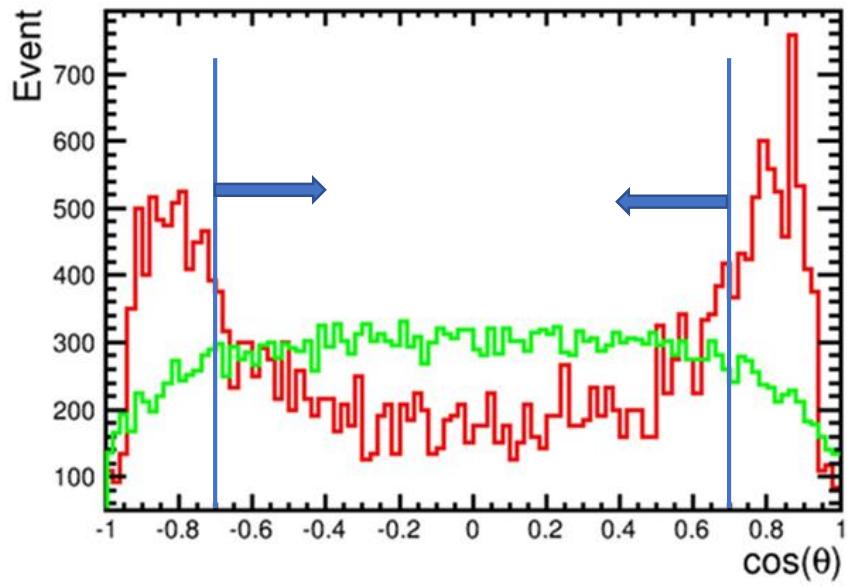
Loop all the pairs, select combination by minimizing $\chi^2 = chisq_{p\pi^-} + chisq_\Lambda + chisq_{\Lambda e^-}$

Background analysis



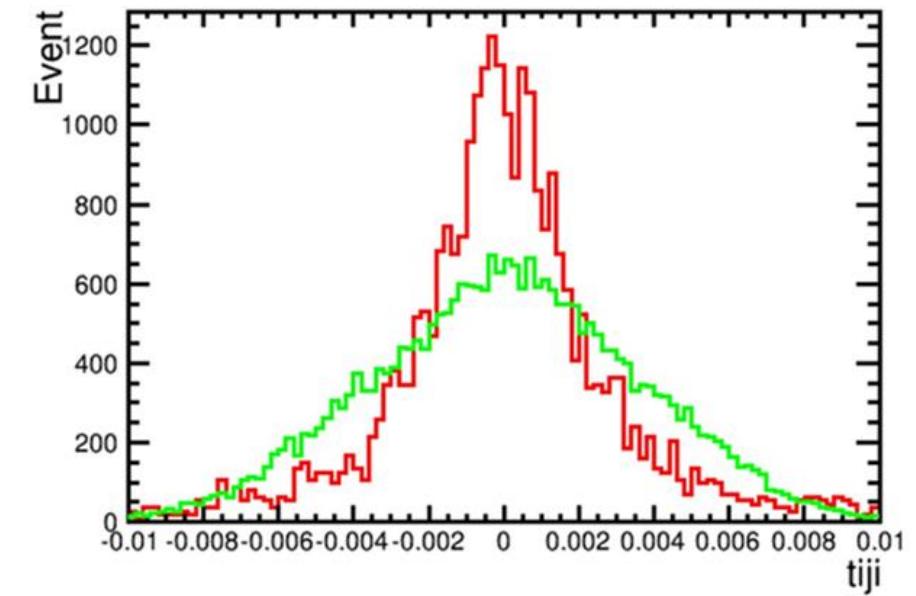
The momentum cut of neutrino should be
higher than 0.05

Background analysis



$$\vec{P}_\pi = \vec{P}_\Xi - \vec{P}_\Lambda$$

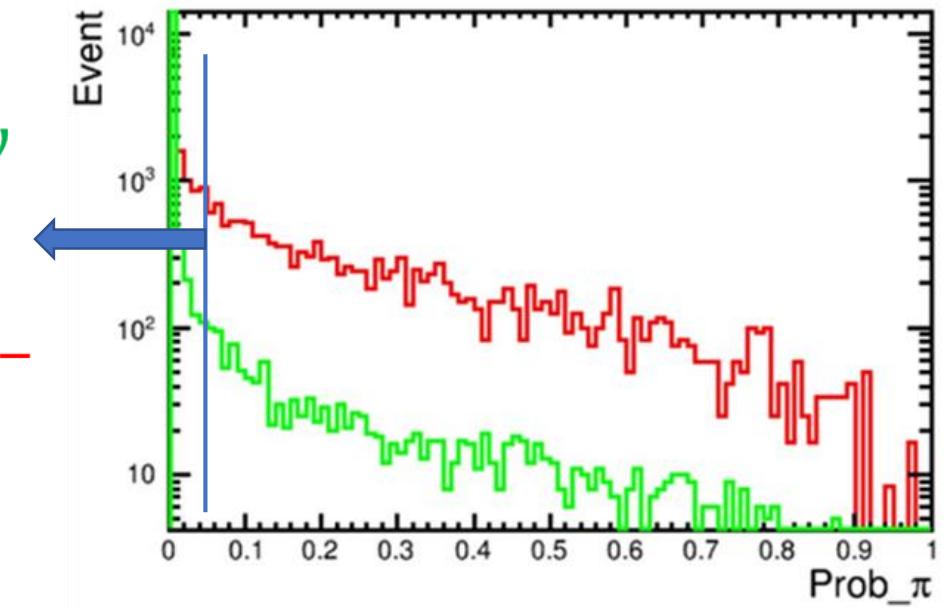
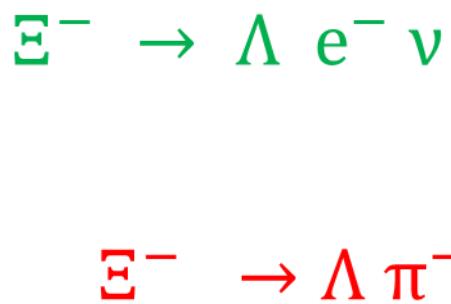
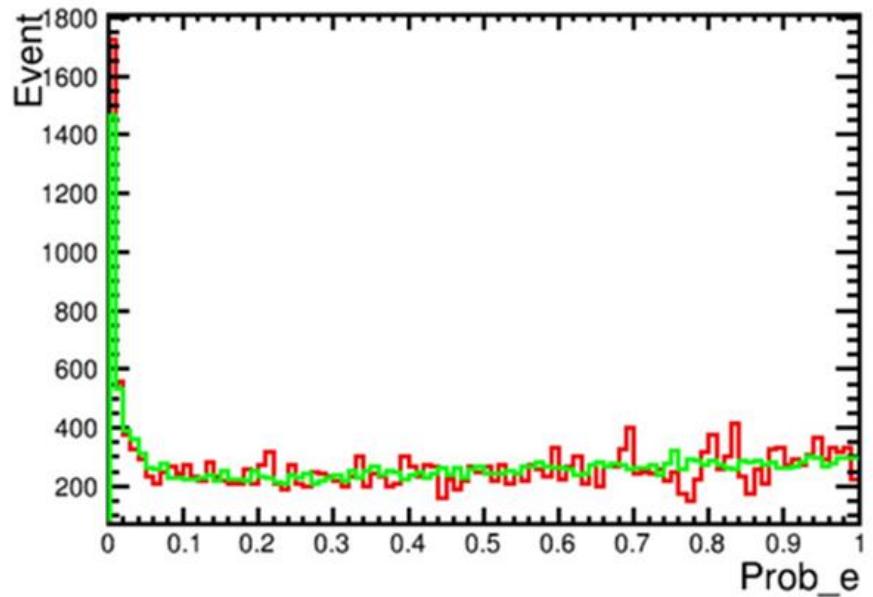
Here is the costheta of recoiling pion. We prefer the **modulus of costheta is smaller than 0.7**



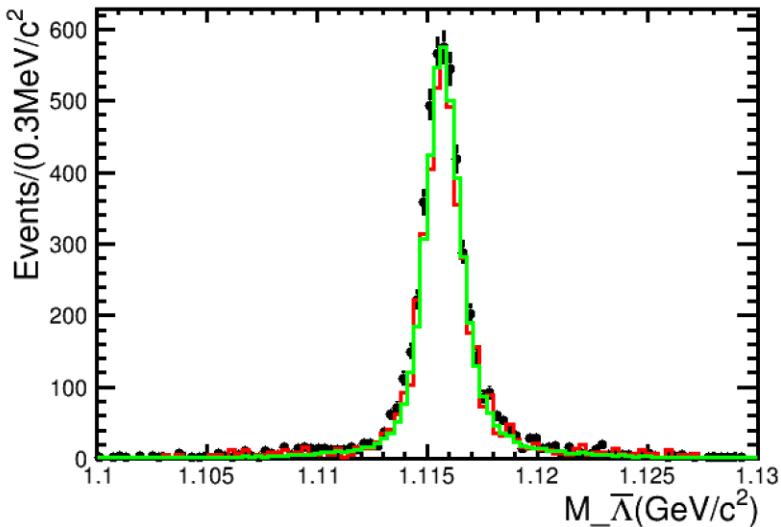
$$(\vec{p}_\Xi \times \vec{p}_\Lambda) \cdot \vec{p}_e$$

Because $\Xi \rightarrow \Lambda e \bar{\nu}$ has 4 particles in this process and $\Xi \rightarrow \Lambda \pi$ only has 3. If we mistake π for electron, this result should be zero as for the background.

Background analysis

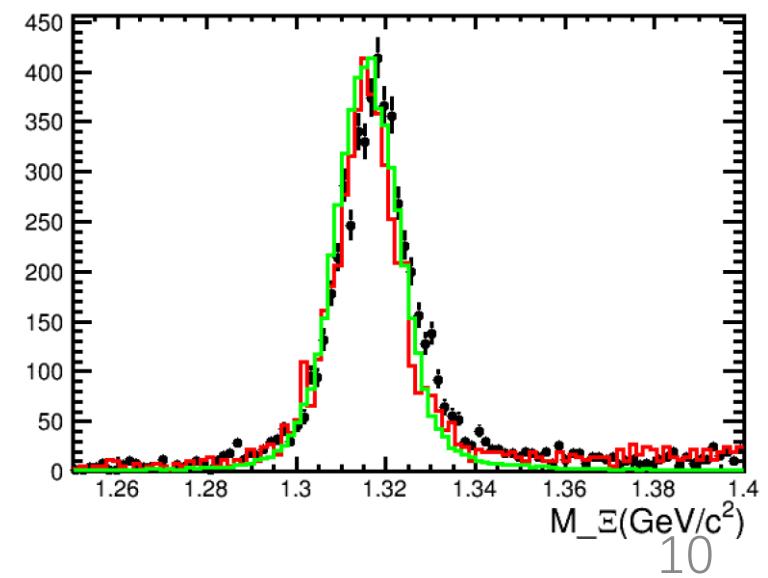
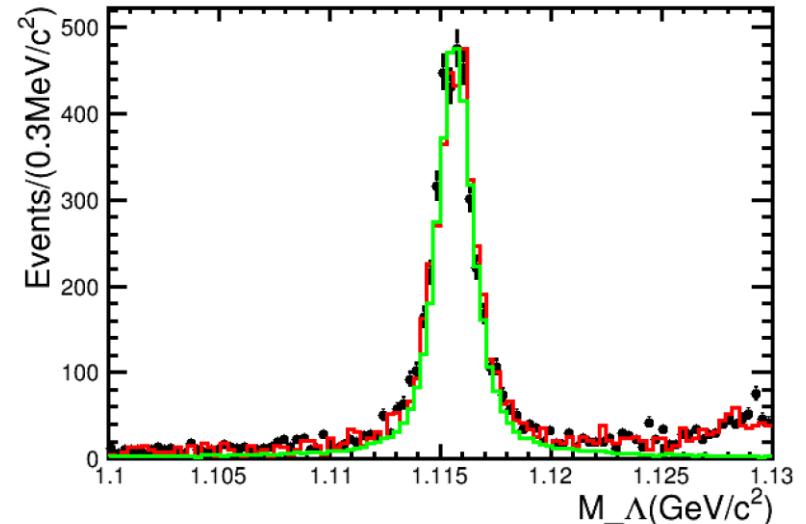
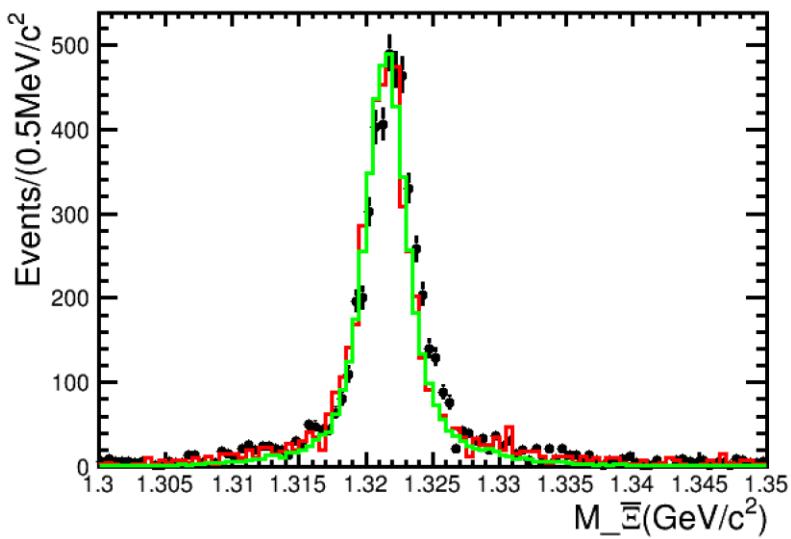


Event selection



Inclusive MC

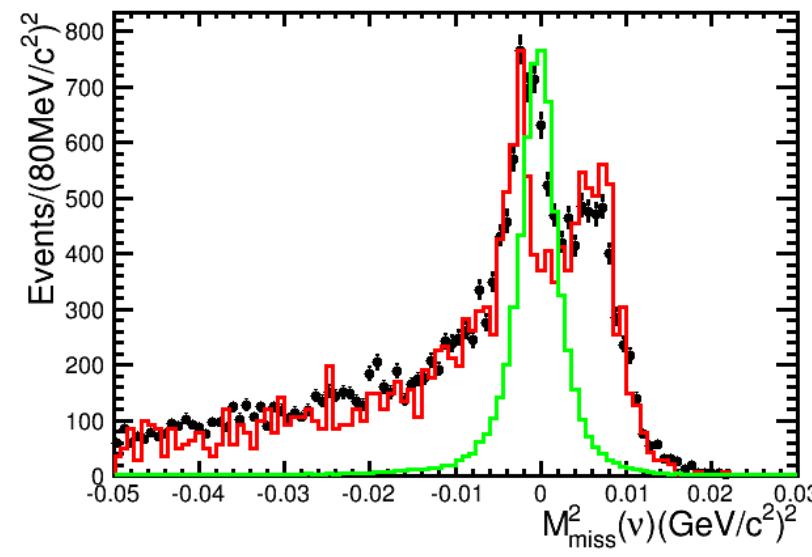
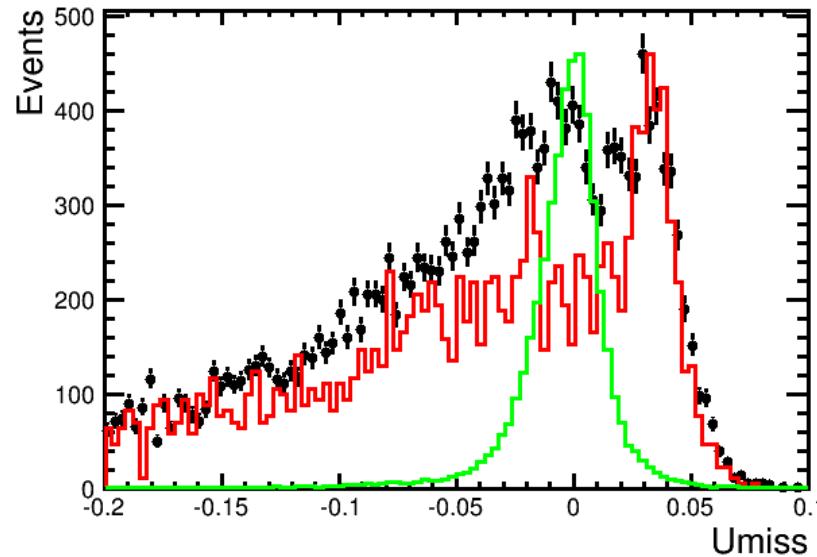
Jpsi data



Variables

- Prob_e , Prob_pi , p_e
- **Volume** : $\vec{p}_{\bar{\Xi}} \times \vec{p}_{\Lambda} \cdot \vec{p}_e$
- $p_{\nu} > 0.05$
- $|\cos \theta_{recoil \pi}| < 0.7$
- $|M_{\bar{\Xi}} - 1.32171| < 0.011$
- $|M_{\bar{\Lambda}} - 1.115683| < 0.0115$
- $|M_{\Lambda} - 1.115683| < 0.0115$
- $|M_{\Xi} - 1.32171| < 0.03$

Apply selection to data



$$U_{miss} = E_\nu - |\vec{p}_\nu|$$

$$M_{miss}^2 = E_\nu^2 - |\vec{p}_\nu|^2$$

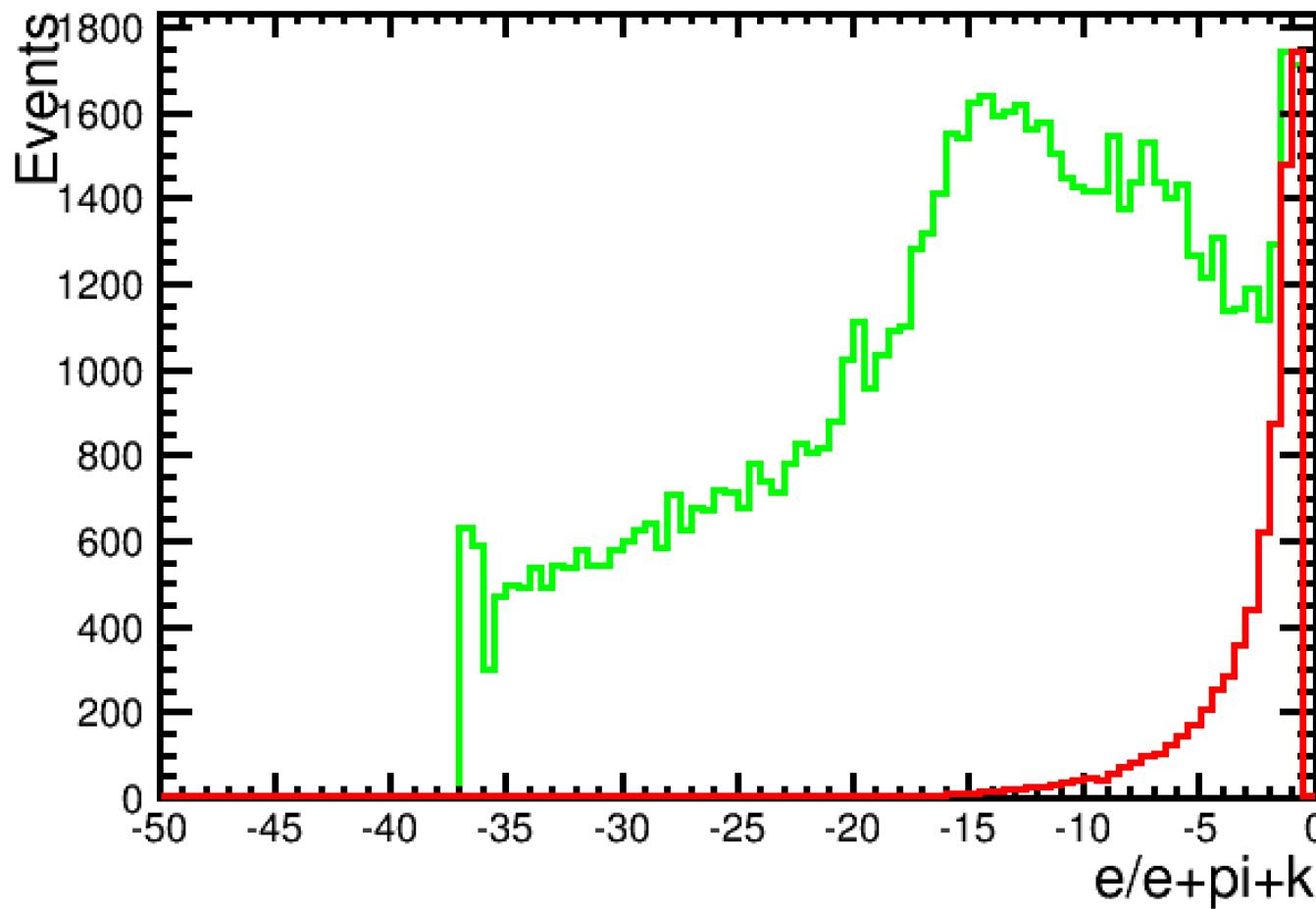
$$E_\nu = E_{beam} - E_\Lambda - E_e$$

$$\vec{p}_\nu = \vec{p}_{all} - \vec{p}_{\Xi} - \vec{p}_\Lambda - \vec{p}_e$$

$$\vec{p}_{\Xi} = \hat{p}_{tag} \sqrt{E_{beam}^2 - m_{\Xi}^2}$$

Event selection

$$\ln\left(1 - \frac{prob_e}{prob_e + prob_{pi} + prob_{kaon}}\right)$$



TMVA

Variables :

Prob_e —— probability of electron in ParticleID

Prob_pi —— probability of pion in ParticleID

Prob_k —— probability of kaon in ParticleID

P_e —— momentum of electron

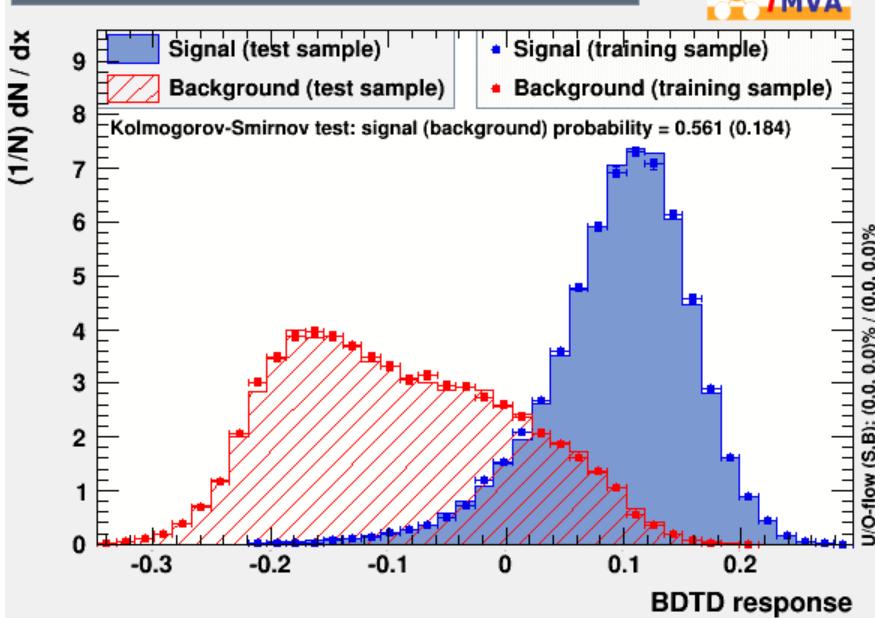
P_ν —— momentum of neutrino

$\cos \theta_{recoil\pi}$ —— $\cos(\theta)$ of recoil pion

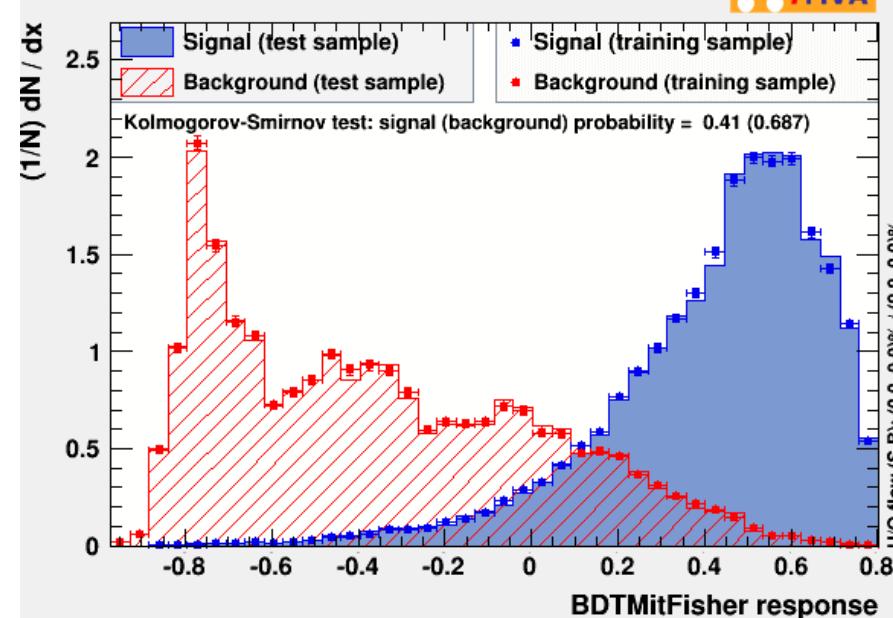
Volume —— $\vec{p}_\Xi \times \vec{p}_\Lambda \cdot \vec{p}_e$

TMVA

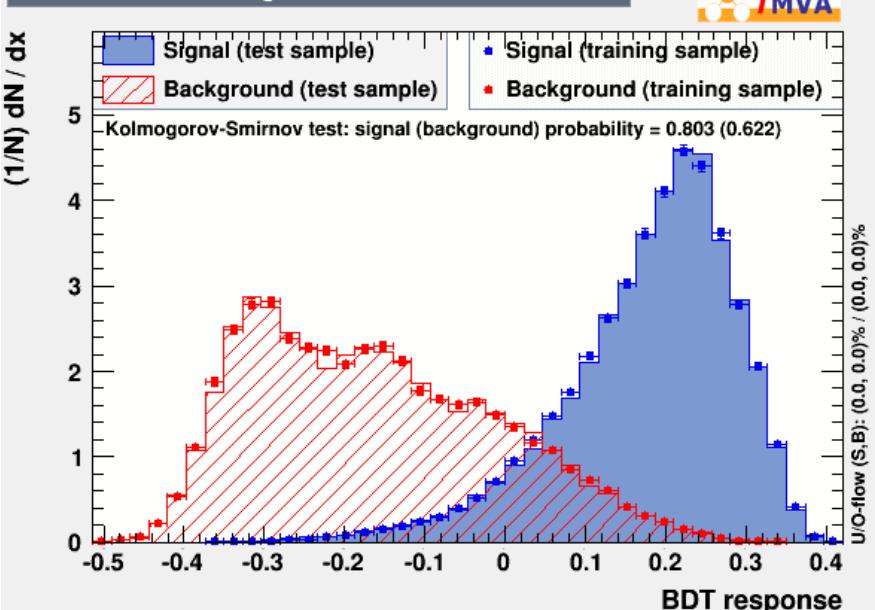
TMVA overtraining check for classifier: BDTD



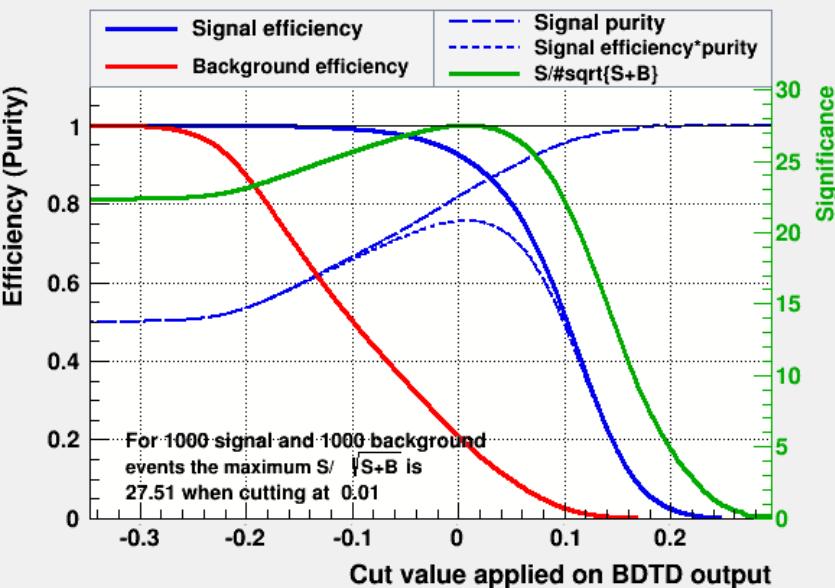
TMVA overtraining check for classifier: BDTMitFisher



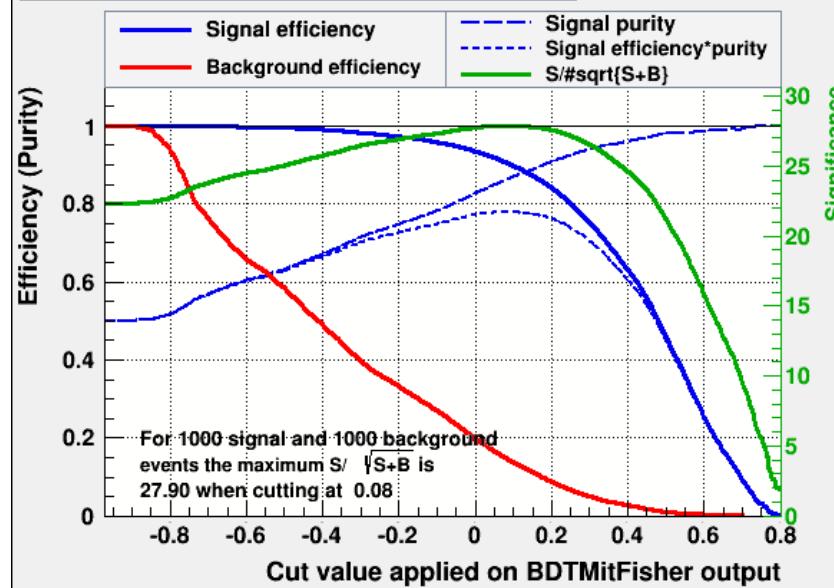
TMVA overtraining check for classifier: BDT



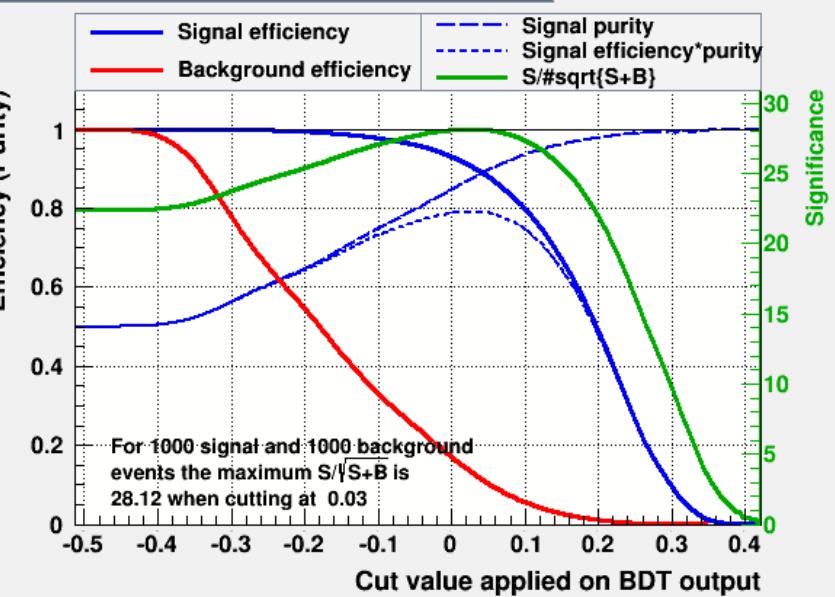
Cut efficiencies and optimal cut value



Cut efficiencies and optimal cut value



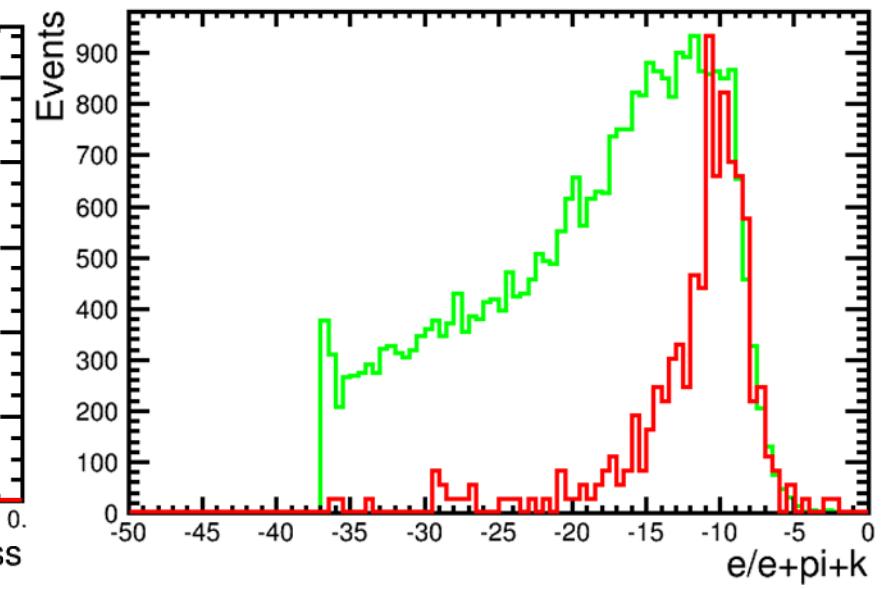
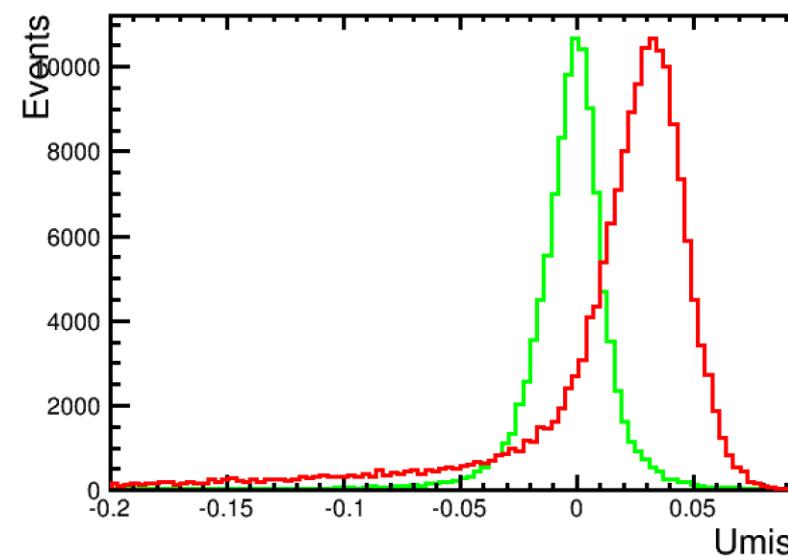
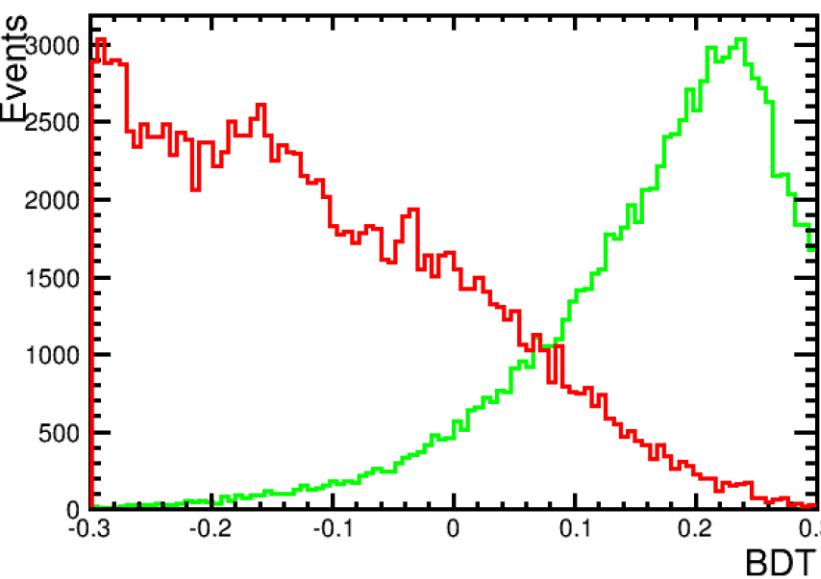
Cut efficiencies and optimal cut value



TMVA

Variables : Prob_e, Prob_pi, Prob_k, P_e , P_ν , $\cos \theta_{recoil} \pi$, volume

$BDT > 0.2$ and $\ln\left(1 - \frac{prob_e}{prob_e + prob_{pi} + prob_{kaon}}\right) < -14$



TMVA

I chose BDT method.

$$\text{BDT}>0.2 \quad \text{and} \quad \ln\left(1 - \frac{\text{prob}_e}{\text{prob}_e + \text{prob}_{pi} + \text{prob}_{kaon}}\right) < -14$$

Background efficiency=206/8000000= 2.575×10^{-5}

signal efficiency=41568/1412000=0.03

$$\frac{\text{sig efficiency} \times \text{sig fraction}}{\text{bkg efficiency} \times \text{bkg fraction}} = \frac{0.03 \times 5.63 \times 10^{-4}}{2.575 \times 10^{-5}} = 0.655$$

TMVA

$\text{BDT_out} > 0.2$ and $\ln(1 - \frac{\text{prob}_e}{\text{prob}_e + \text{prob}_{pi} + \text{prob}_{kaon}}) < -14$

11822M jpsi data (I misused 5911M twice)

154 events are left

